

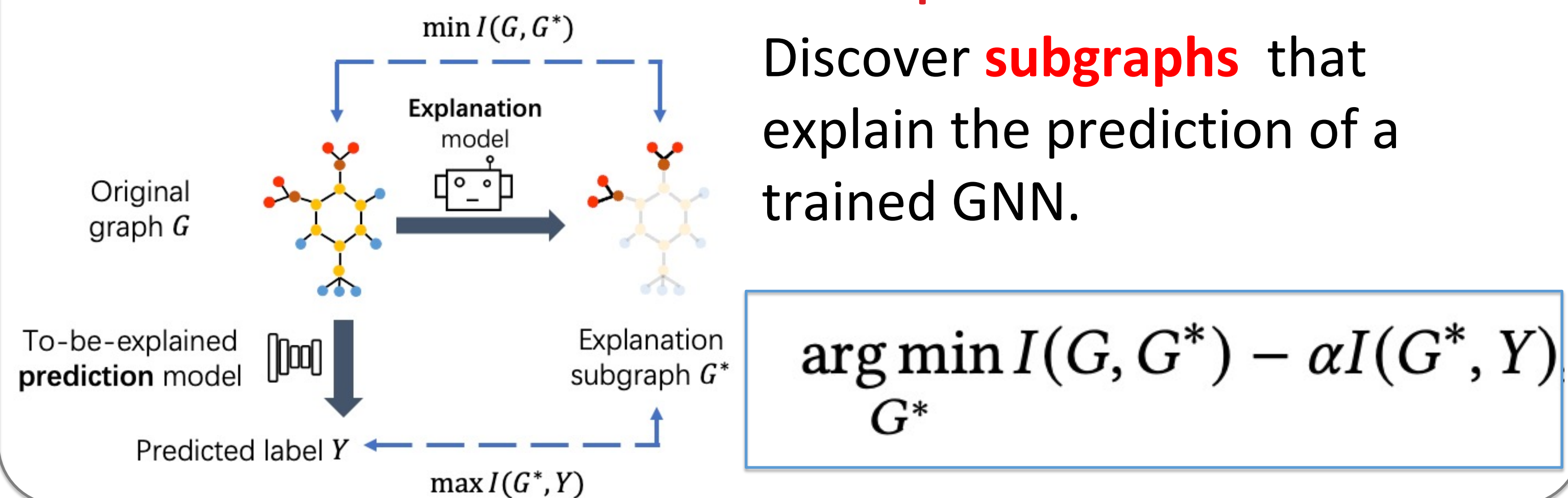
MixupExplainer: Generalizing Explanations for Graph Neural Networks with Data Augmentation

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Explaining GNNs

Post-hoc instance-level explanation



Graph Information Bottleneck (GIB) Objectives in a nutshell:
What was **right** and what was **wrong**?

Mutual information $I(G^*, Y) = H(Y) - H(Y|G^*)$

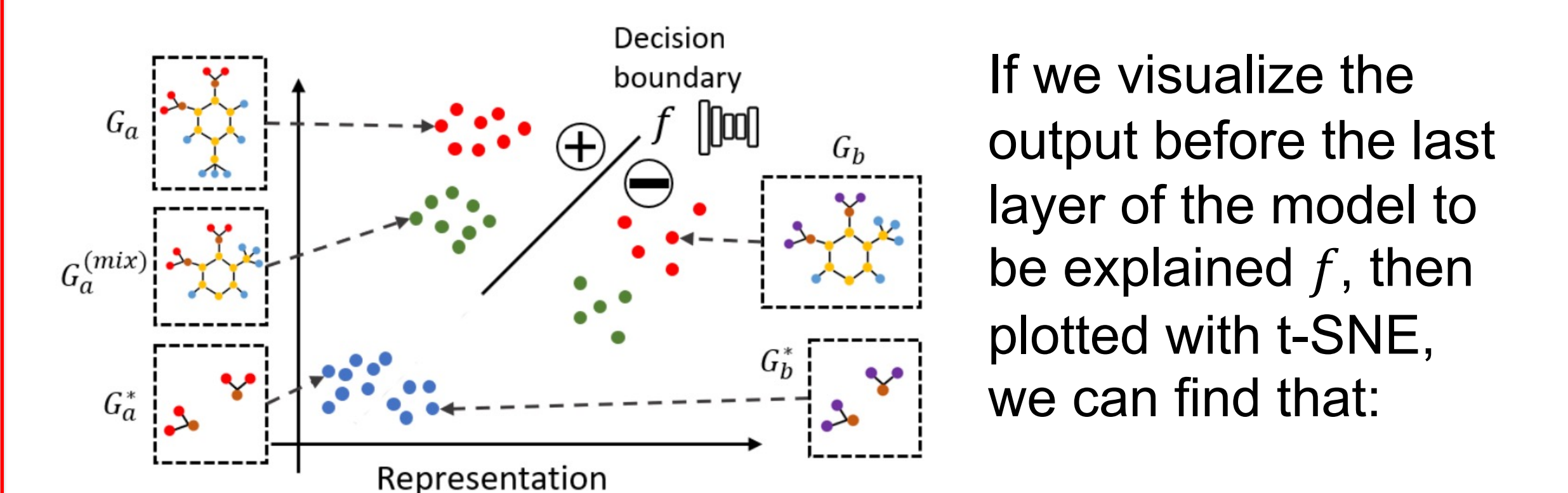
Intractability of $H(Y|G^*)$

$$\arg \min_{G^*} I(G, G^*) + \alpha H(Y|G^*)$$

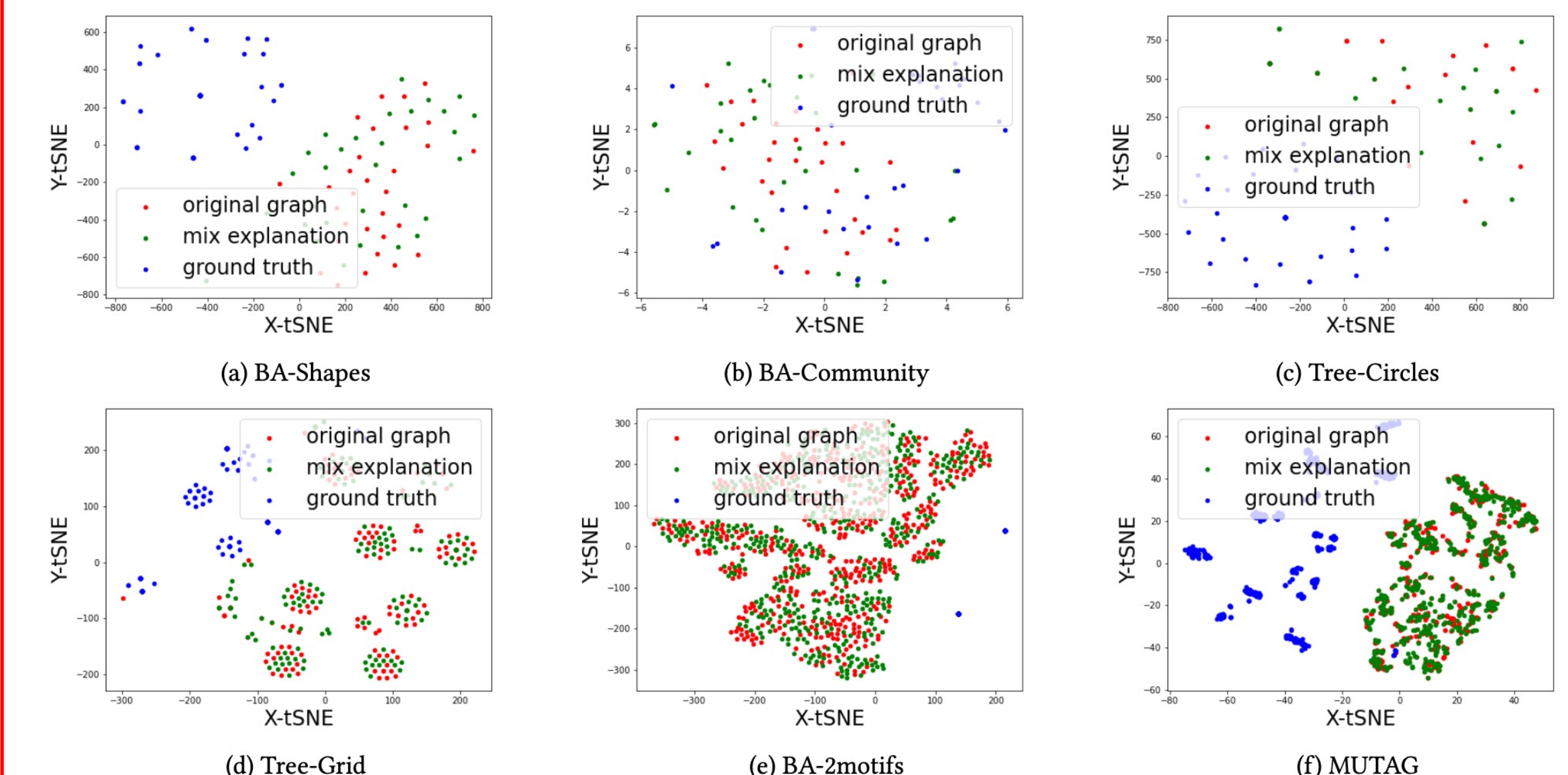


$$\arg \min_{G^*} I(G, G^*) + \alpha CE(Y, f(G^*))_{[1,2,3]}$$

Diverging Distributions between Y and $f(G^*)$

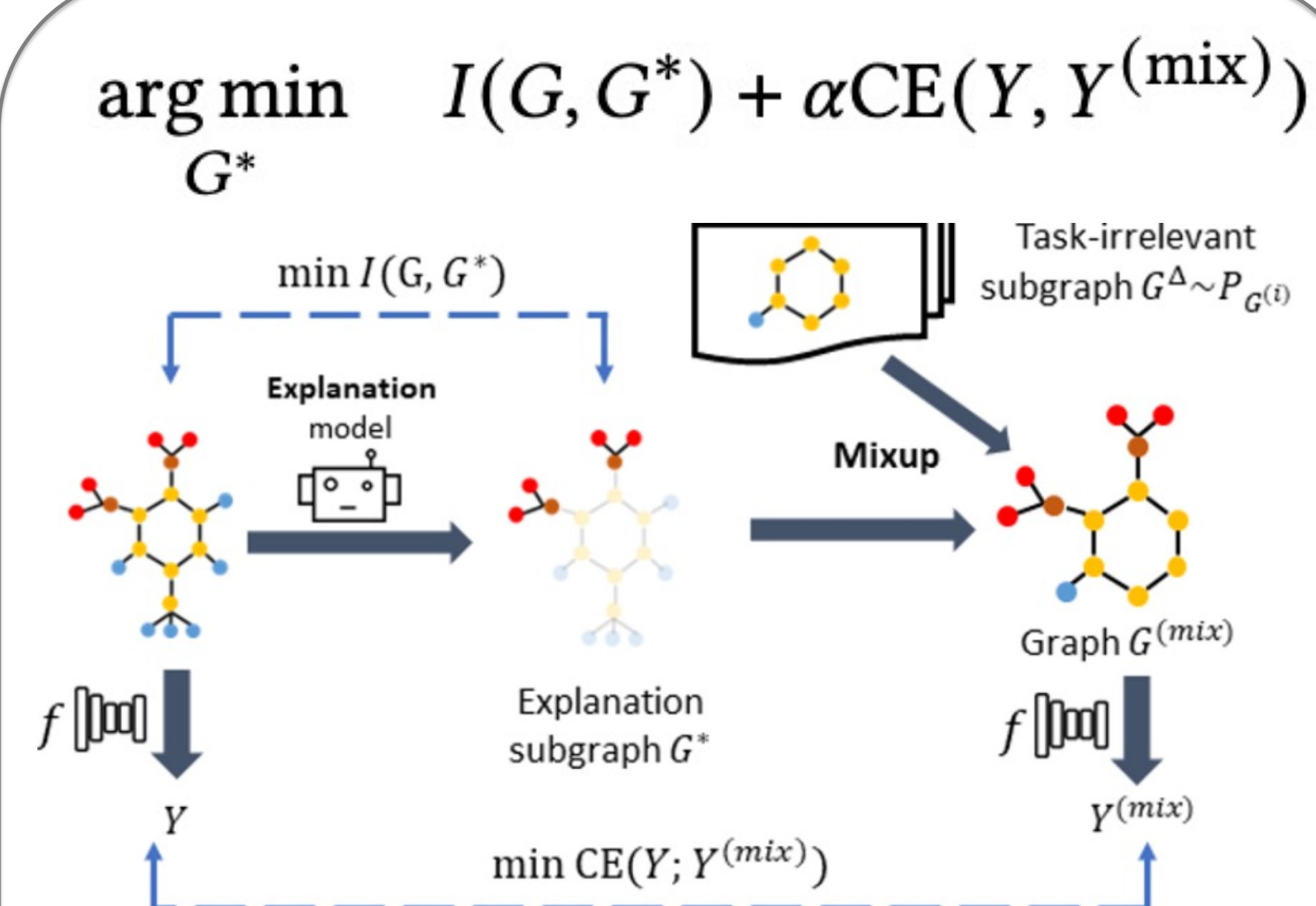


Ground truth shifts away from original graph



Mix explanation aligns well with original graph

Implementation



Intuition: An explanation on a graph from GNN is the subgraph that can mix up with any random graphs and yet does not change GNN's prediction.

Algorithm 1 Graph Mixup Algorithm

Input: Graph $G_a = (X_a, A_a)$, a set of graphs \mathcal{G} , the number of random connections η , explanation model g .

Output: Graph $G^{(mix)}$.

- 1: Randomly sample a graph $G_b = (A_b, X_b)$ from \mathcal{G}
- 2: Generate mask matrix $M_a = g(G_a)$
- 3: Generate mask matrix $M_b = g(G_b)$
- 4: Sample η random connections between G_a and G_b as A_c
- 5: Mixup adjacency matrix $A^{(mix)}$ with Eq. (10)
- 6: Mixup edge mask $M^{(mix)}$ with Eq. (11)
- 7: Mixup node features $X^{(mix)} = [X_a; X_b]$
- 8: **return** $G^{(mix)} = (X^{(mix)}, M^{(mix)} \odot A^{(mix)})$

Nice Property: the proposed mixup approach could reduce the distance between the explanation and original graphs.

Proposed generalized GIB objective

$$\arg \min_{G^*} I(G, G^*) + \alpha H(Y|G^*, G^{\Delta}) \text{ s.t. } I(G^{\Delta}, Y|G^*) = 0.$$

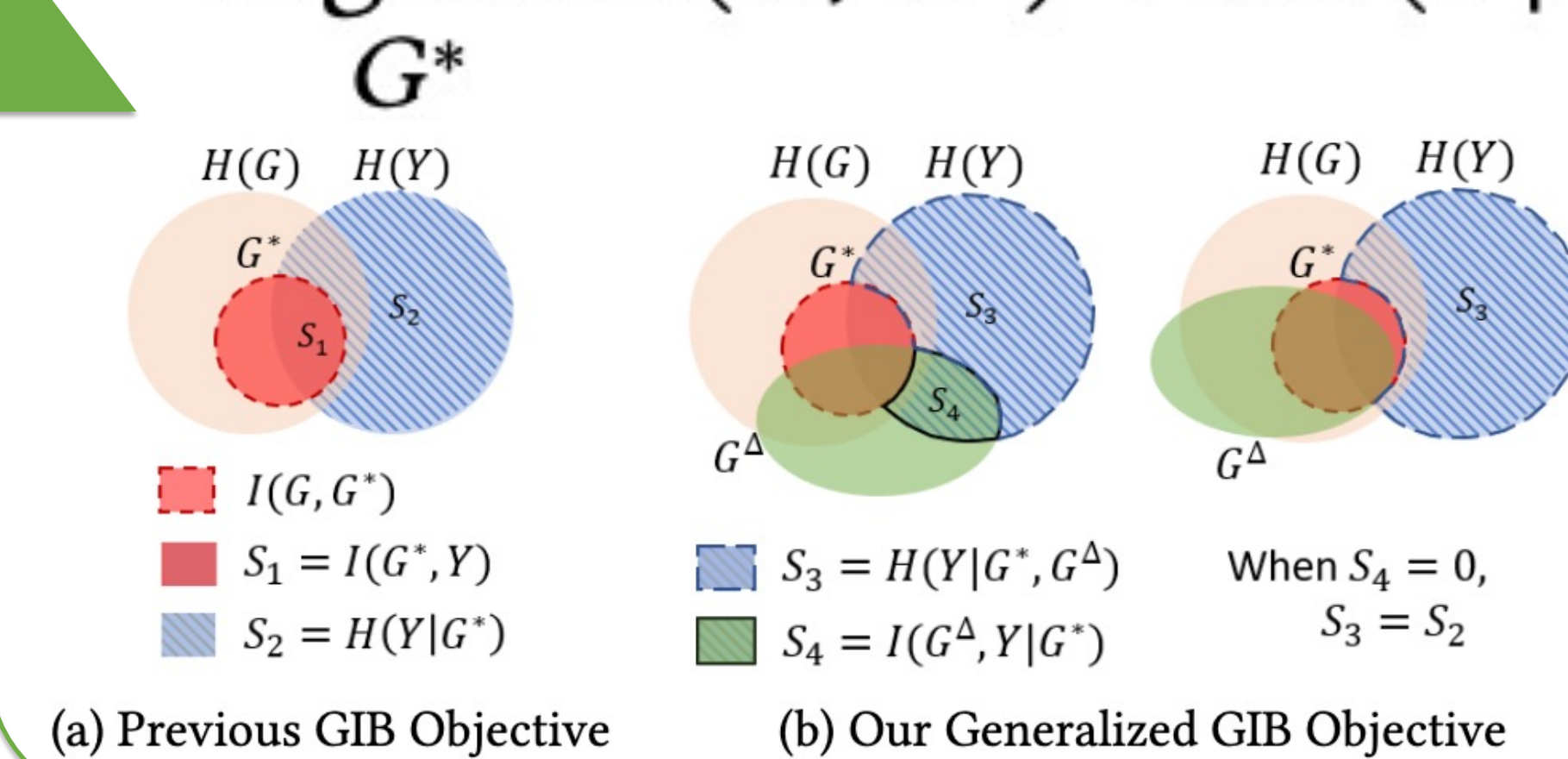


Figure 2: Illustration of GIB and our proposed new objective. (a) Previous vanilla GIB objective aims to minimize $I(G^*, Y)$ and $H(Y|G^*)$, with a smaller overlap between G^* and G . (b) Our generalized GIB objective has the same objective as vanilla GIB, with a larger lap between G and $G^* + G^{\Delta}$, resulting in less distribution shifting issue.

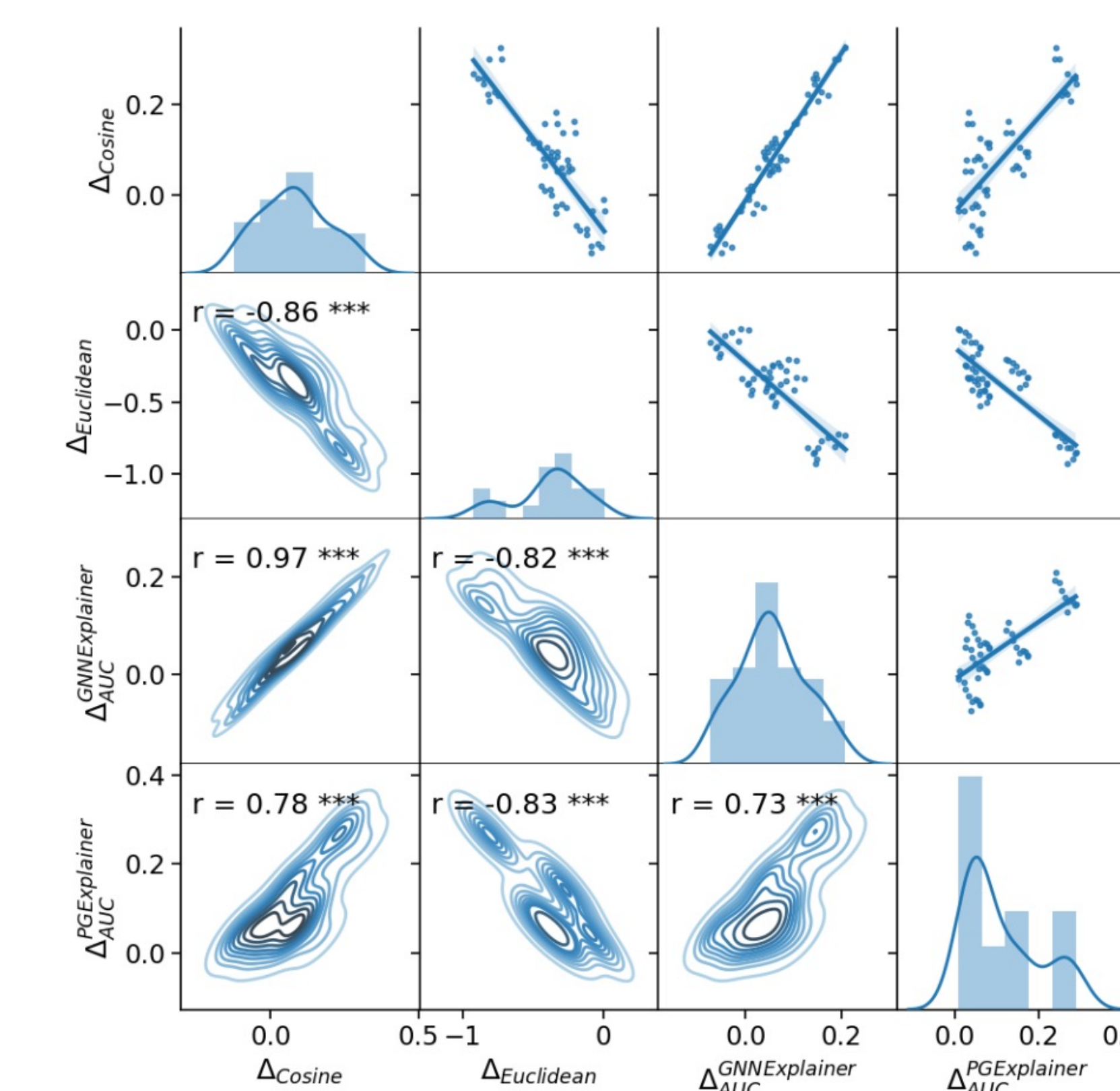
Experiments

Table 1. Explanation faithfulness in terms of AUC-ROC on edges.

	BA-Shapes	BA-Community	Tree-Circles	Tree-Grid	BA-2motifs	MUTAG
GRAD	0.882	0.750	0.905	0.612	0.717	0.783
ATT	0.815	0.739	0.824	0.667	0.667	0.765
SubgraphX	0.548	0.473	0.617	0.516	0.610	0.529
MetaGNN	0.851	0.688	0.523	0.628	0.500	0.680
RG-Explainer	0.985	0.919	0.787	0.927	0.657	0.873
GNNEExplainer	0.884±0.002	0.682±0.004	0.683±0.009	0.379±0.001	0.660±0.006	0.539±0.002
+ MixUp (improvement)	0.890±0.004	0.788±0.006	0.690±0.014	0.501±0.003	0.869±0.004	0.612±0.043
PGExplainer	0.999±0.001	0.829±0.040	0.762±0.014	0.679±0.008	0.679±0.043	0.843±0.084
+ MixUp (improvement)	0.999±0.001	0.955±0.017	0.774±0.004	0.712±0.000	0.920±0.031	0.871±0.079

Conclusion

- Be careful if you are using GNNEExplainer or PGExplainer! You might encounter distribution shifting issue between $f(G)$ and $f(G^*)$.
- An explanation of a GNN's prediction on an original graph is the subgraph that can mix up with any random graphs and does not change GNN's prediction.



All these four improvements strongly correlated to each other with statistical significance:
The improvements achieved by MixupExplainer in explanations accuracy own to the successful alleviation of the distribution shifting issue.

References

- [1]. Ying, et al, GNNExplainer: Generating explanations for graph neural networks. NeurIPS 2020.
- [2]. Luo, et al., Parameterized explainer for graph neural network. NeurIPS 2020.
- [3]. Miao et al., Interpretable and generalizable graph learning via stochastic attention mechanism. ICML 2022.