

Syracuse University

What have we learned about binary
neutron stars since the discovery of
GW170817?

Duncan Brown



As massive objects move around, the curvature of space changes

The strength of the gravitational waves radiated is given by their **strain**

$$h(t) = \text{change in length} / \text{length}$$

Typical strains from astrophysical sources when the waves arrive at the Earth are

$$h \sim \frac{G}{c^4} \frac{E_{\text{NS}}}{r} \sim 10^{-21}$$

However, the energy radiated is enormous

$$L_{\text{GW}} \sim \left(\frac{c^5}{G} \right) \left(\frac{v}{c} \right)^6 \left(\frac{R_S}{r} \right)^2 \sim 10^{59} \text{ erg/s}$$

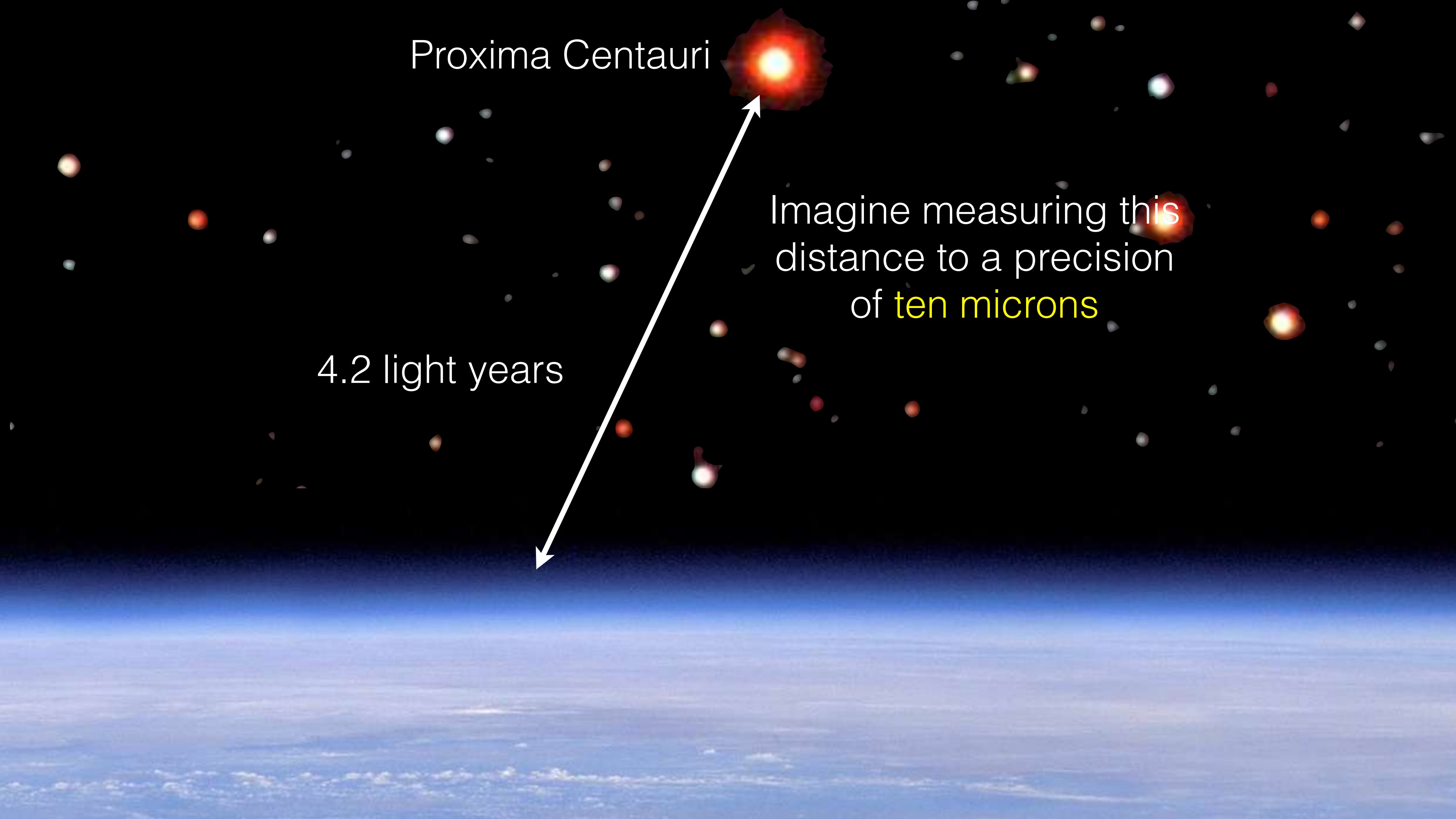
Solar luminosity $L \sim 10^{33}$ erg/s

Gamma Ray Bursts $L \sim 10^{49-52}$ erg/s

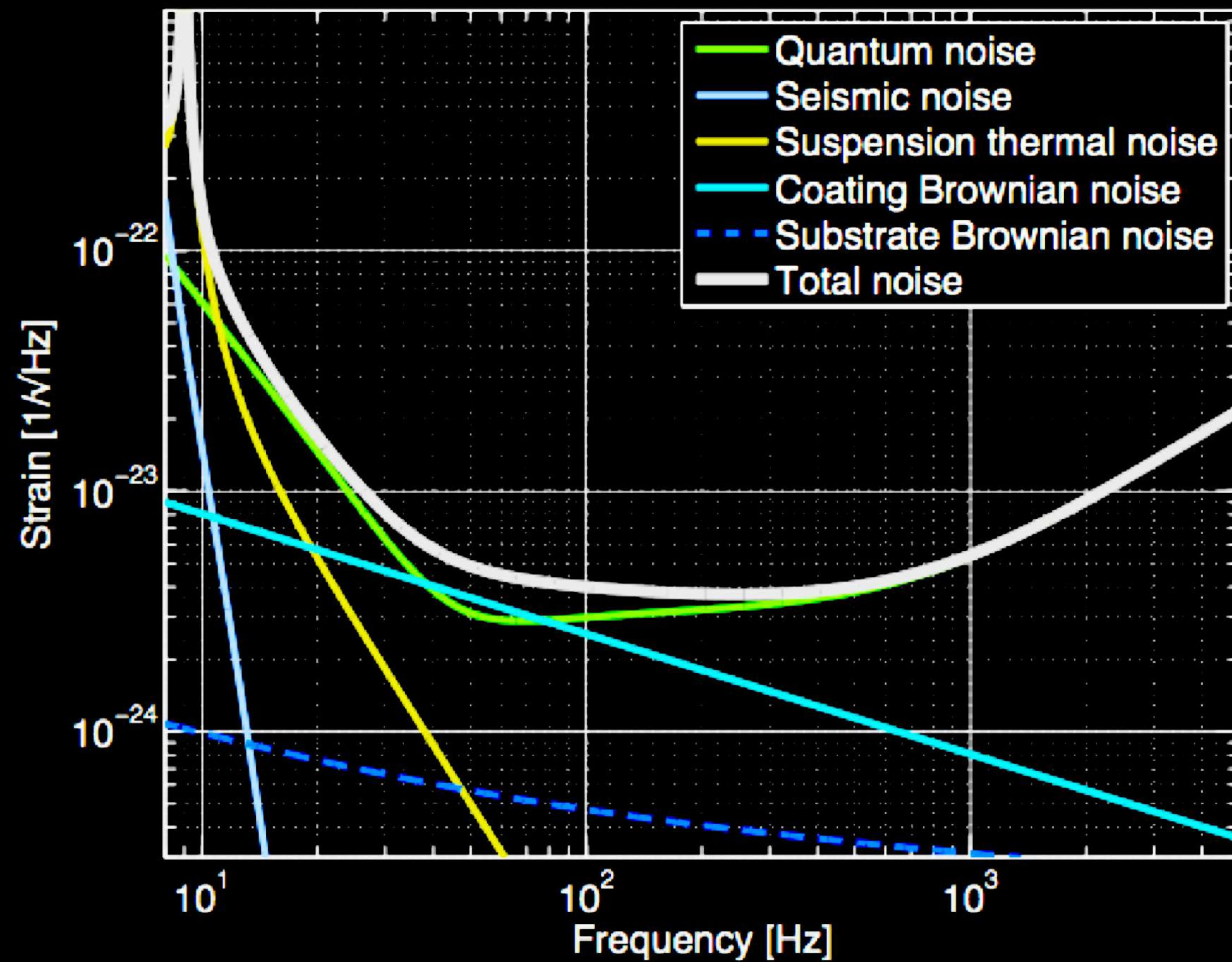
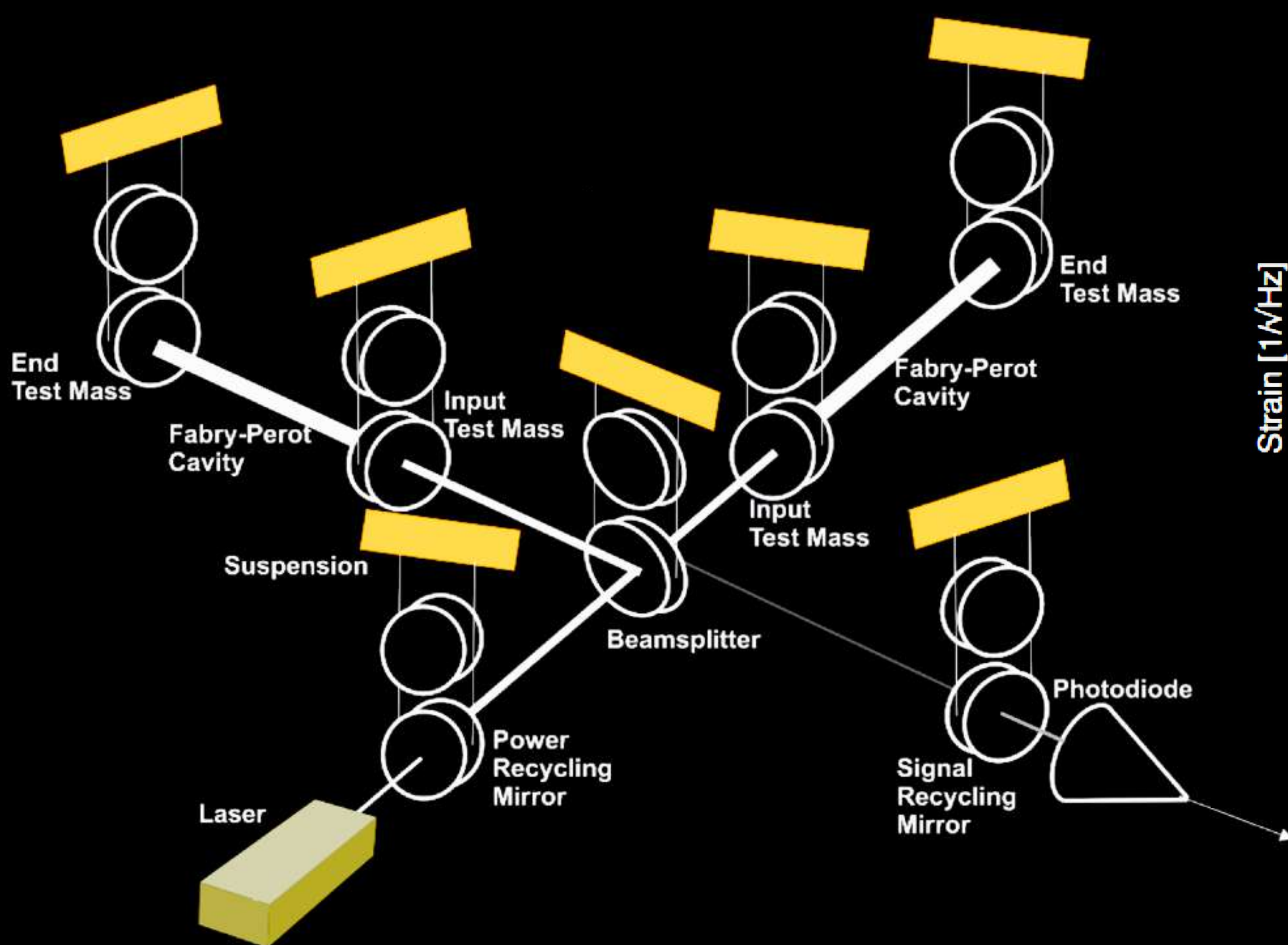
Proxima Centauri

Imagine measuring this distance to a precision of **ten microns**

4.2 light years



Advanced LIGO

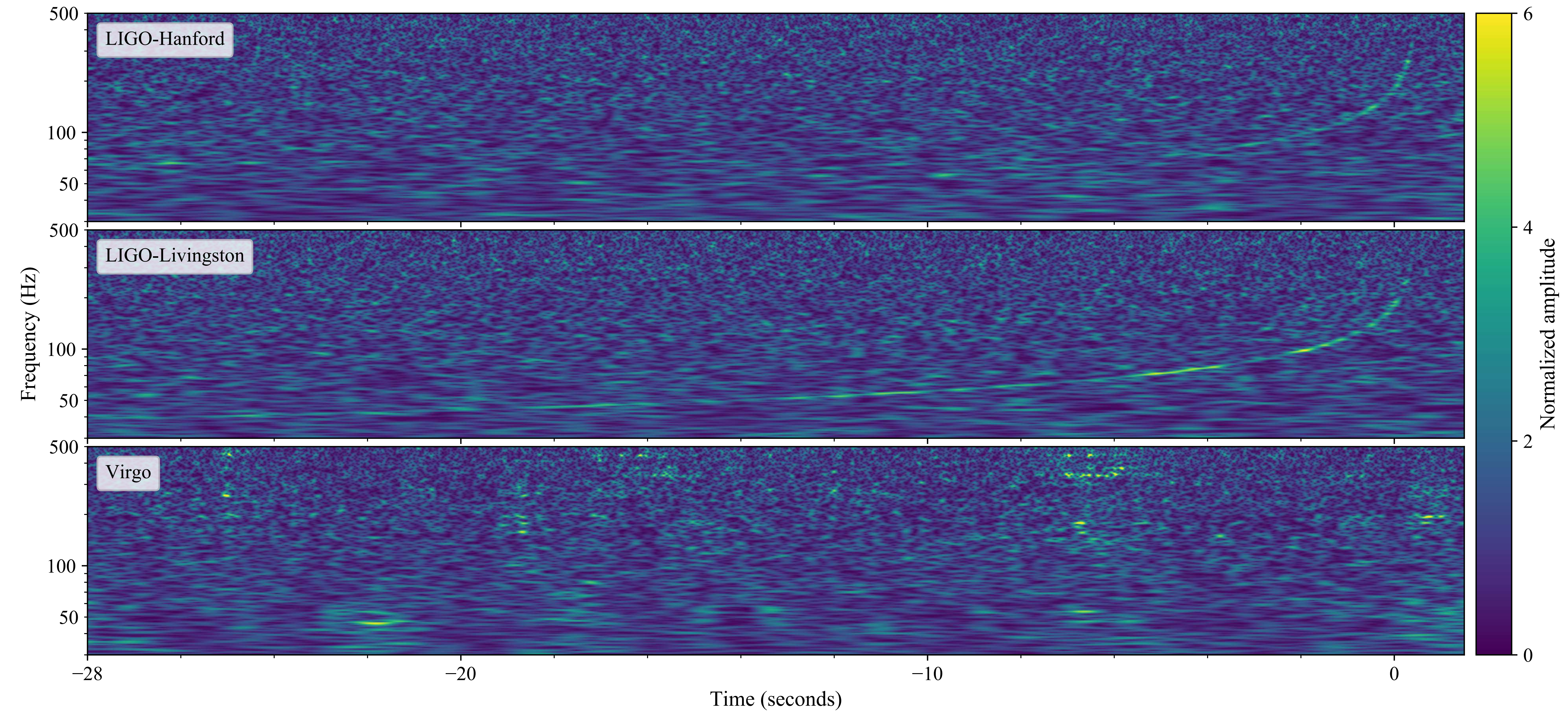




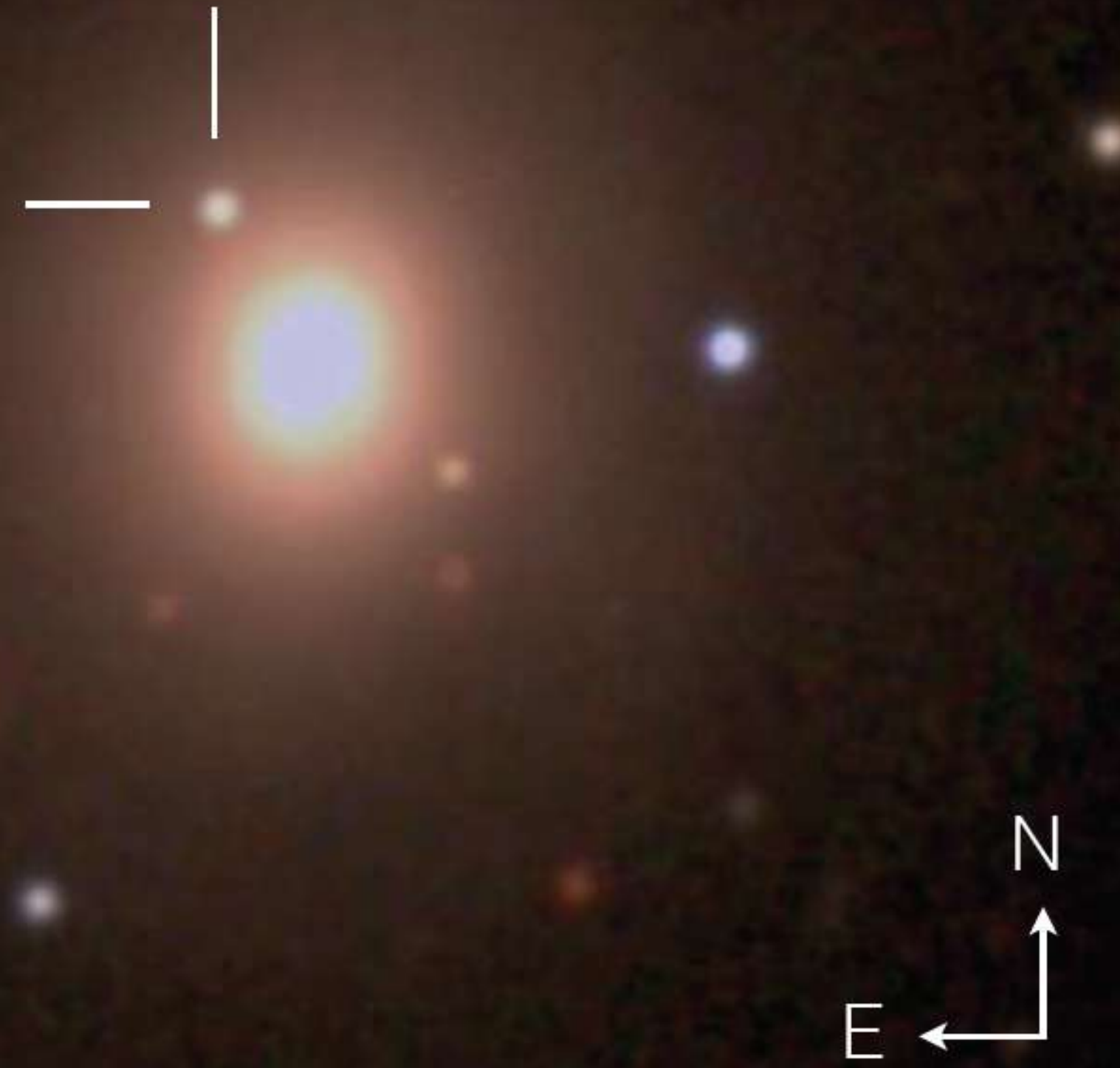








GW170817
DECam observation
(0.5–1.5 days post merger)



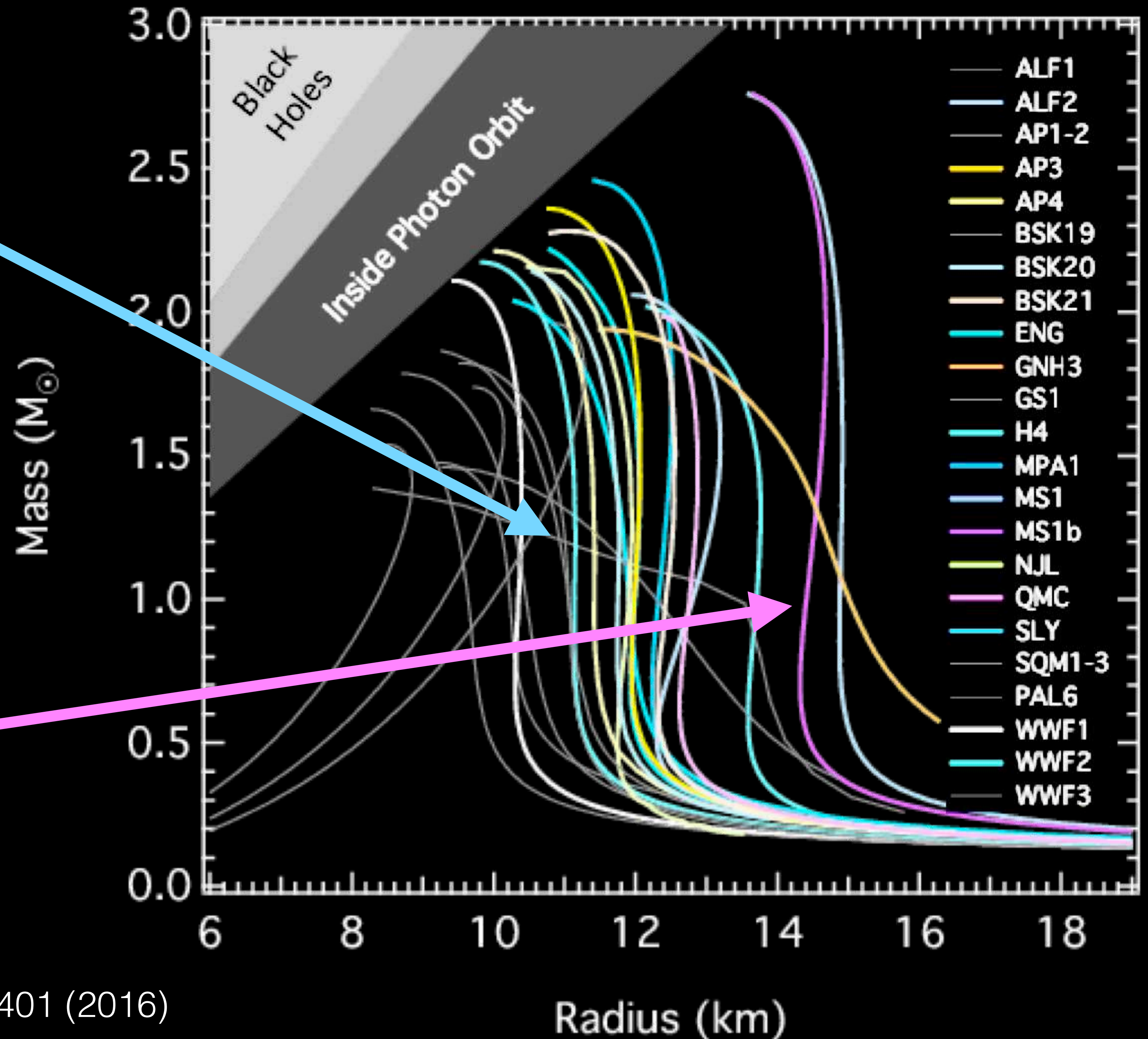
GW170817
DECam observation
(>14 days post merger)

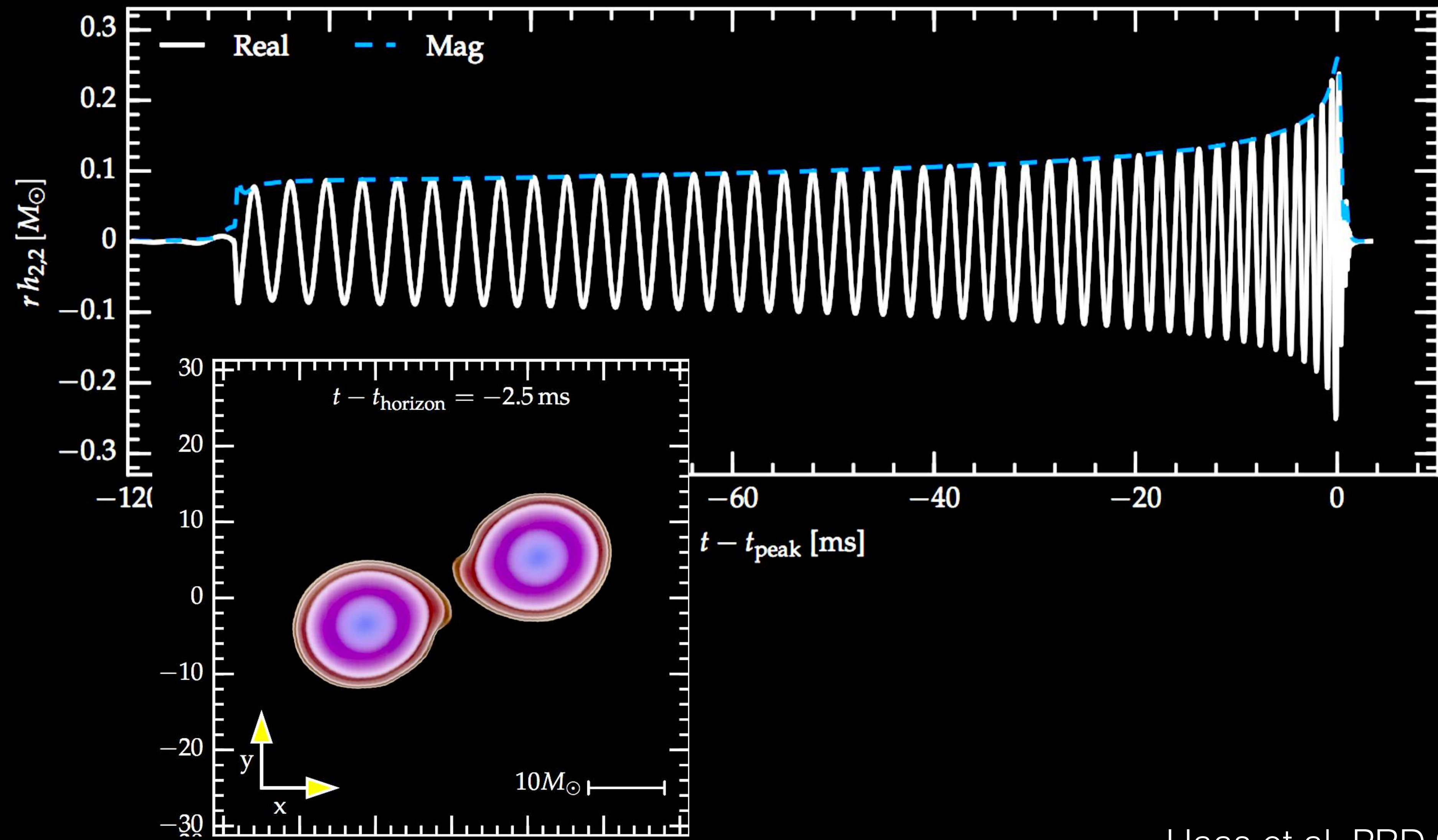


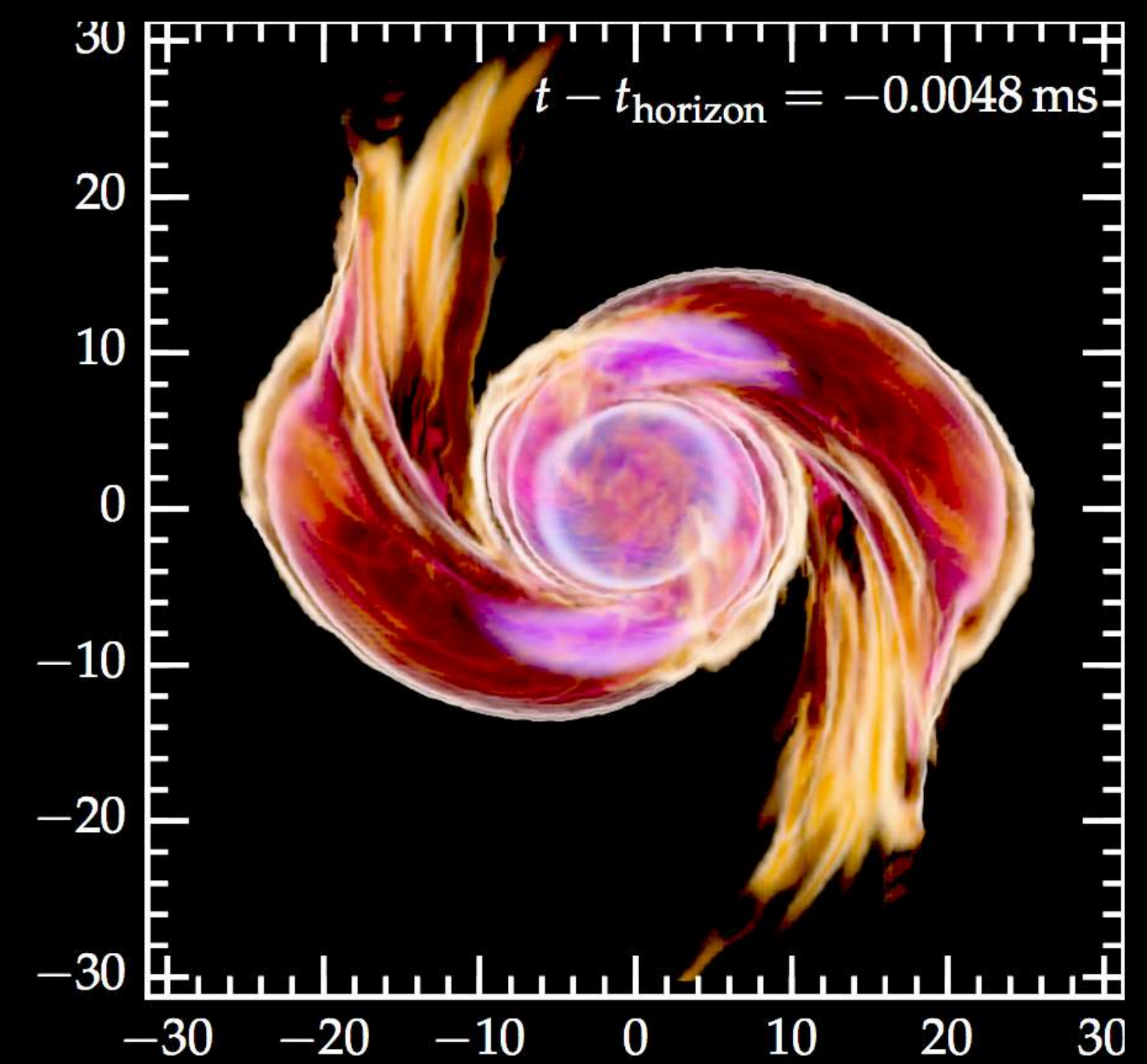
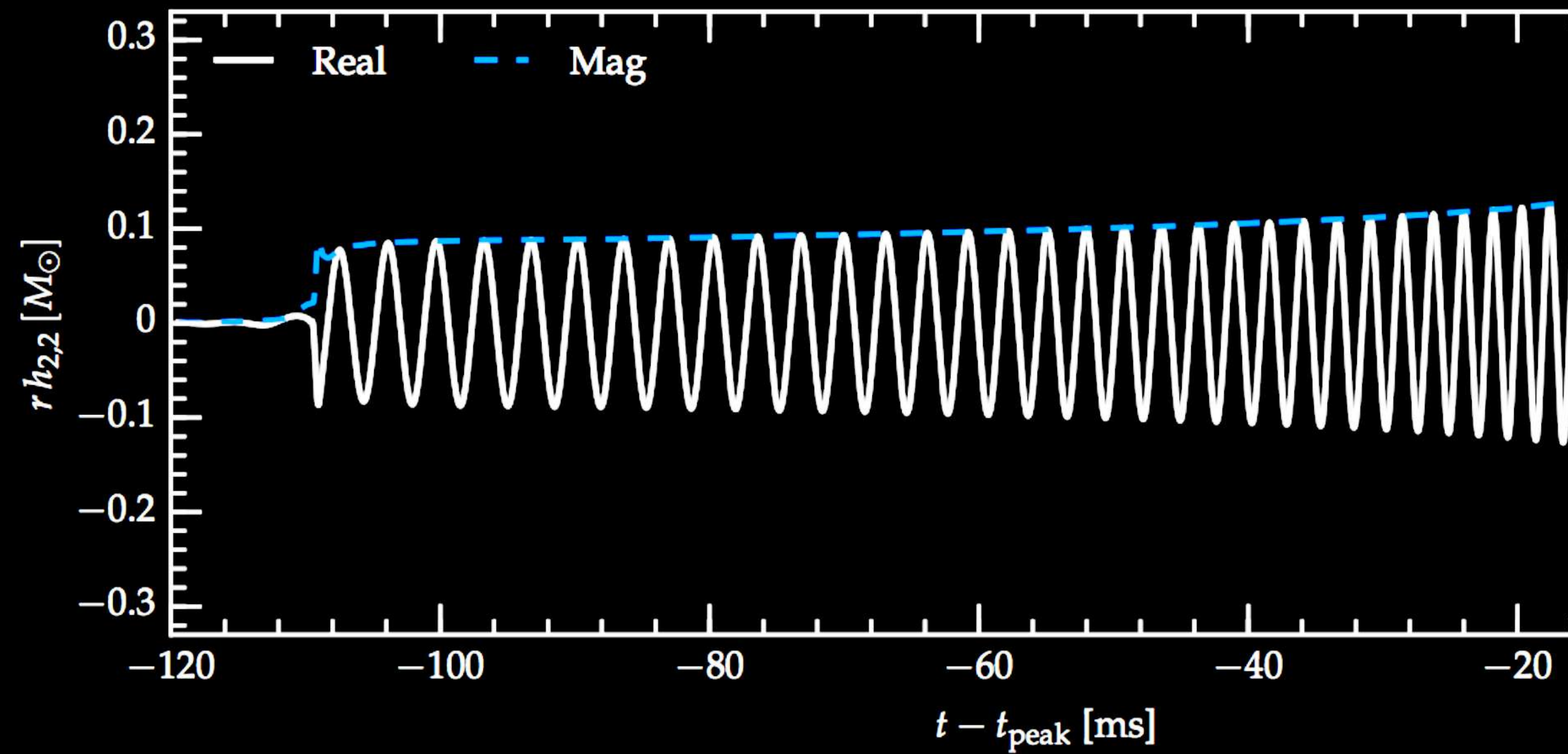
- The equation of state (EOS) of cold, ultra-dense matter remains poorly constrained at high densities
- At $T = 0$, the EOS relates pressure to density $P = P(\rho)$
- Nuclear experiments are only able to constrain EOS models up to the nuclear saturation density ($2.7 \times 10^{14} \text{ g / cm}^3$)
- Densities of the cores of neutron stars reach 8 - 10 times nuclear saturation density and so neutron stars allow us to explore the EOS at much higher densities

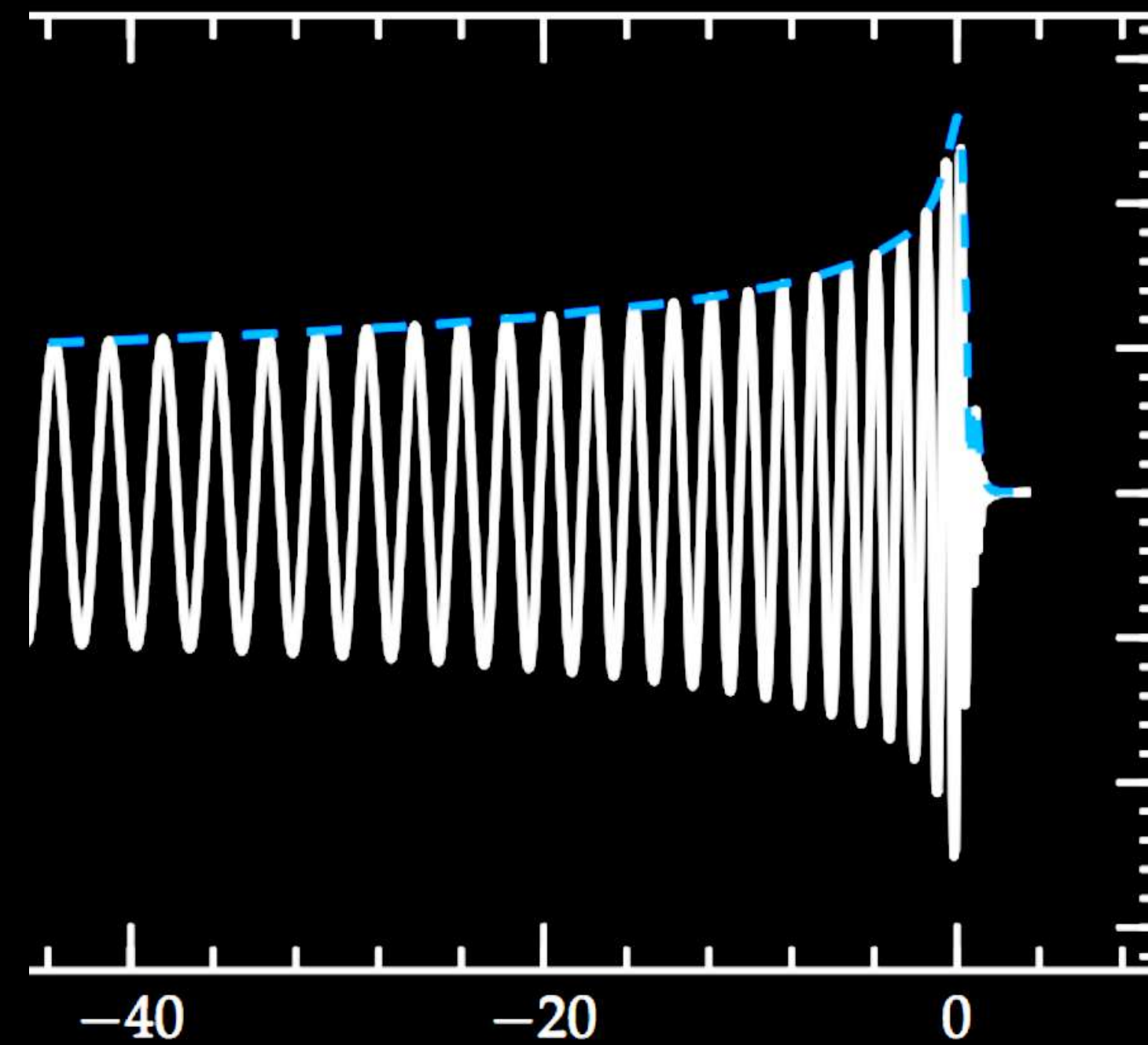
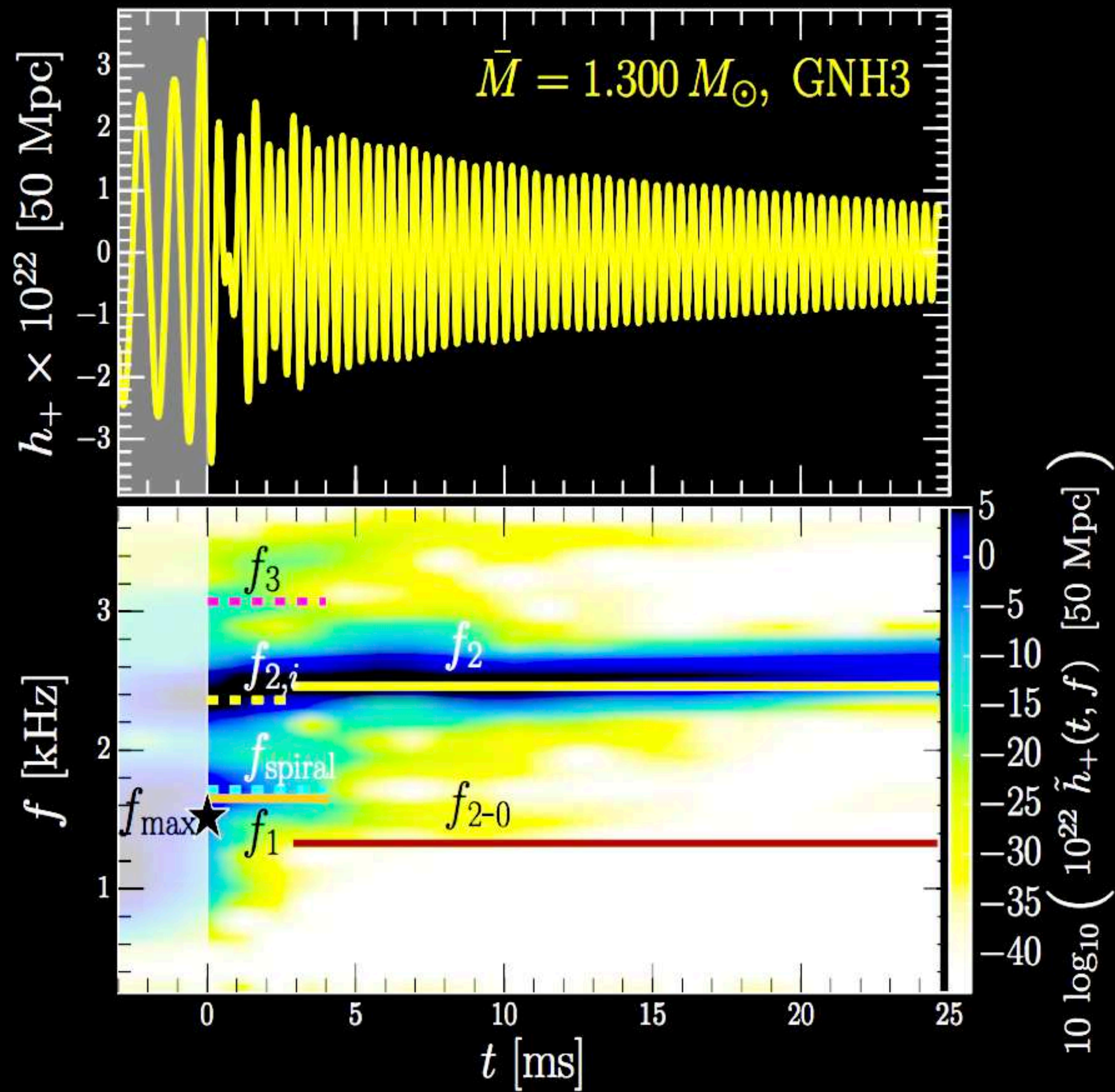
"Soft" EOS, low radius

"Stiff" EOS, large radius









Not detectable for GW170817
Abbott et al. ApJL **851** 16 (2017)

Haas et al. PRD **93**, 124062 (2016)

Rezzola and Takami Phys. Rev. D **93**, 124051 (2016)

The information about the EOS is encoded in the gravitational-wave phase evolution

$$\Phi_{\text{GW}}(t) = 0\text{pN}(t; \mathcal{M}) [1 + 1\text{pN}(t; \eta) + \cdots + 3.5\text{pN}(t; \eta) + 5\text{pN}(t; \text{EOS})]$$

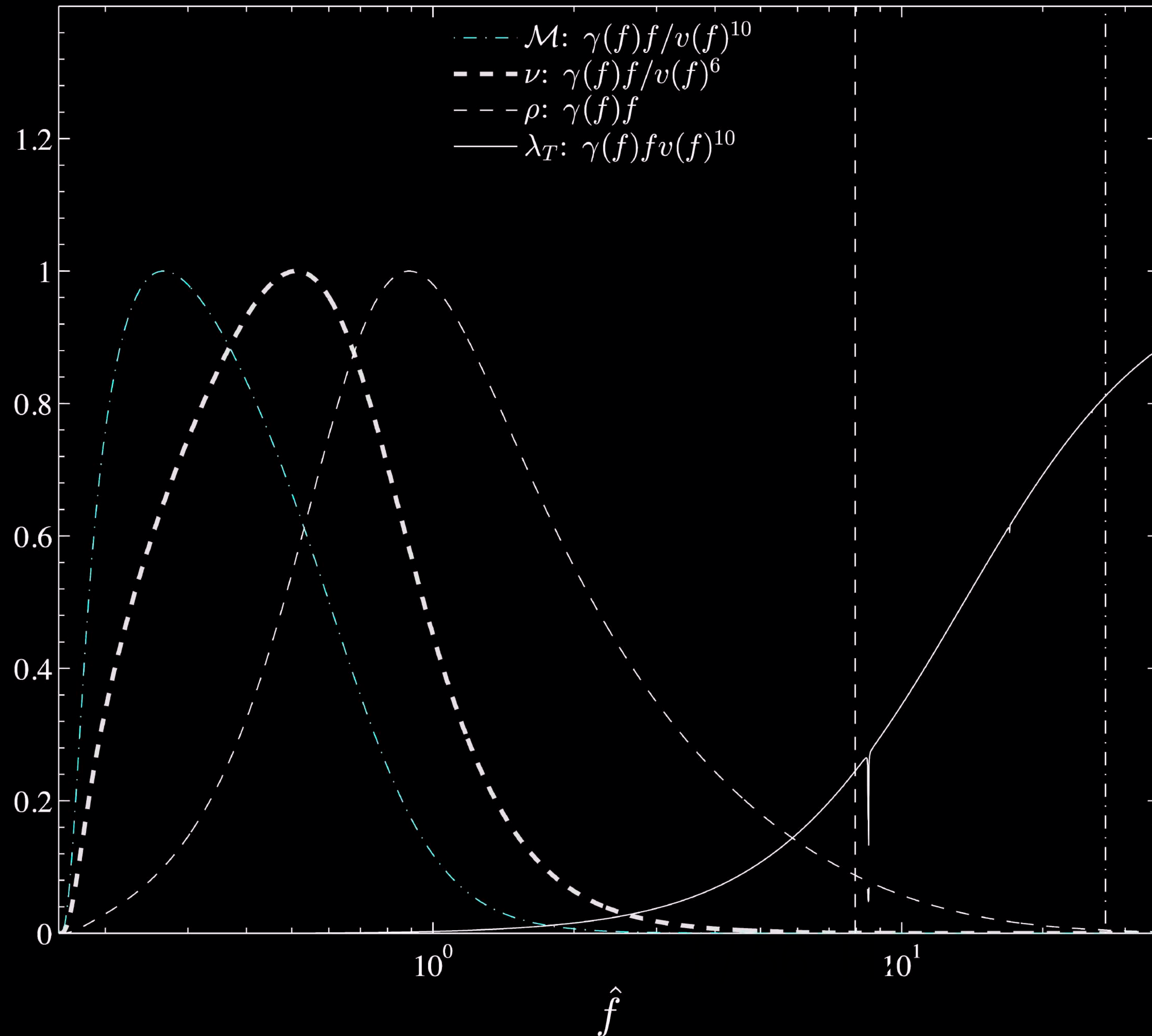
$$\mathcal{M} = \frac{(m_1 m_2)^{3/5}}{(m_1 + m_2)^{1/5}} \quad \eta = \frac{(m_1 m_2)}{(m_1 + m_2)^2}$$

Tidal effects enter the post-Newtonian gravitational-wave phase as

$$\lambda \equiv -\frac{Q_{ij}}{\mathcal{E}_{ij}} \quad \Lambda \equiv \frac{\lambda}{m^5} = \frac{2}{3} k_2 \left(\frac{Gm}{Rc^2} \right)^{-5}$$

$$\tilde{\Lambda} = \frac{16}{13} \frac{(12q + 1)\Lambda_1 + (12 + q)q^4\Lambda_2}{(1 + q)^5}$$

$$q = m_2/m_1 \leq 1$$



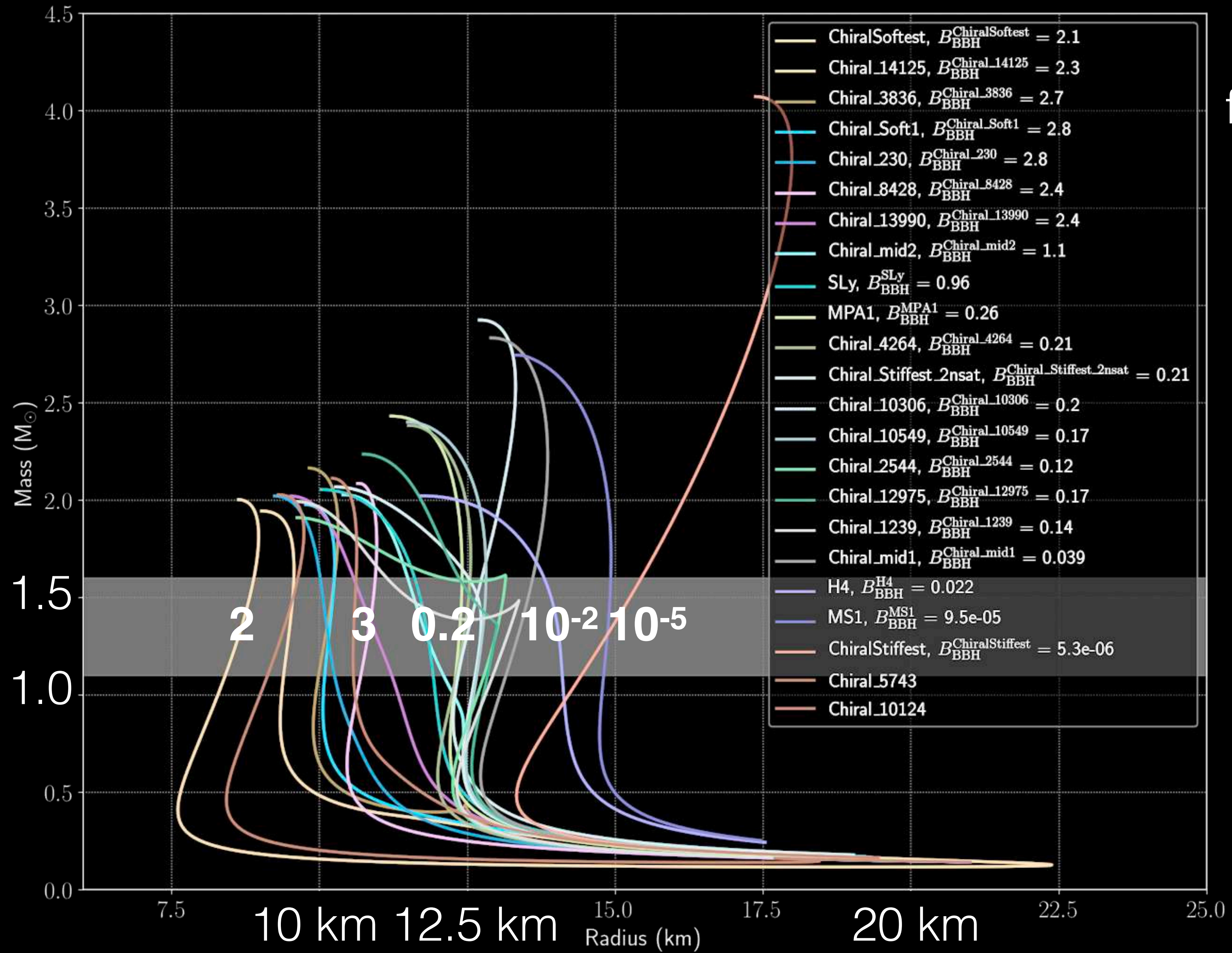
$$\gamma(f) df \equiv \frac{df f^{-7/3} / S_n(f)}{\int df f^{-7/3} / S_n(f)}$$

Information about chirp mass
and mass ratio come from
lower frequencies

Tidal information comes from
late inspiral signal

Tidal information not strongly
degenerate with other parameters

- Does the gravitational-wave signal show evidence for finite size effects?
- Use Bayesian inference to decide
- Model the waveform with and without the tidal deformability
- Compute the Bayes factor comparing GW170817 against two models (BBH and BNS)

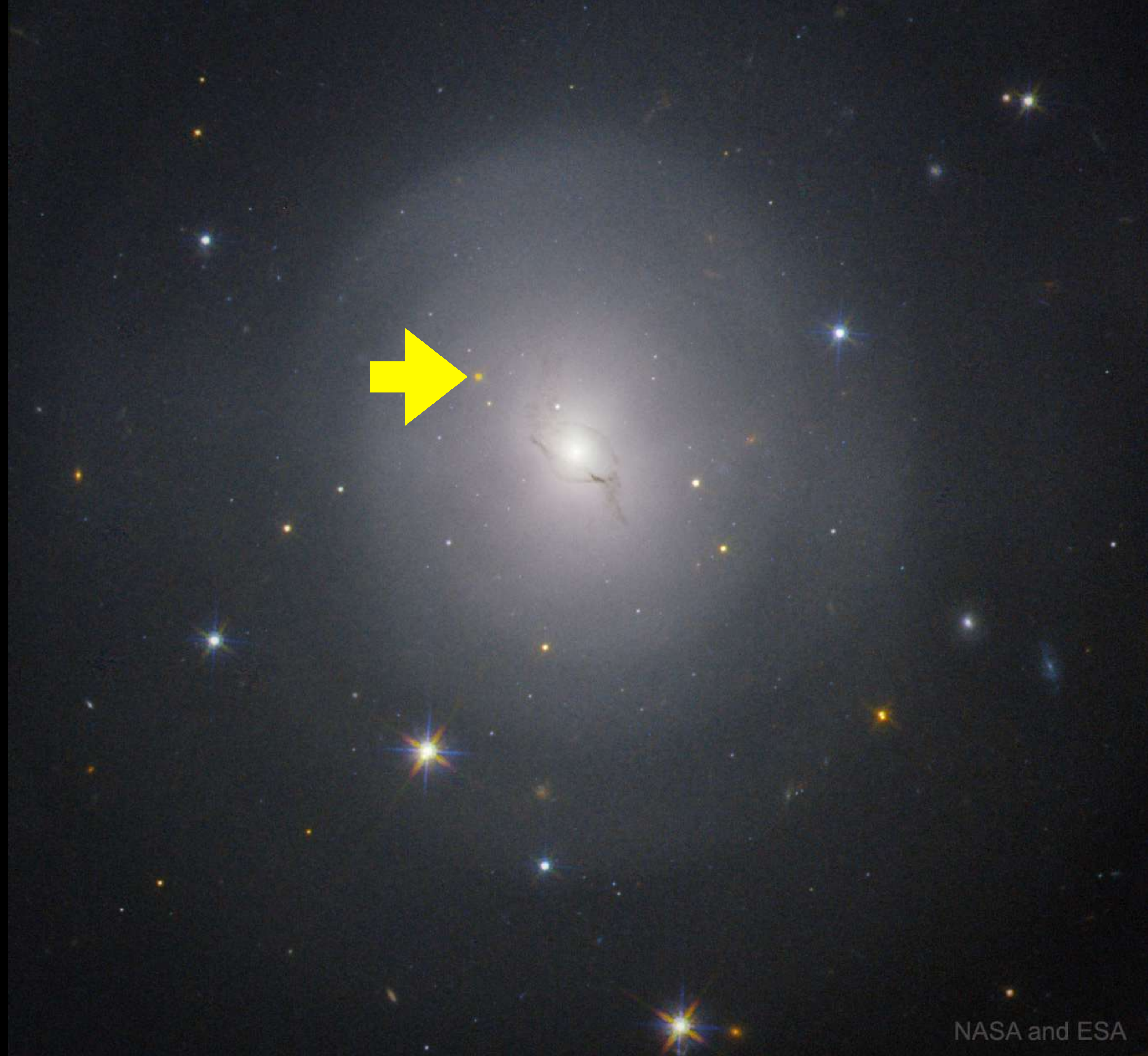


Calculate Bayes factor for specific EOS vs BBH

Only the stiffest EOS are ruled out at high confidence

Soft EOSes and black holes are all consistent with GW170817

But black holes are... black!

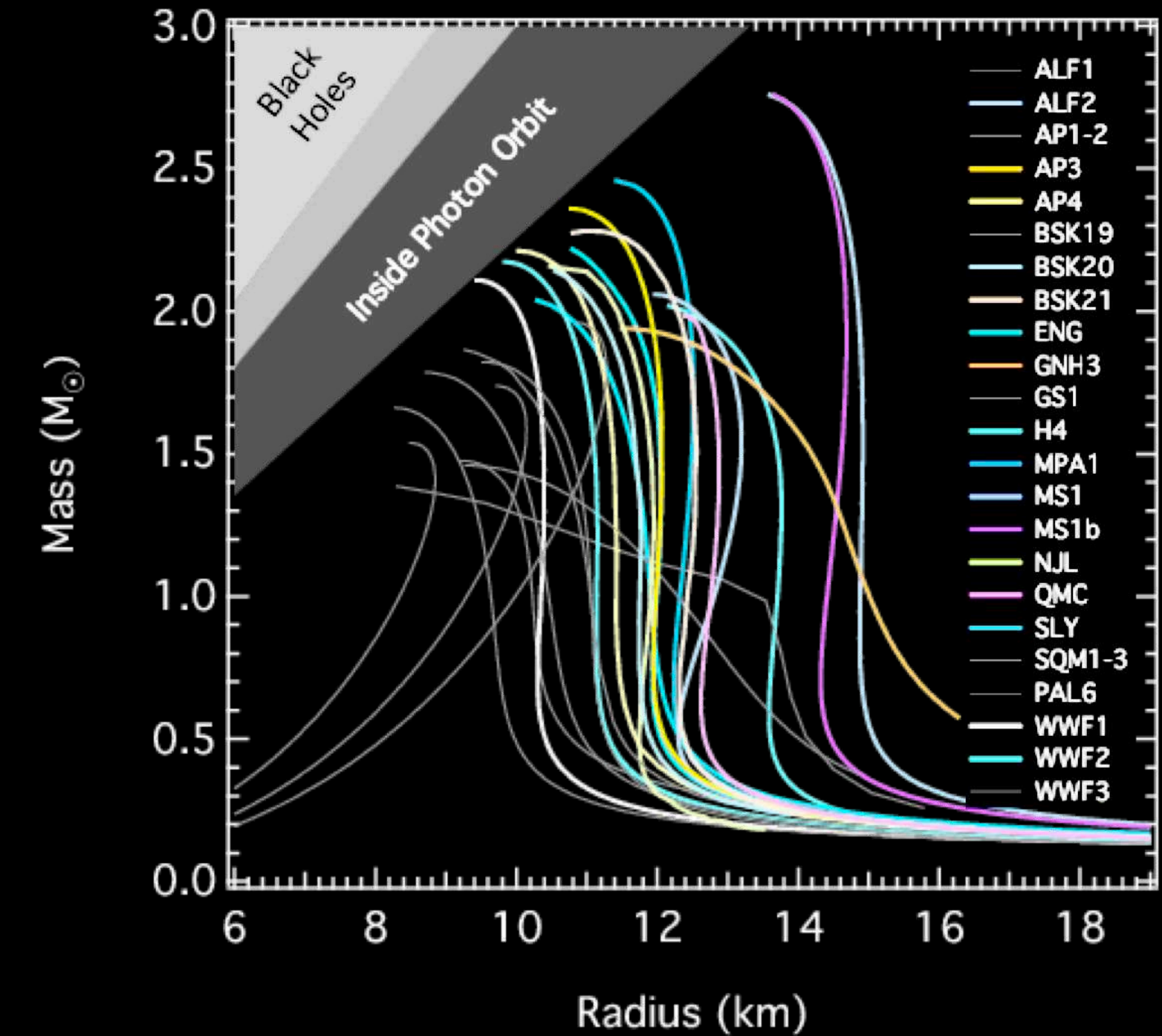


Analyses of Gravitational-Wave Observations

- **Agnostic to neutron star's equation of state:**
 - Abbott et al. PRL **119**, 161101 (2017)
 - Abbott et al. PRX **9**, 011001 (2019)
 - Dai, Venumadhav, Zackay arXiv:1806.08793
- **Analyses with a constraint on the equation of state:**
 - De, Finstad, Lattimer, DAB, Berger, Biwer. PRL **121**, 091102 (2018)
 - Abbott et al. PRL **121**, 161101 (2018)
 - Radice and Dai. Eur. Phys. J. A **55** 50 (2019)
 - Capano, ..., DAB, et al. Nature Astronomy **4**, 625 (2020)

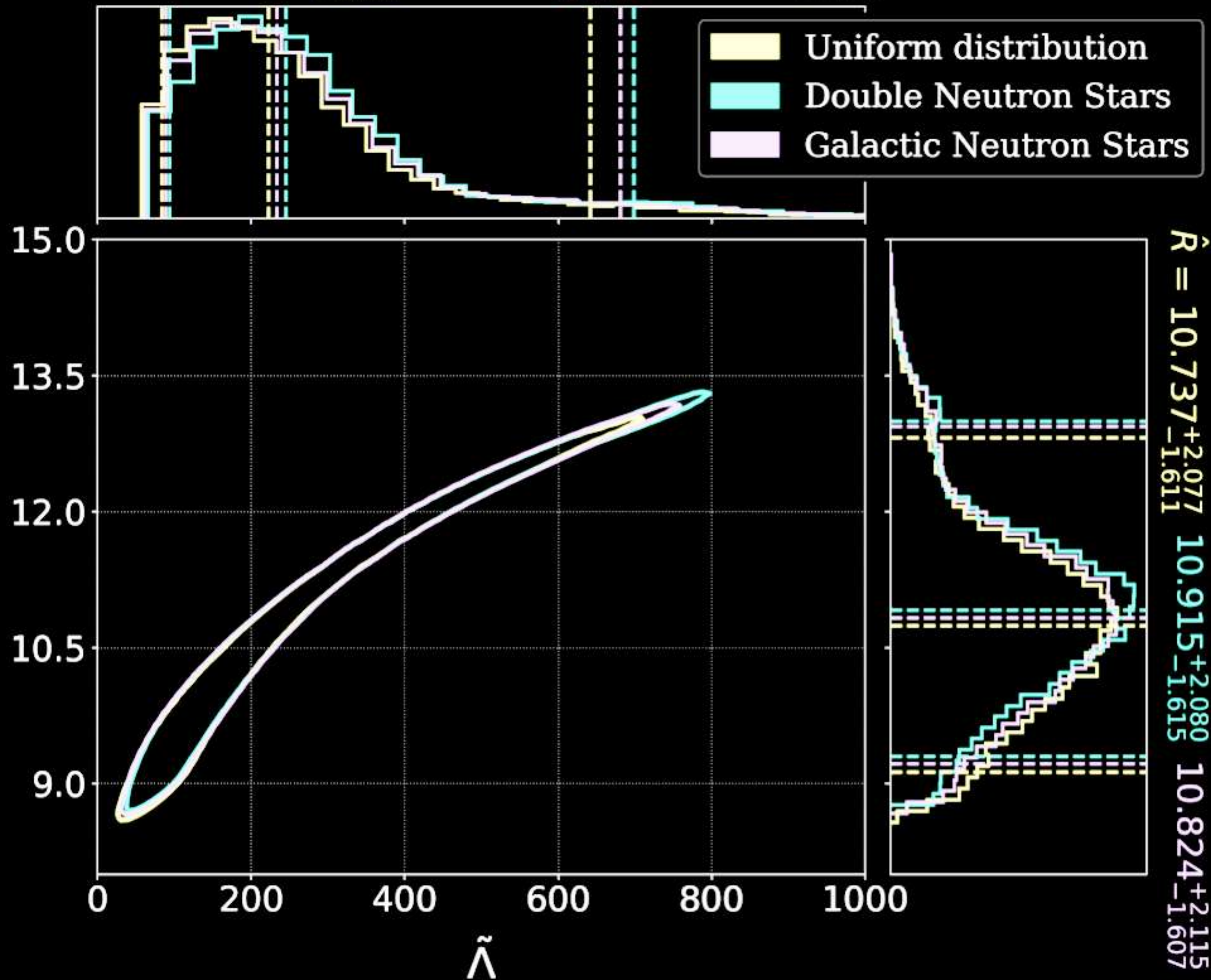
- For nearly every specific EOS in the mass range relevant to GW170817 [1.1, 1.6] solar masses, change in radius is very small

$$\langle \Delta R \rangle \equiv \langle R_{1.6} - R_{1.1} \rangle = -0.070 \text{ km}$$



- Common EOS constraint $\hat{R} \equiv R_1 \approx R_2$ $\Lambda_1 = q^6 \Lambda_2$

$$\tilde{\Lambda} = 222.29^{+419.83}_{-138.48} \quad 245.39^{+453.12}_{-151.53} \quad 233.39^{+447.55}_{-144.40}$$

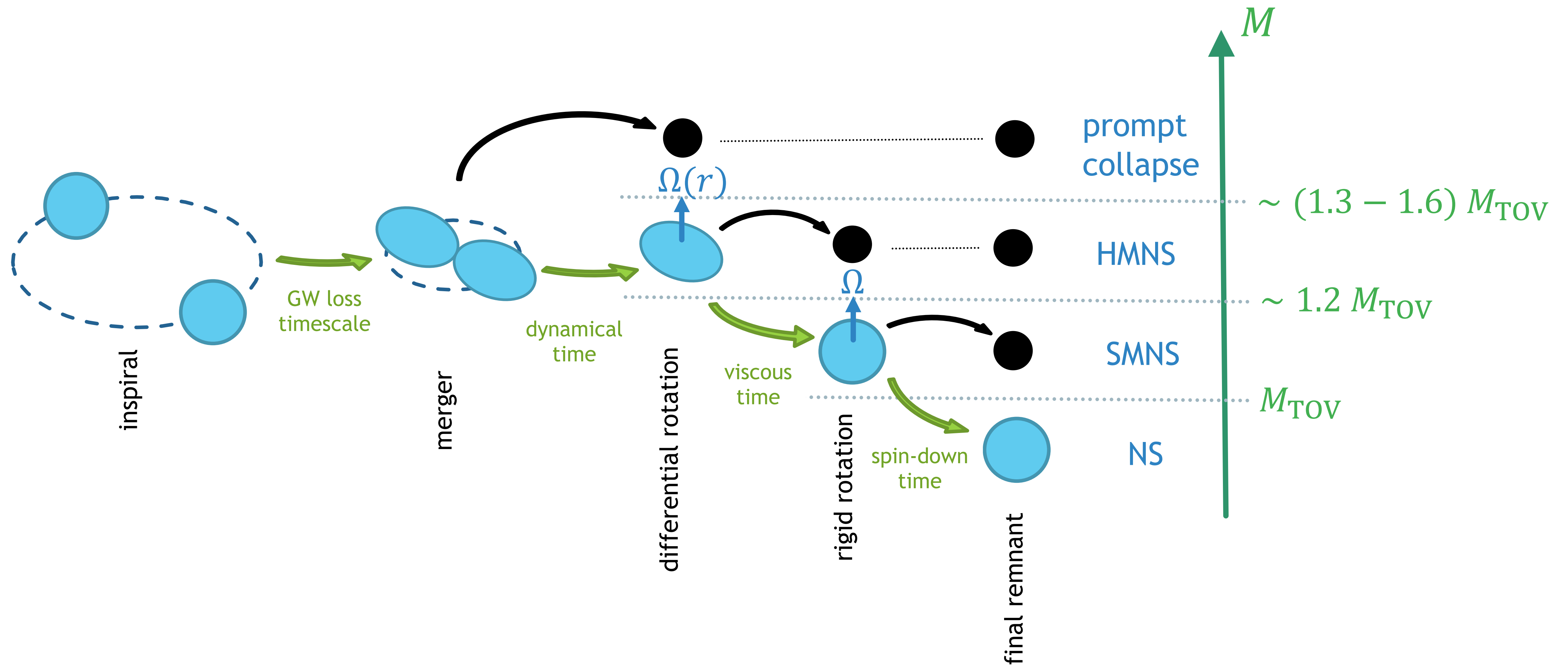


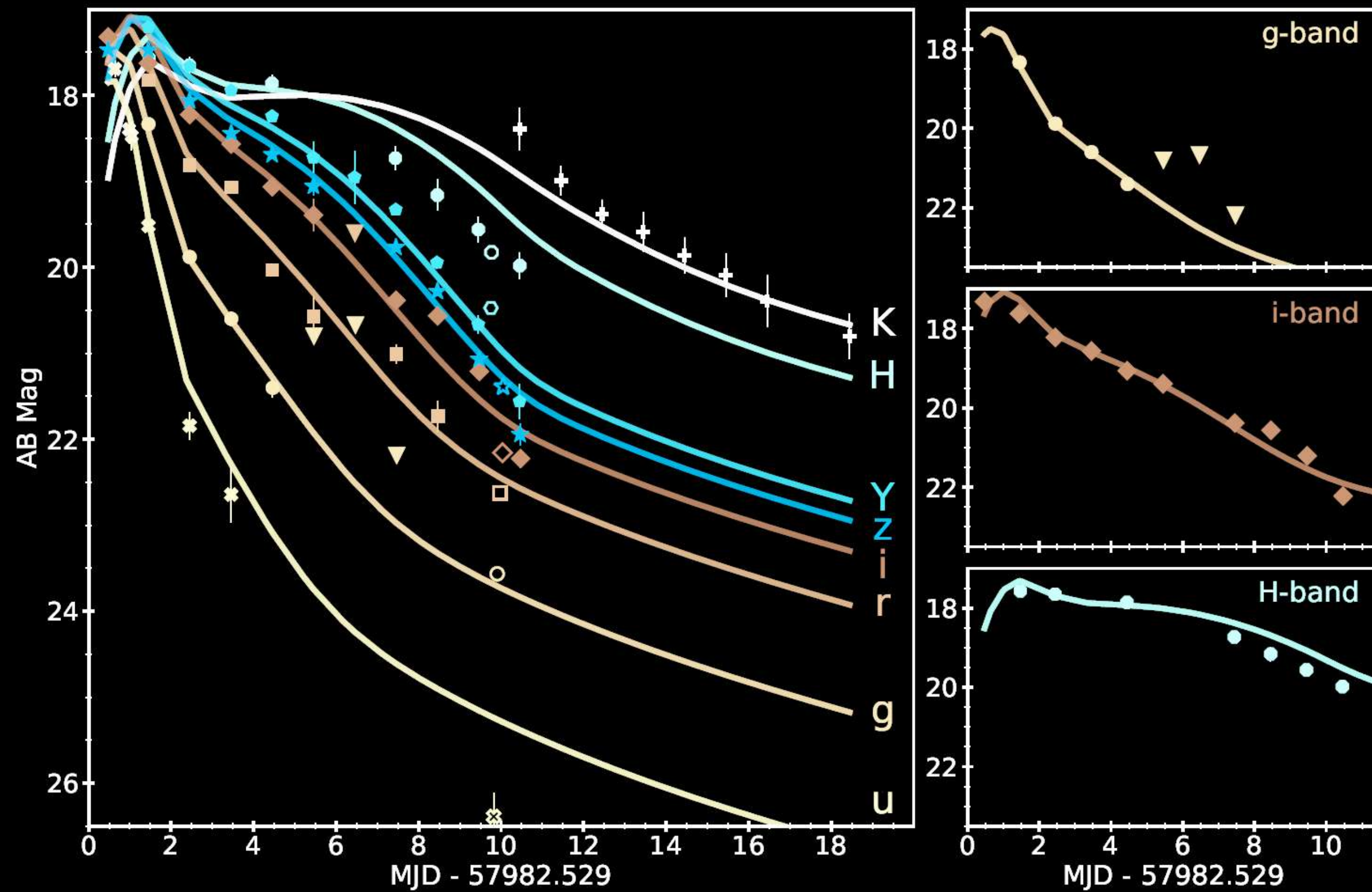
$$\langle \hat{R} \rangle = 10.8 \text{ km}$$

$$8.9 \leq \hat{R} \leq 13.2 \text{ km}$$

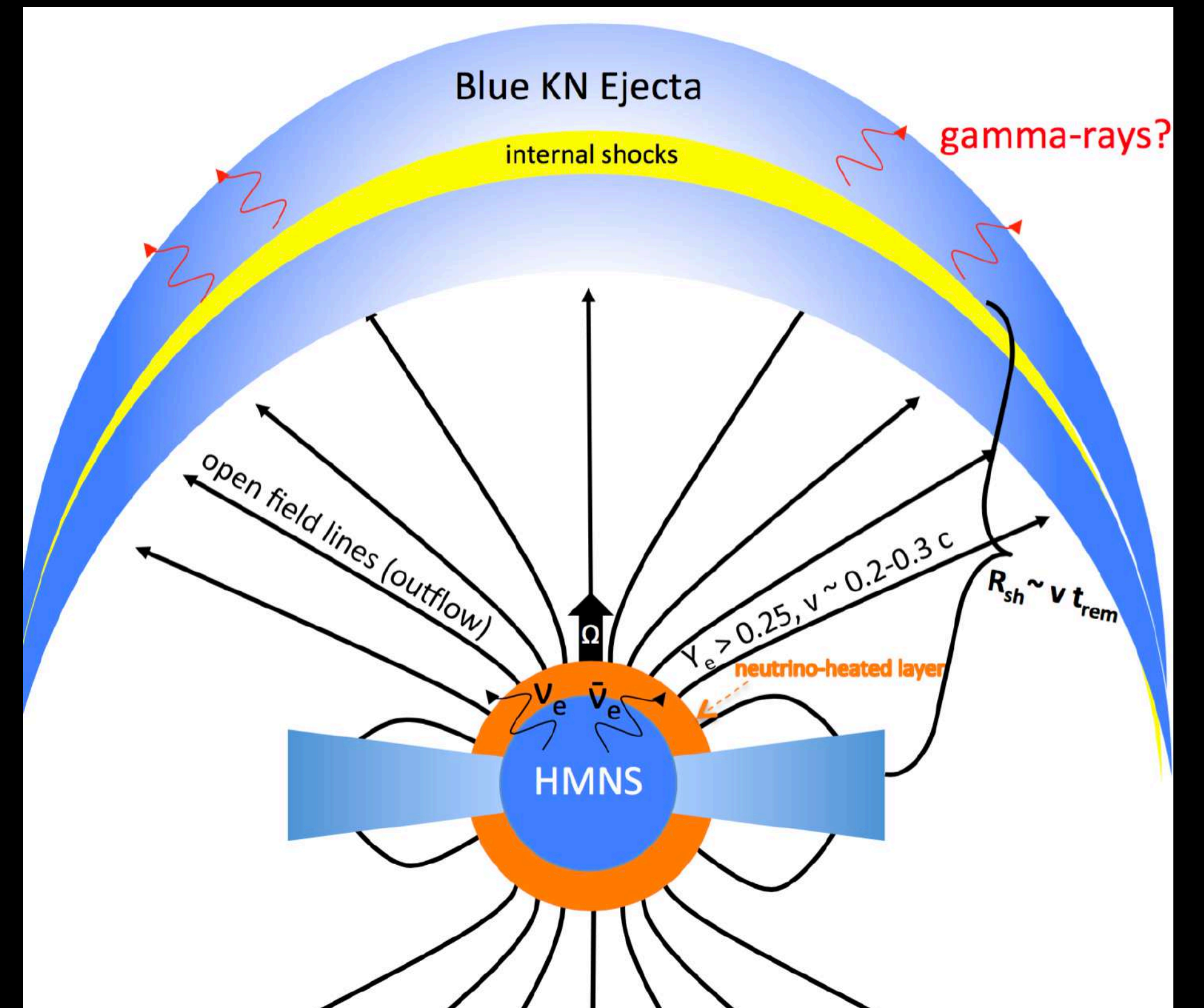


Soumi De





Cowperthwaite, ..., DAB et al. ApJ **848** L17 (2017)



Metzger, Thompson, Quataert ApJL **856** 101 (2018)

Kilonova light curves suggest the existence of a hyper massive neutron star

Remnant cannot be massive enough to directly collapse to black hole

The merger remnant also places a constraint on the maximum neutron star mass

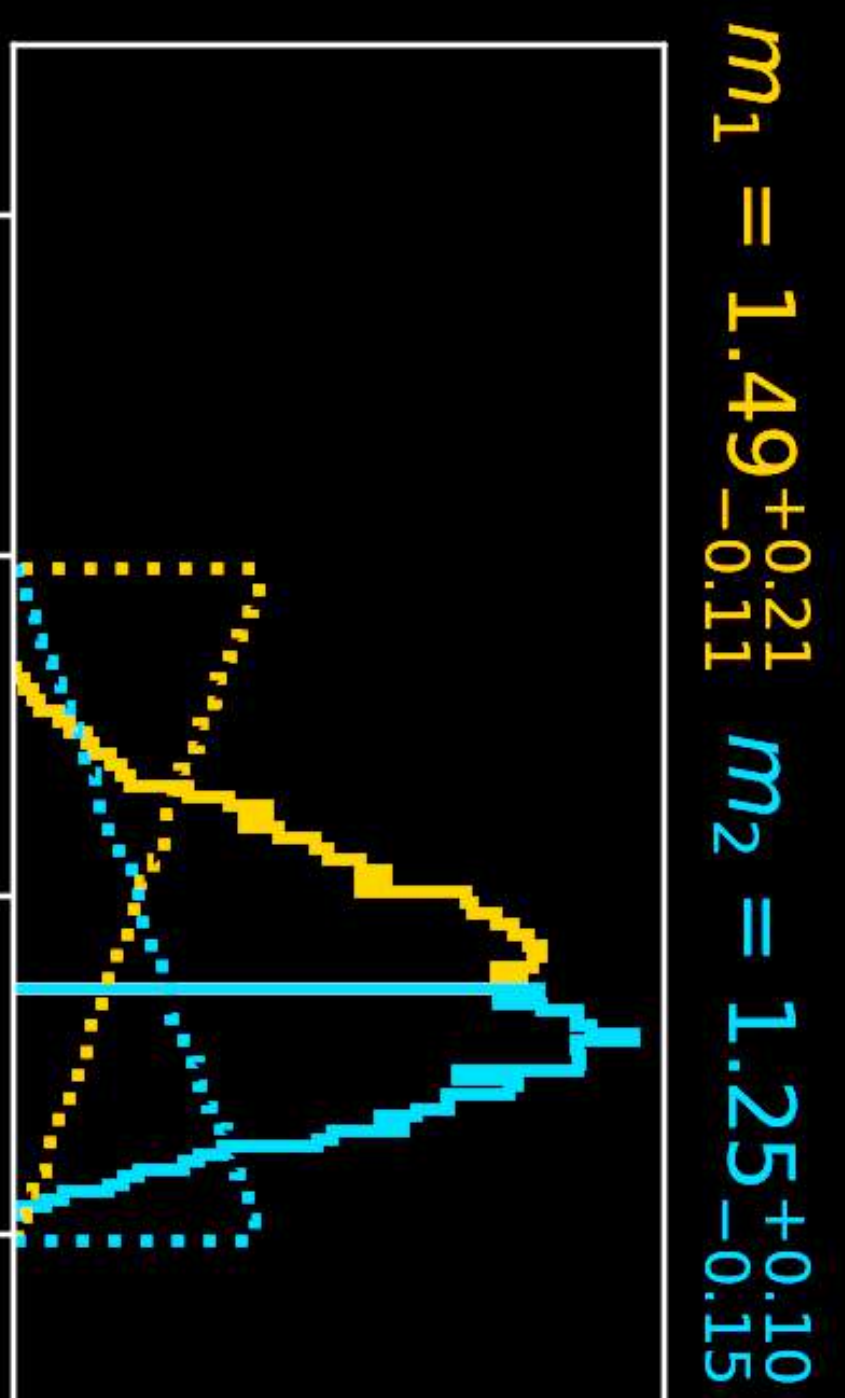
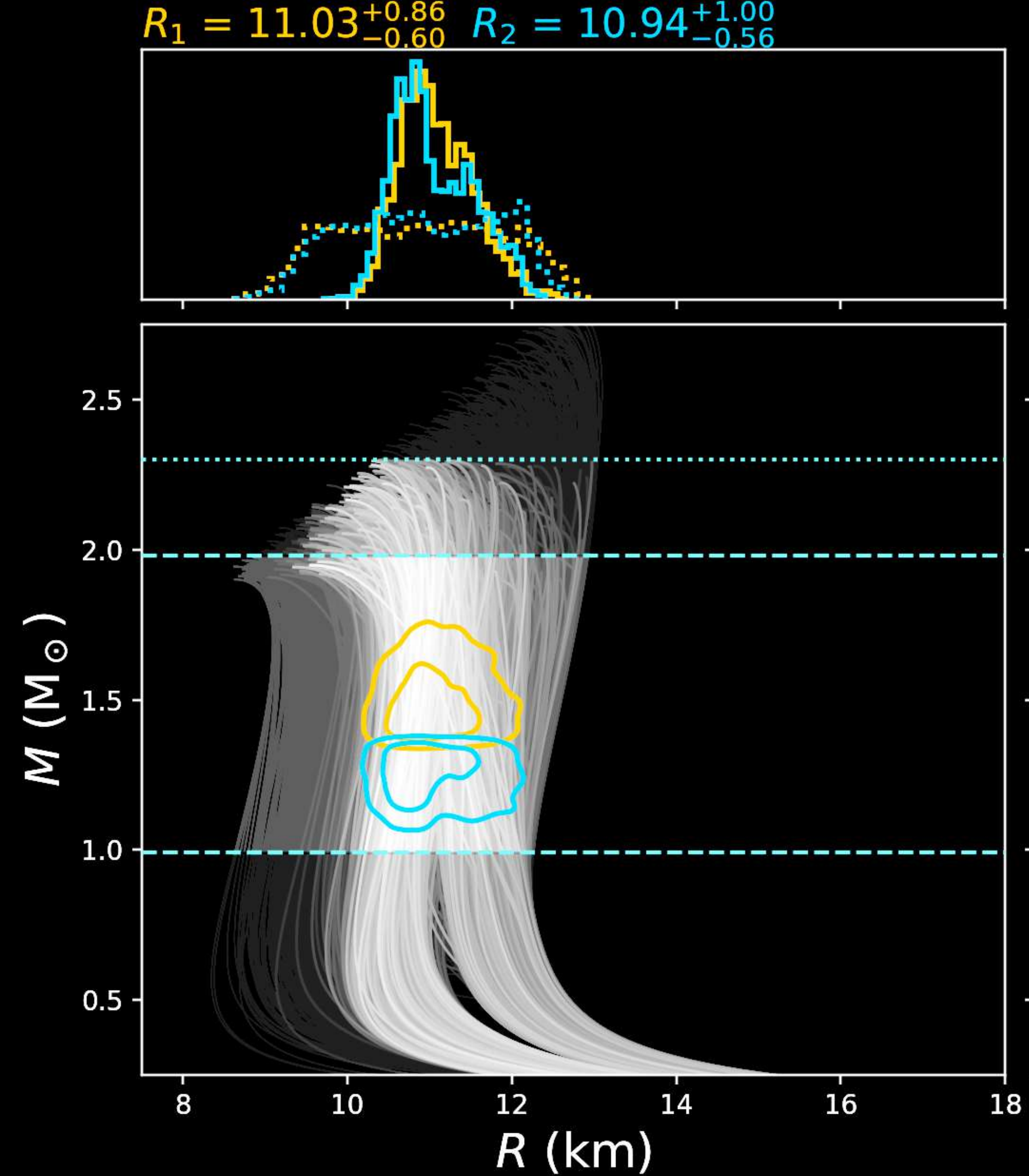
The remnant NS cannot be long lived, or there would be **too much** energy in the EM observantion

$$M_{\max} \leq 2.17M_{\odot} \text{ (90\%)}$$

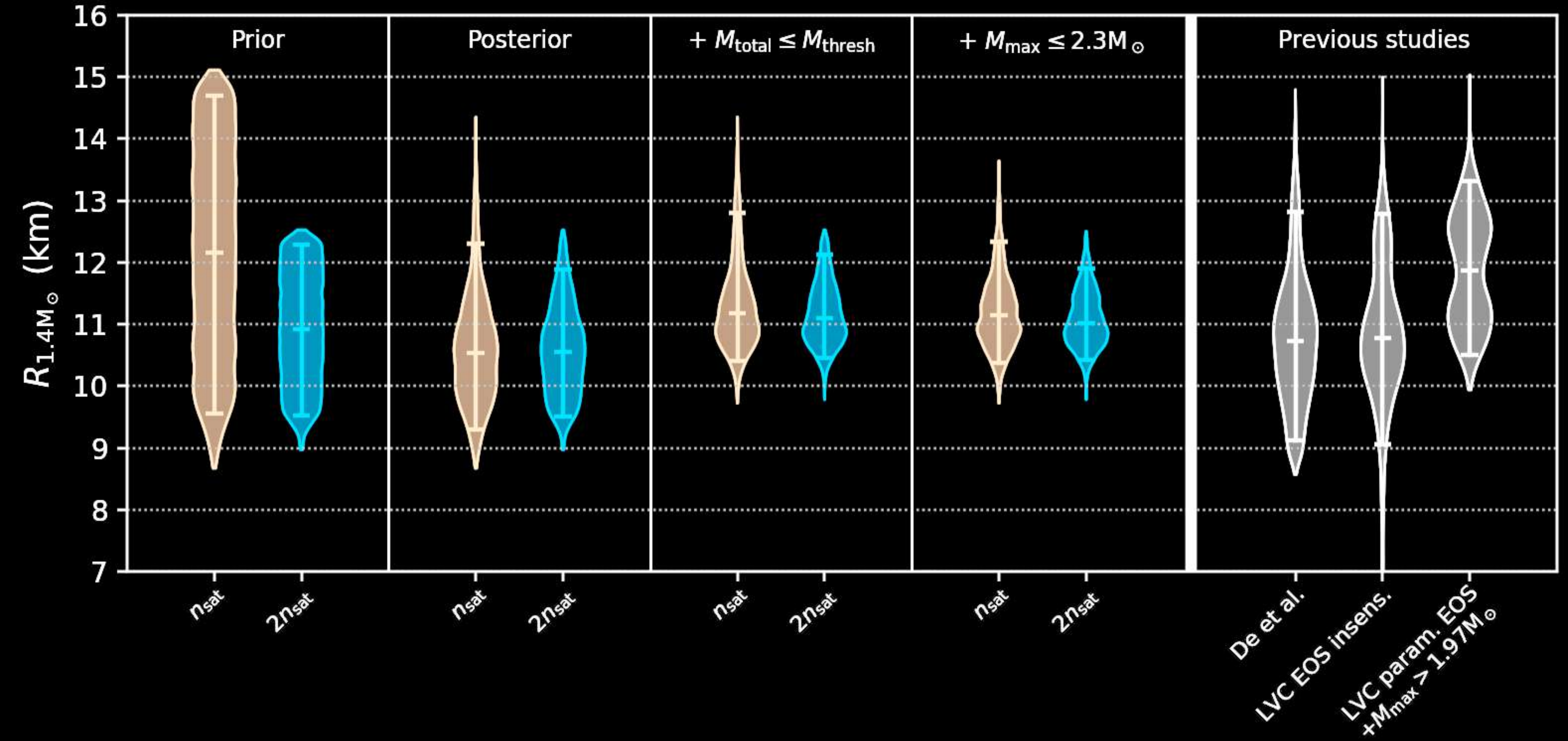
- Construct physically plausible EOS using Chiral Effective Field Theory calibrated against nuclear experiments
- Directly marginalize over EOS using GW observations
- Apply constraint that the merger remnant did not immediately collapse to black hole from Bauswin et al. PRL **111**, 131101 (2013)
- Apply constraints on maximum neutron star mass from Rezzolla et al. ApJ Lett. **852**, L25 (2018)

Lynn et al. arXiv:1901.04868, Machleidt and Entem, Phys. Rept. **503** 1 (2011)

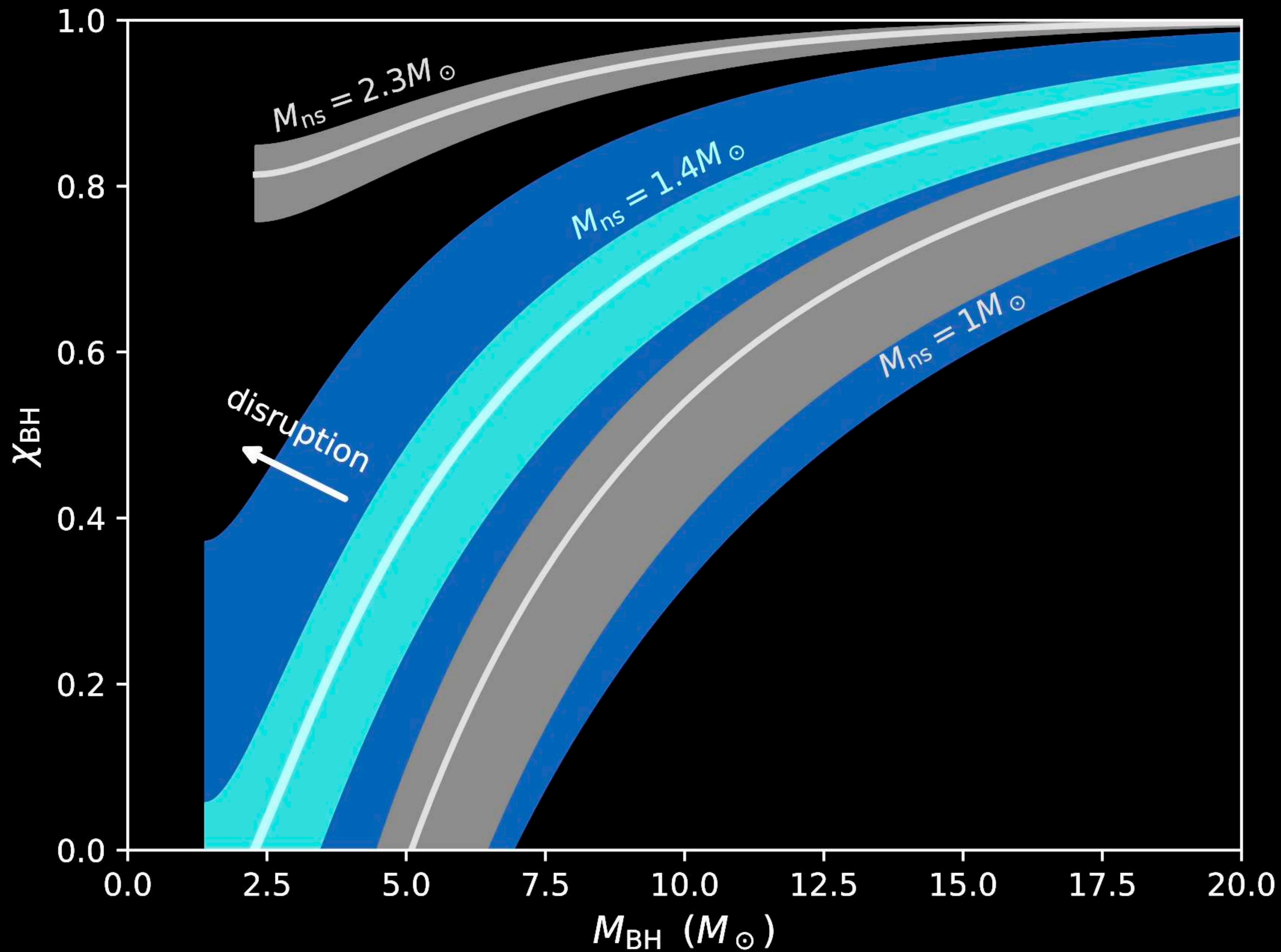
Capano, Tews, Brown, De, Margalit, Kumar, DAB, Krishnan, Reddy, Nature Astron. **4**, 625 (2020)



Collin Capano

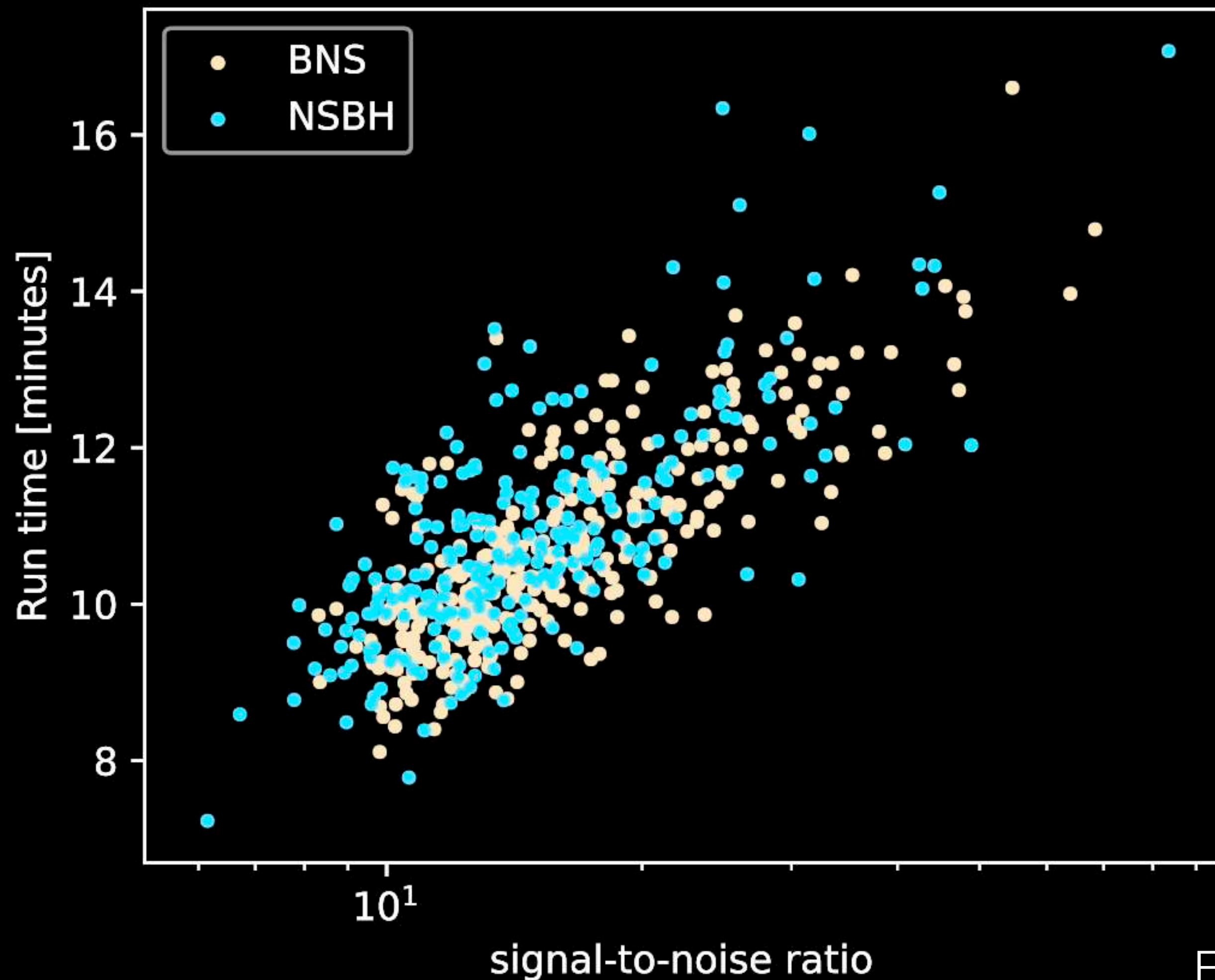


- Use the constraints on the neutron star radius to determine tidal disruption in a neutron-star black-hole merger
- Electromagnetic counterpart is only expected if the neutron star disrupts before merger



NSBH mergers
are unlikely to
produce EM
counterparts

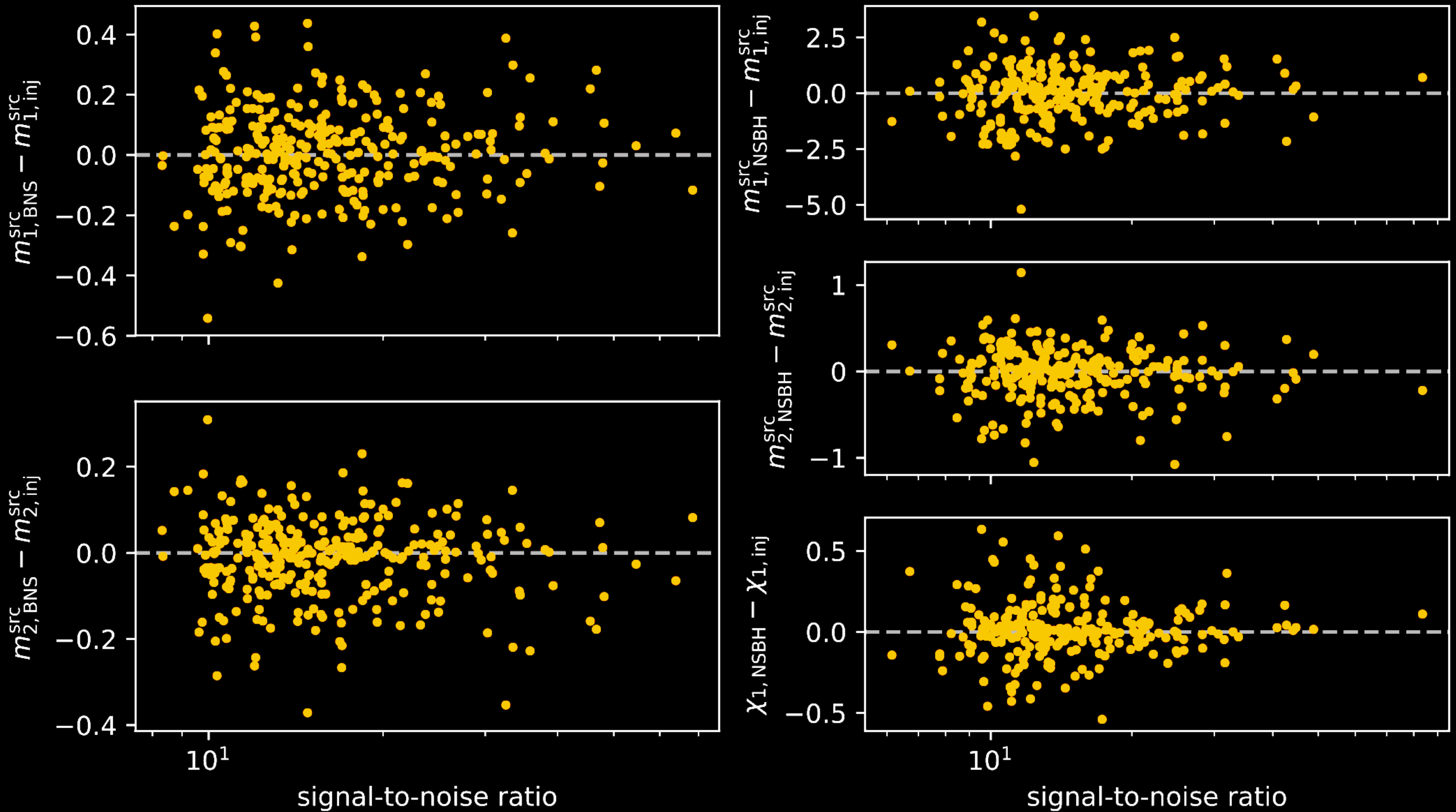
Generalize rapid parameter measurement method of Zackay et al. (2018)
(originally proposed by Cornish) to coherent network statistic



Possible to run full parameter estimation for BNS and NSBH in less than 20 mins from detection

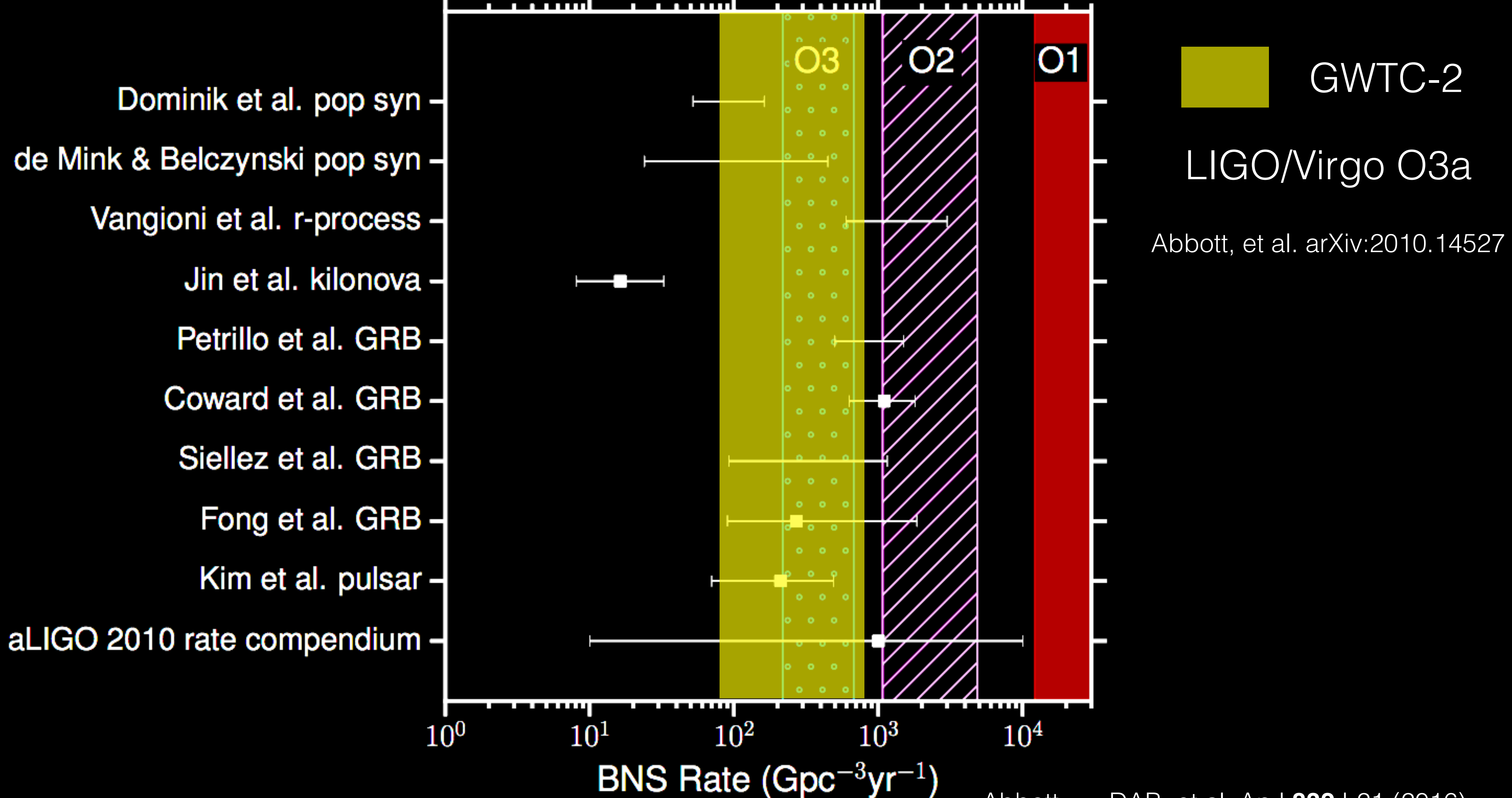


Daniel Finstad



GW190425

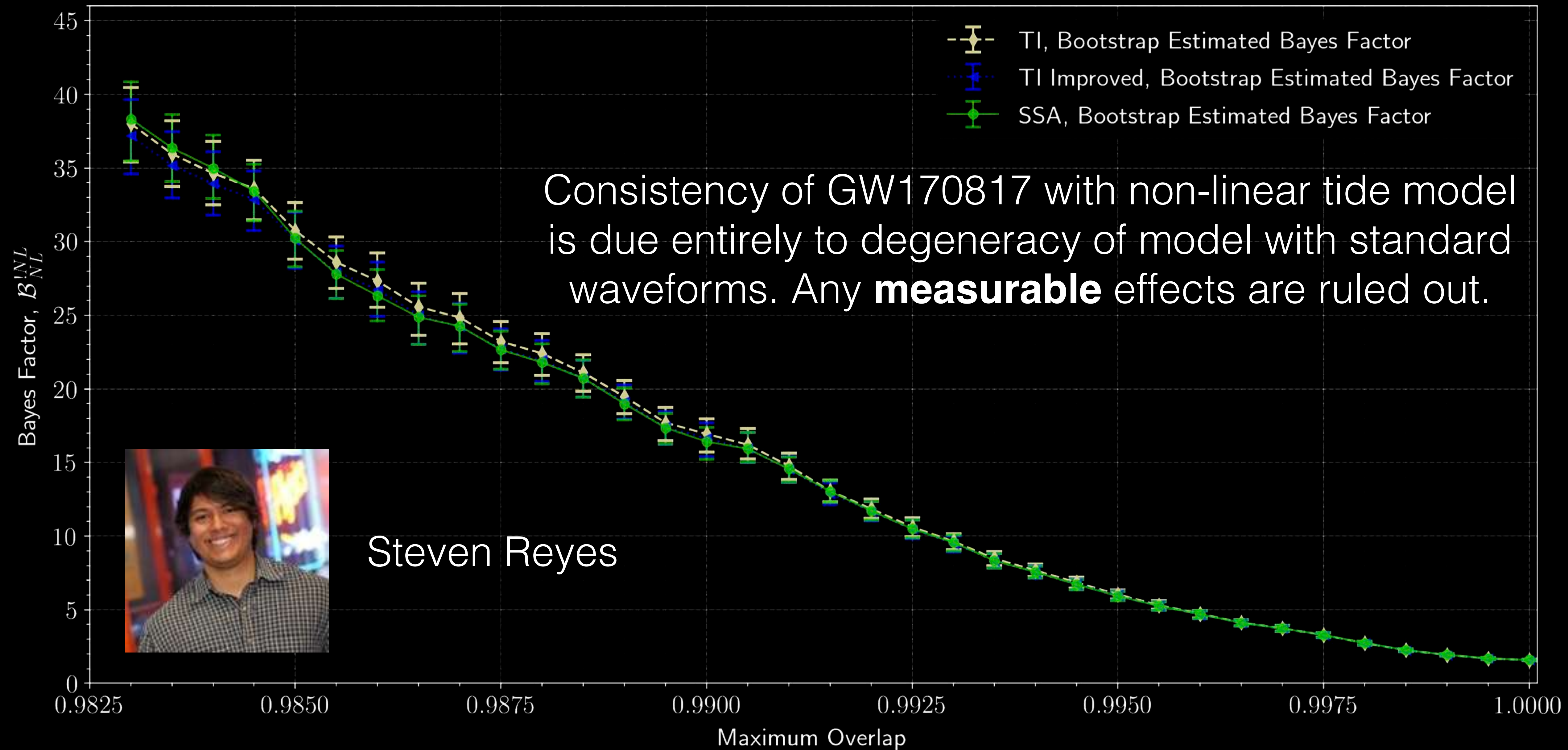
- Single detector event, so no EM counterpart
- Total mass $\sim 3.4 M_{\text{sun}}$ is much larger than GW170817
- $D \sim 160 \text{ Mpc}$
- However, GW signal is weaker than GW170817...consistent with BNS, NSBH, and BBH models



Abbott, ..., DAB, et al. ApJ **832** L21 (2016)
 Abbott, ..., DAB et al. PRL **119** 161101 (2017)

Non-linear tides

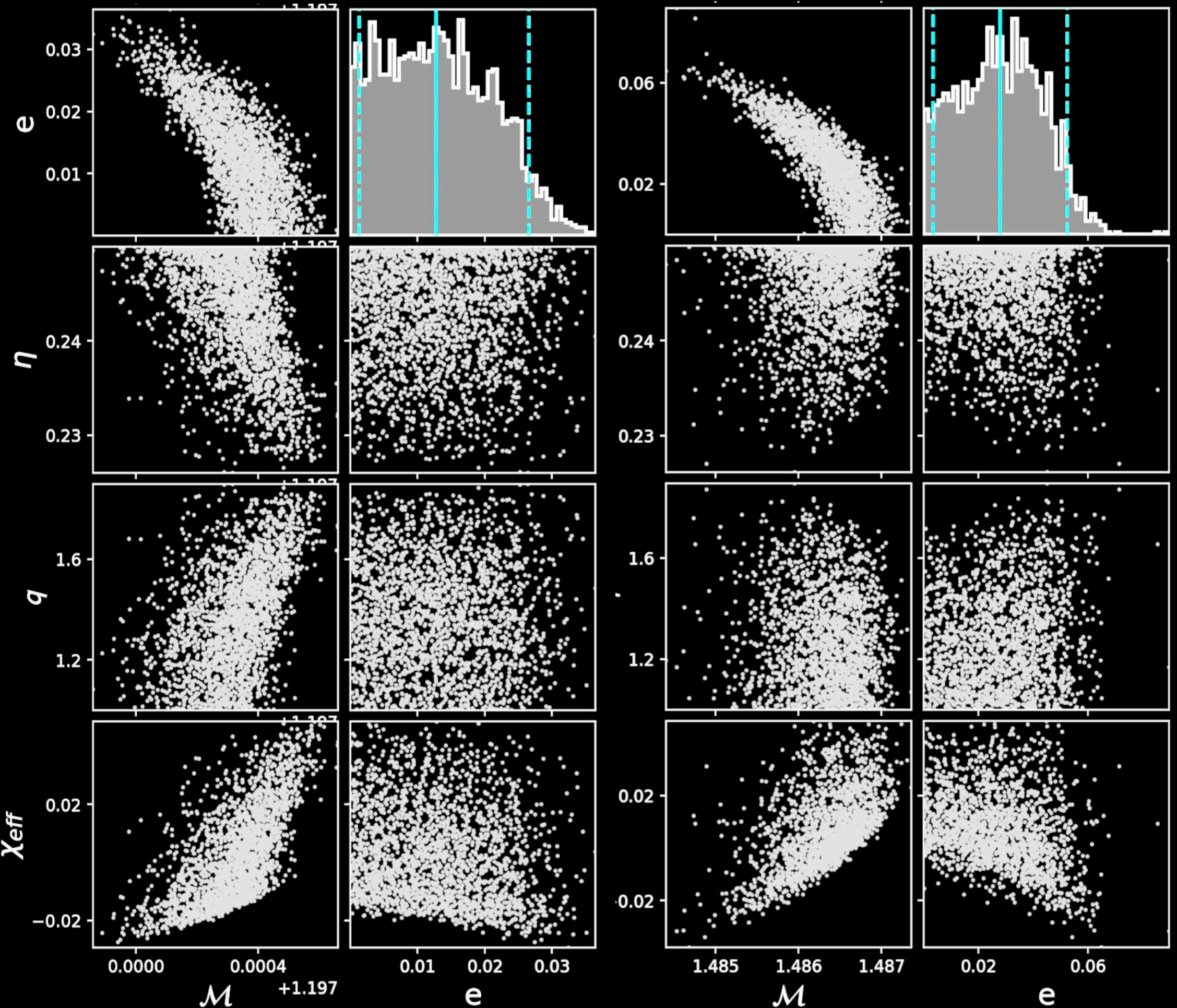
- Energy from the inspiral can couple into interior stellar oscillation modes in neutron stars.
- This can excite a nonlinear, non-resonant instability of p and g modes Weinberg et al. (2013).
- Essick et al. (2016) developed a parametric model for examining p-g mode instabilities in gravitational wave data.
- Abbott et al. [Phys. Rev. Lett. 122, 061104 (2019)] show that the GW170817 is consistent with a signal that neglects p-g mode tides.



Eccentric Binaries

If the binary's orbit is eccentric rather than circular then this will change the gravitational waves radiated. See e.g. Moore and Yunes GQG **36** 185003 (2019)

Use GW170817 and GW190425 to constrain eccentricity



$e \leq 0.024$ (GW170817)
 $e \leq 0.048$ (GW190425)

90% confidence

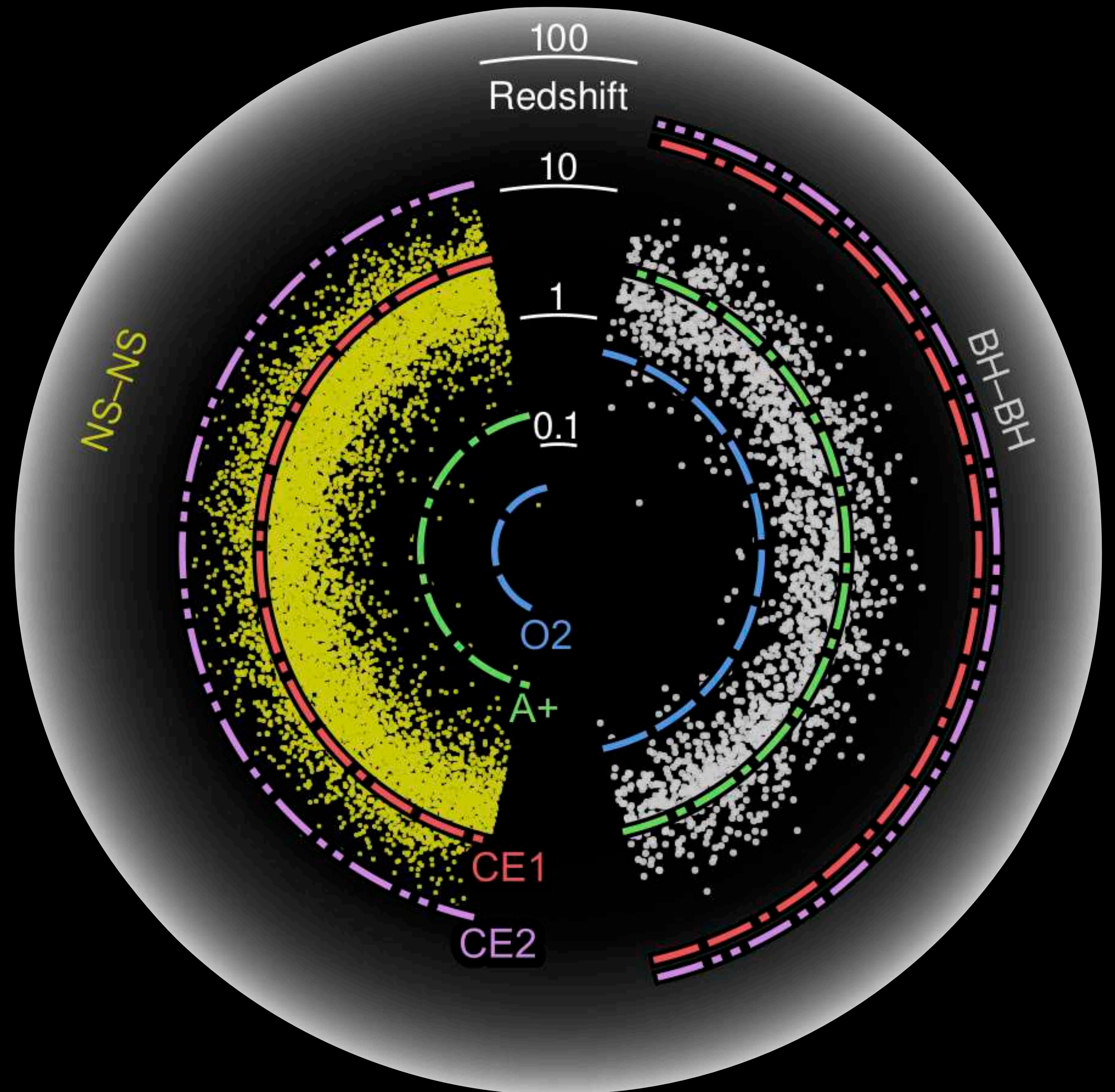


Amber Lenon



Cosmic Explorer

Binary mergers throughout cosmic time

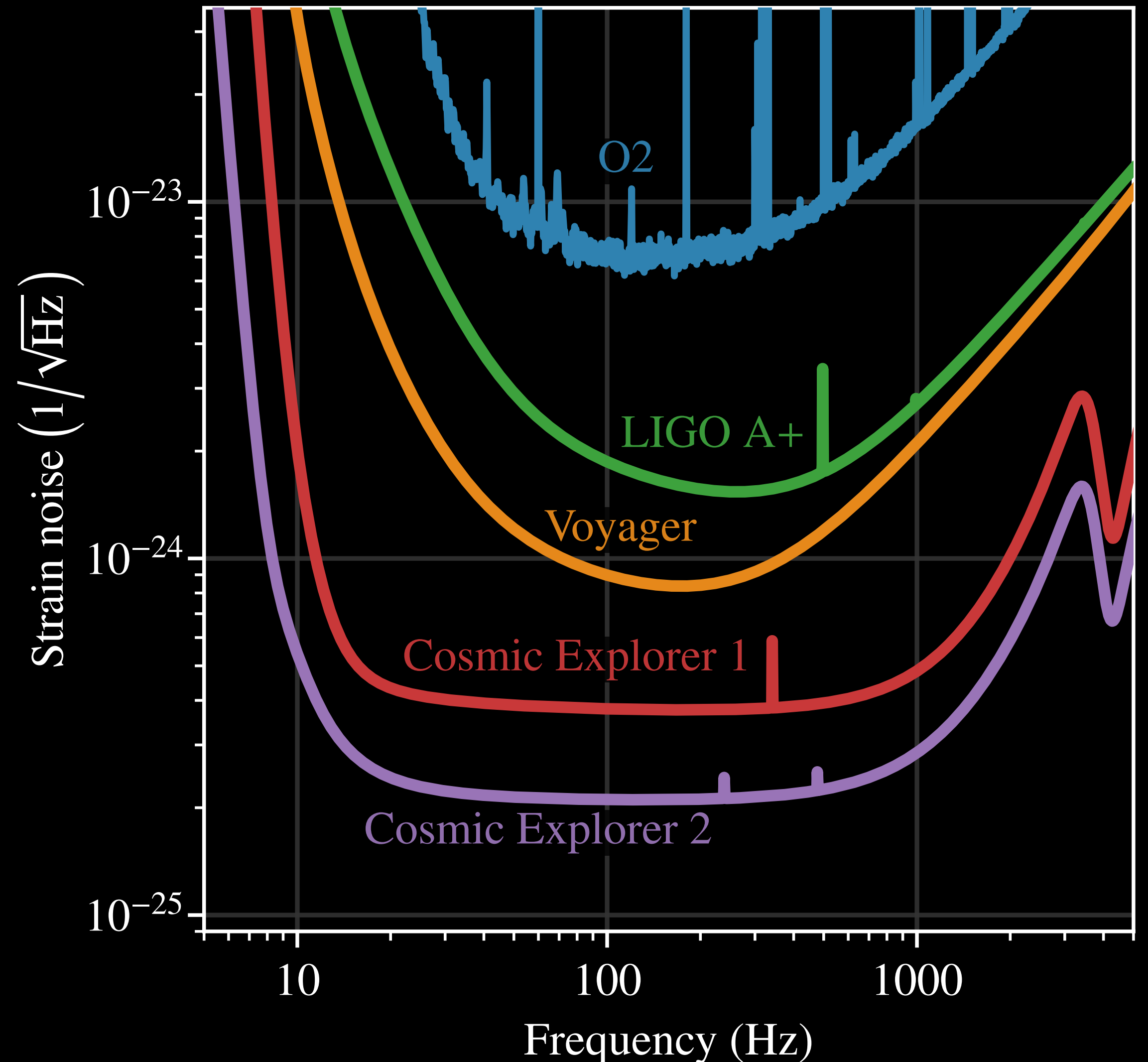


Cosmic Explorer

- Facility: 40km L-shaped detector on Earth's surface
- 14cm wide laser beams, 2 MW laser
- R&D progress needed in optical coatings, quantum noise, thermal compensation
 - Year ~ 2030 and ~ 1B USD

CE1 and CE2: two-stage approach

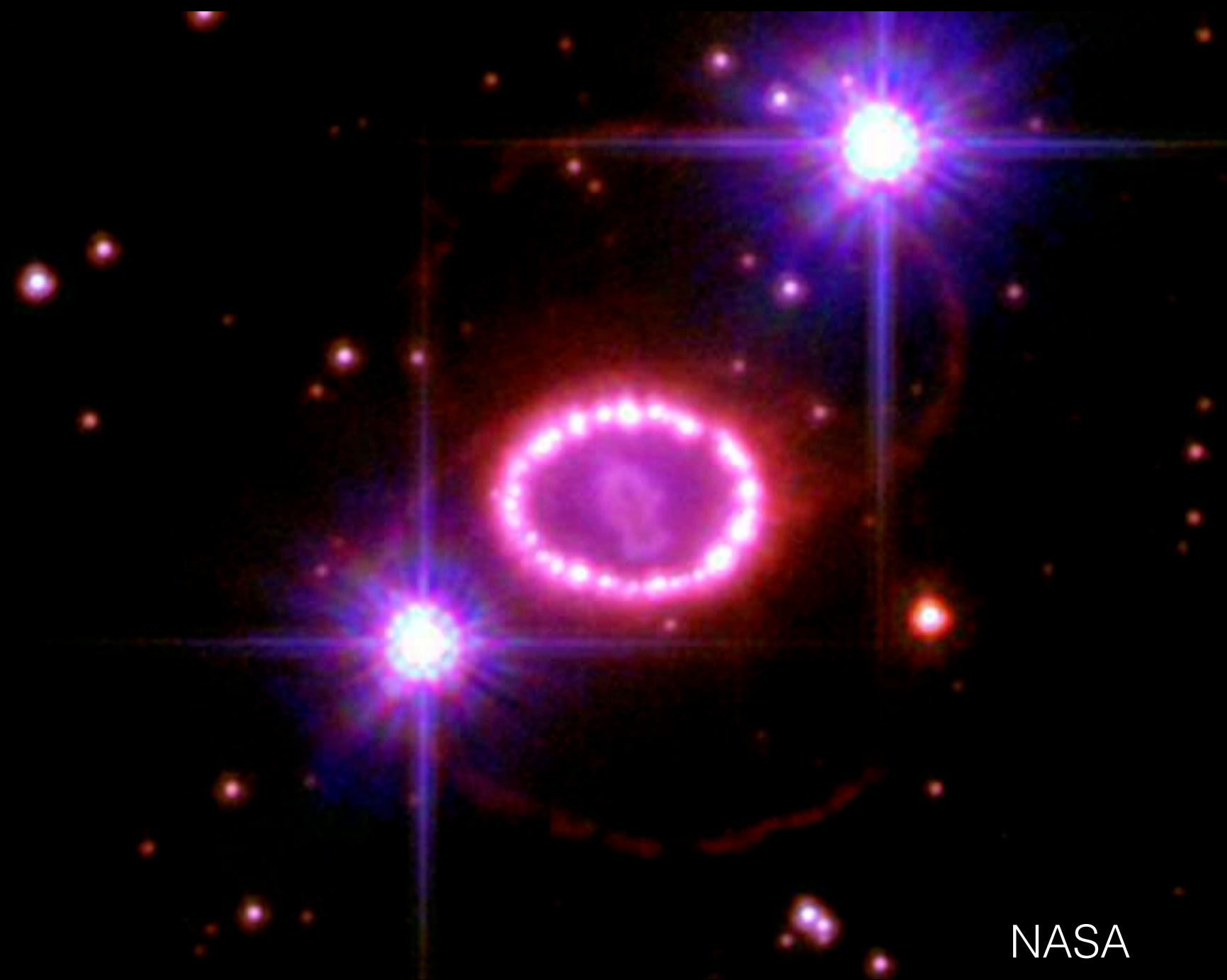
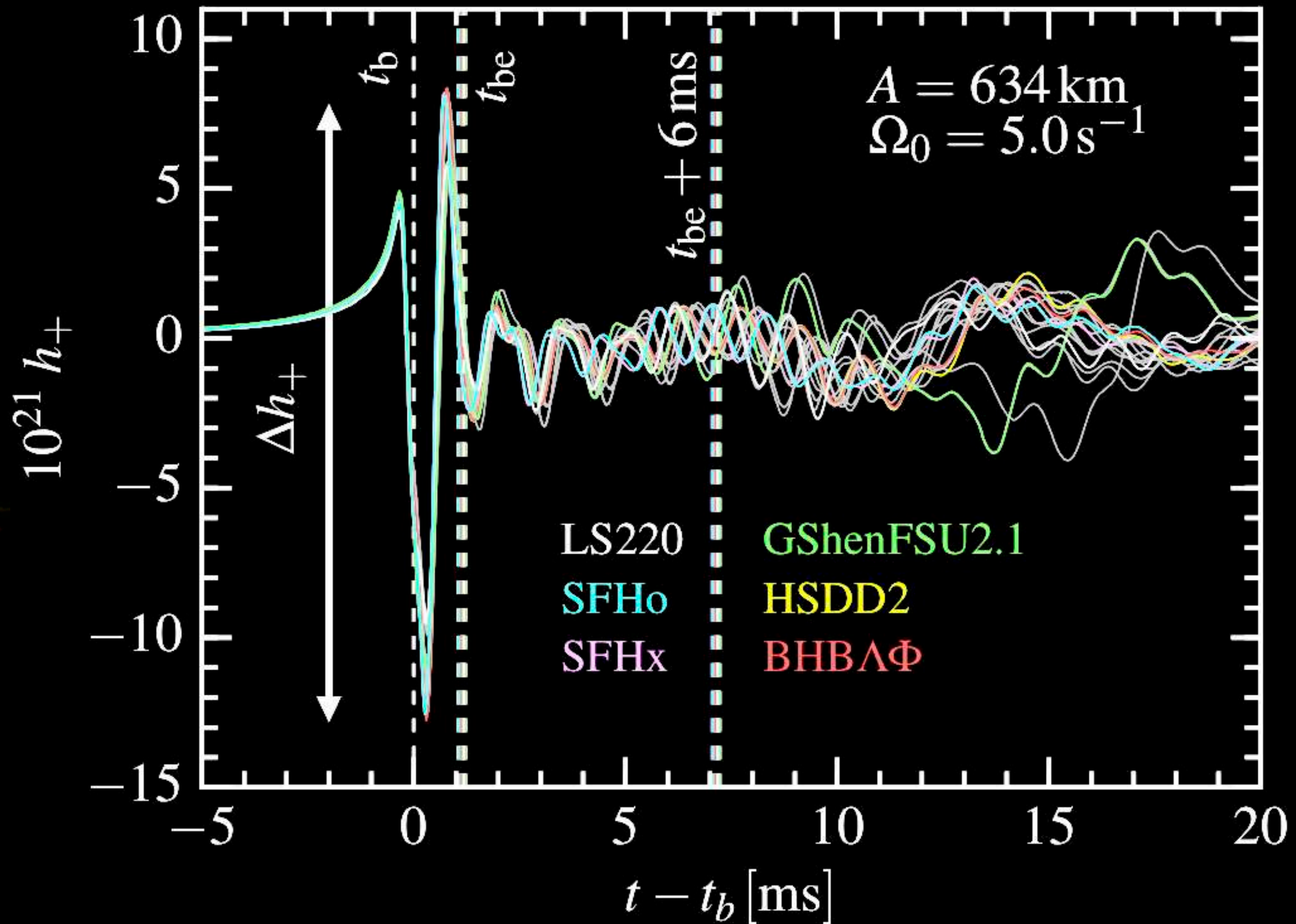
	CE1 2030s, à la aLIGO	CE2 2040s, à la Voyager
Wavelength	1.0 μm	1.5 to 2.0 μm
Temp.	293 K	123 K
Material	glass	silicon
Mass		320 kg
Coating	silica/tantala	silica/aSi
Spot size	12 cm	14 to 16 cm
Suspension	1.2 m fibers	1.2 m ribbons
Arm power	1.4 MW	2.0 to 2.3 MW
Squeezing	6 dB	10 dB



Interested in Cosmic Explorer?

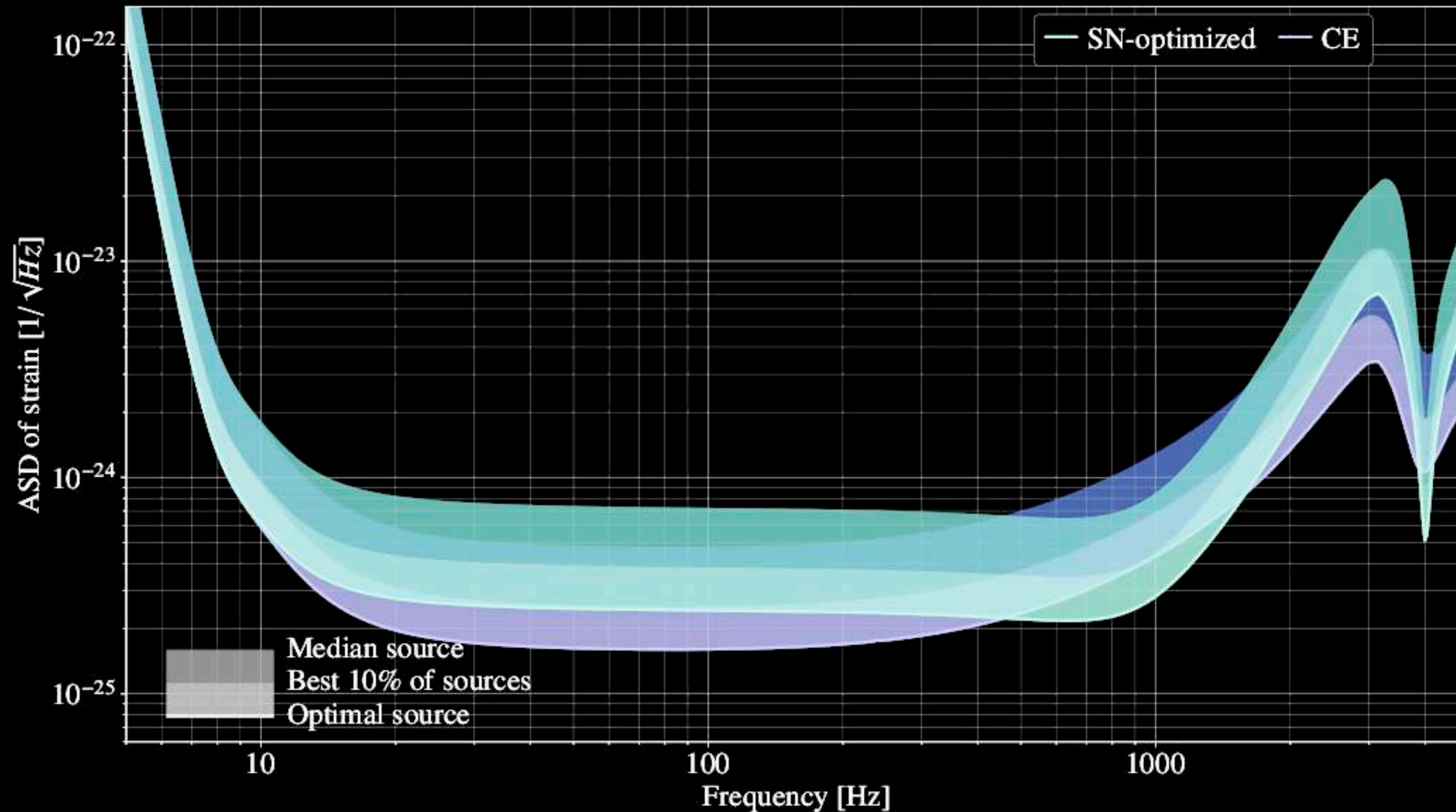
<https://cosmicexplorer.org/consortium.html>

Can we optimize
Cosmic Explorer
to detect
gravitational waves
from core collapse
supernovae?



NASA

Supernovae in Cosmic Explorer



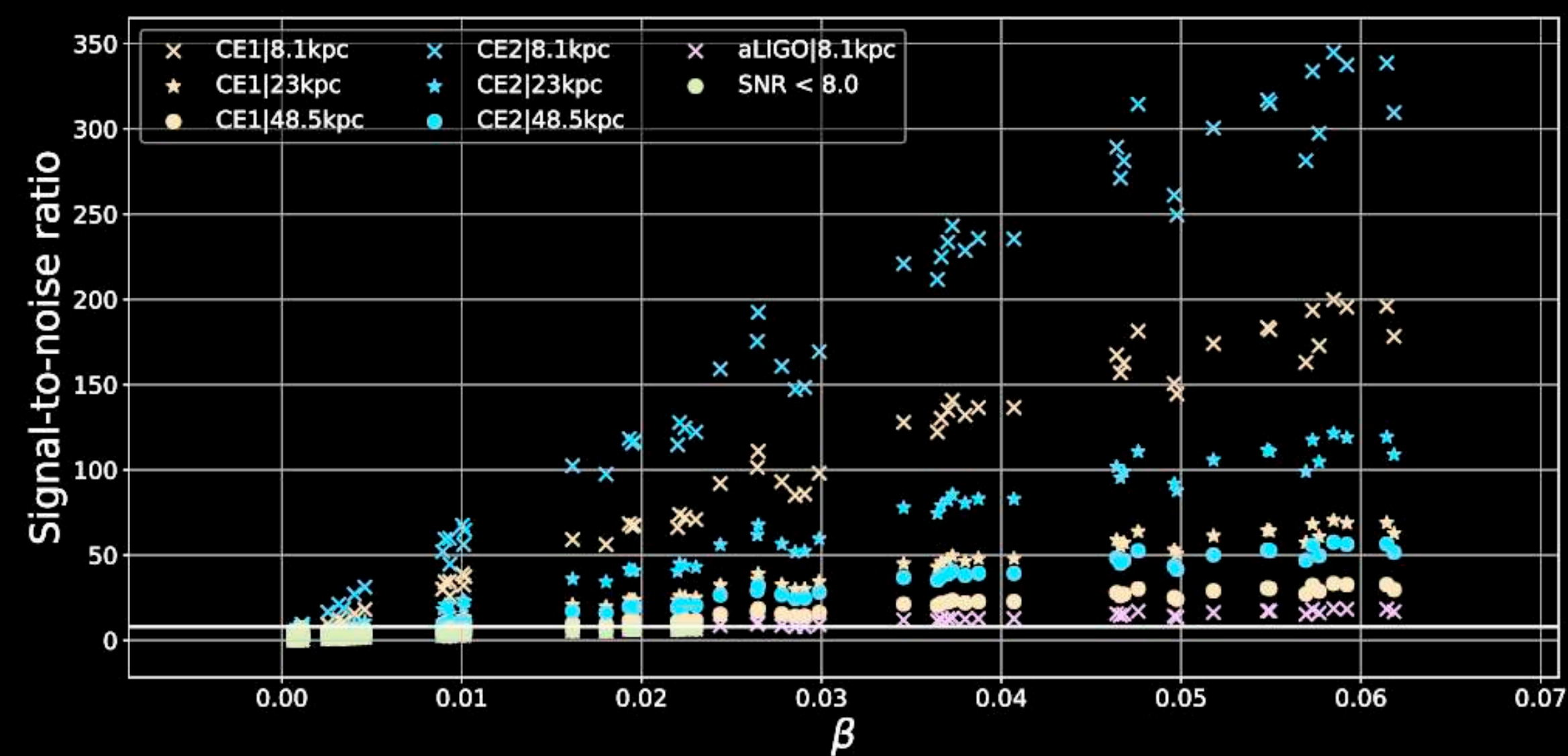
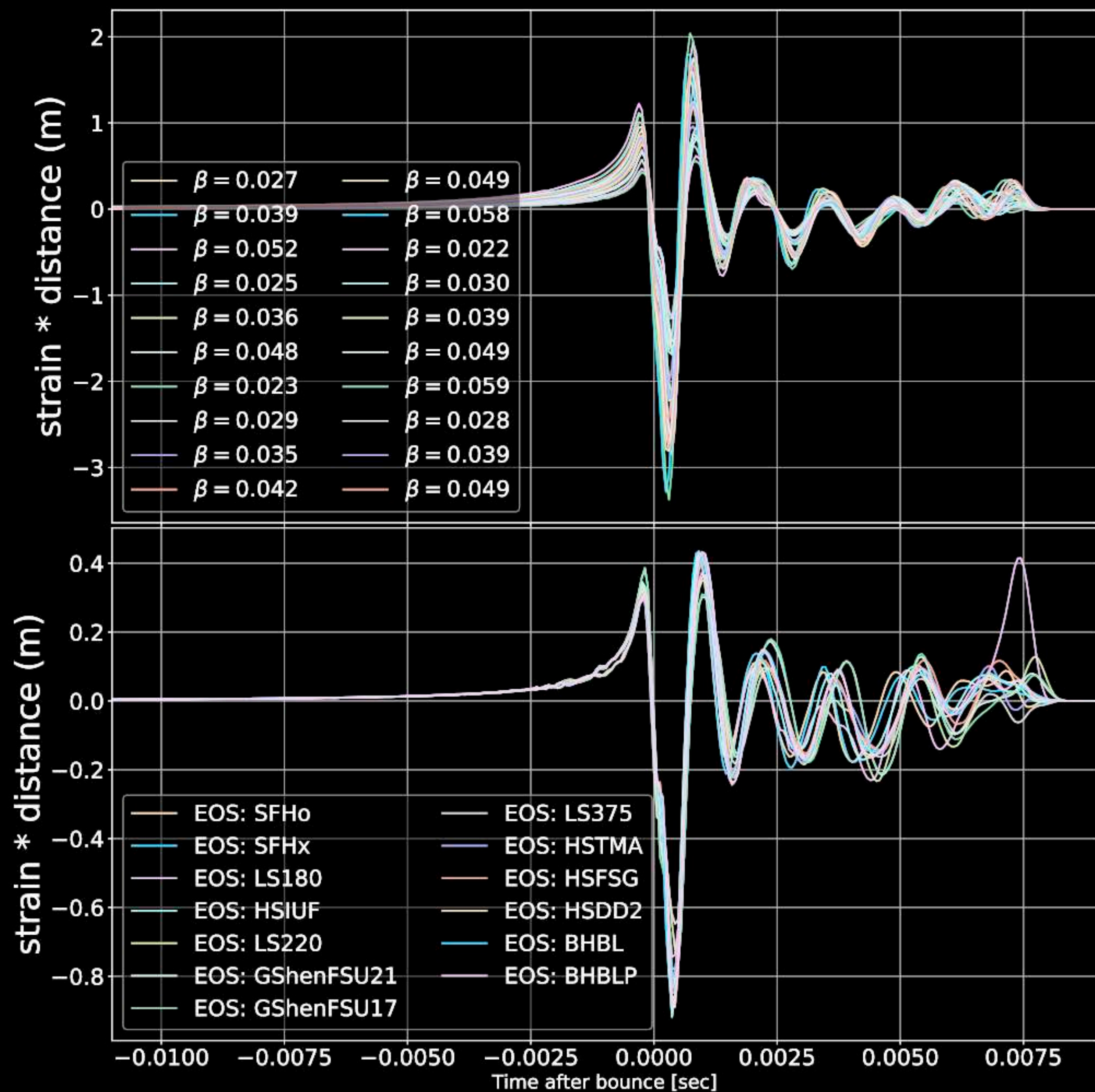
70 kpc at SNR 8

95 kpc at SNR 8

c.f. DUNE

- Can we measure the parameters of the progenitor star?
- Try to extract ratio of core's rotational kinetic energy to gravitational potential energy β (primarily from the bounce)
- Try to extract the equation of state (primarily from the post merger ringing of the protoneutron star)
- Use Richers et al. catalog of supernovae waveforms to constrict a principal component basis to extract physical parameters

Build a Bayesian measurement algorithm using PCA and test with simulations



Generate posteriors on β and f_{peak}

Equation of State	f_{peak} Mean value [Hz]	f_{peak} Standard deviation [Hz]
SFHo	772.1	5.6
SFHx	768.9	6.2
LS180	728.4	6.4
HSIUF	724.2	8.4
LS220	723.7	6.4
GShenFSU2.1	723.2	11.1
GShenFSU1.7	721.1	10.3
LS375	709.1	8.1
HSTMA	704.1	5.7
HSFSG	702.1	7.9
HSDD2	701.6	8.3
BHBLP	699.7	8.6
BHBL	699.7	8.2

For a galactic progenitor with $\beta = 0.02$,
90 % credible interval is
0.02 (aLIGO), 0.002 (CE)

A galactic supernova observed by
Cosmic Explorer could constrain
 f_{peak} to within 10 Hz



Chaitanya Afle

- GW170817 has opened up a new era of EOS constraints
- Upcoming detections will provide yet more information (both from GW and EM)
- Improvements to aLIGO and future detectors (Cosmic Explorer) will give precision measurements of neutron stars, post-merger signatures, and possibly supernovae!

