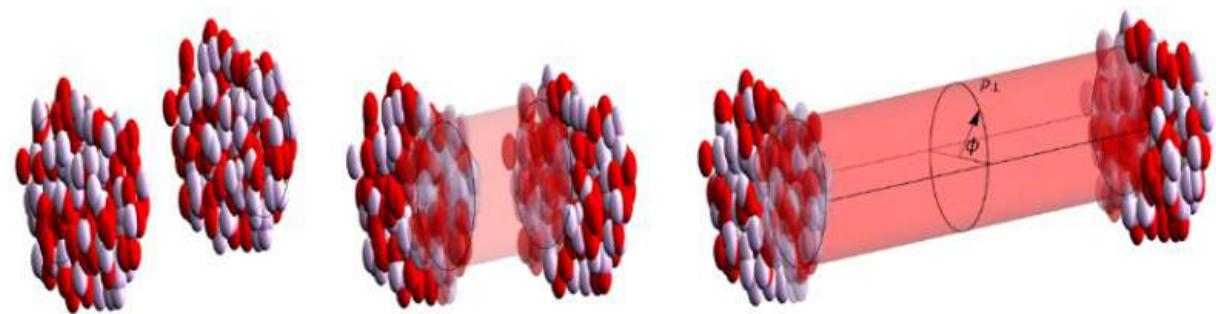




Flow and jet quenching in small systems

an inroad to the creation and properties of the densest form of matter



Urs Achim Wiedemann
Physics colloquium, Arizona State University
Online, 17 March 2021

Atomic diameter $\sim 1\text{\AA} = 10^{-10}\text{m}$

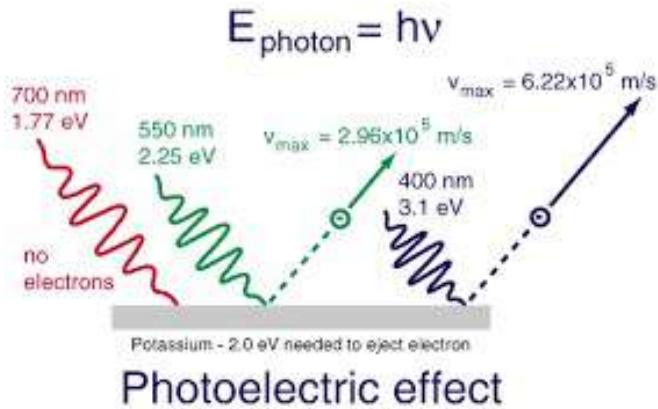
A brief history of matter

corpuscular composition of all forms of matter

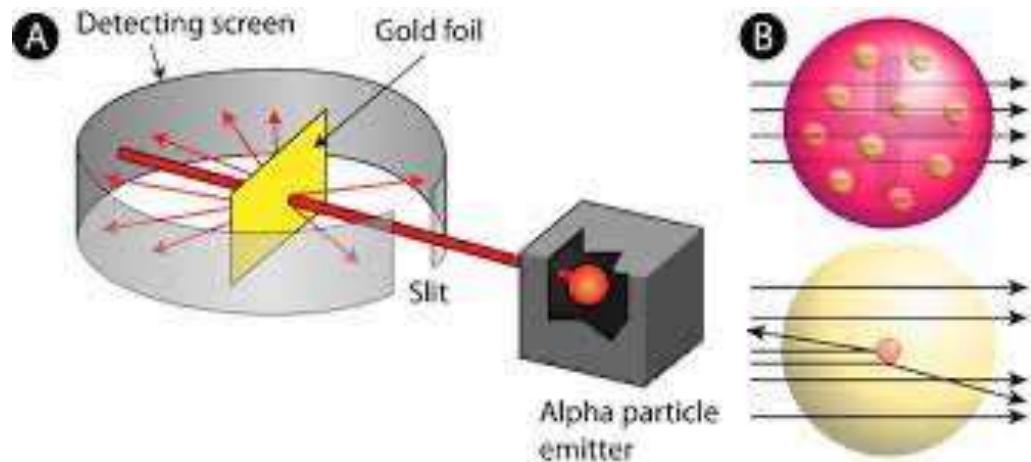
1900 Planck

$$E = h\nu$$

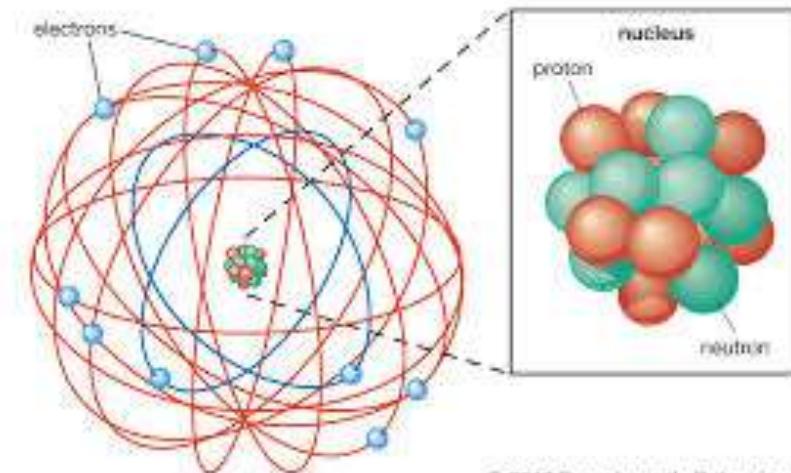
1906 Einstein



1908-13 Rutherford



Electromagnetic interactions explain atomic structure, chemistry, ...



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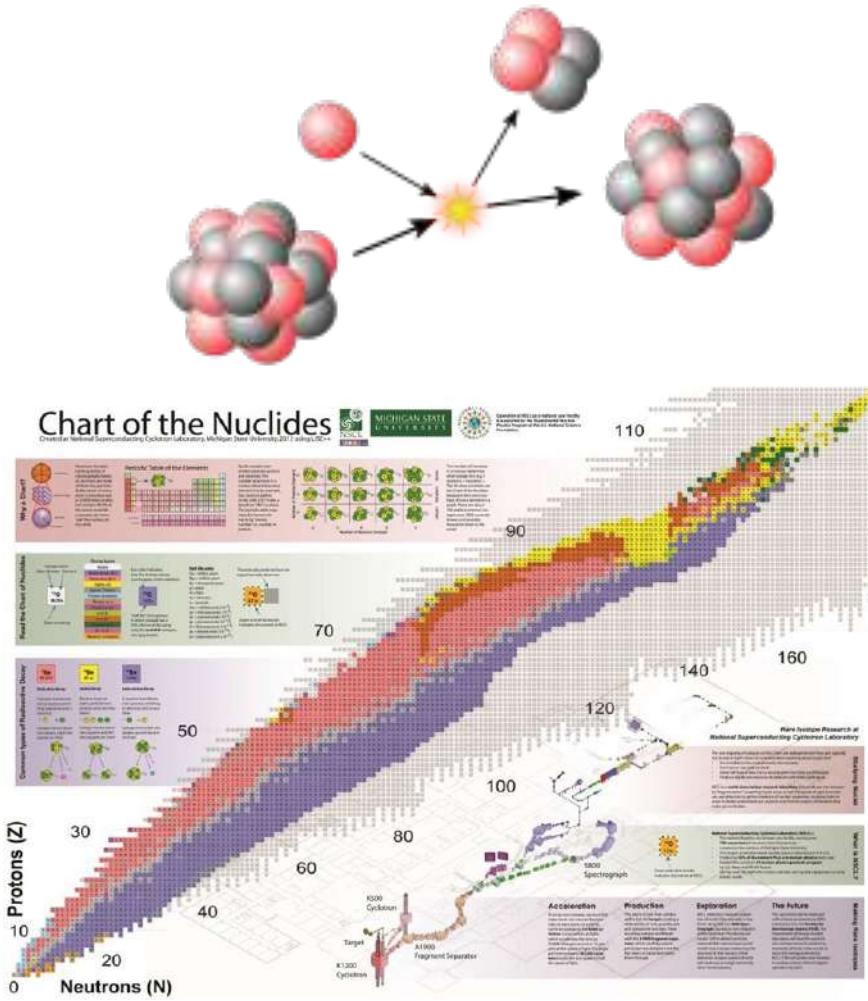
Periodic Table of the Elements

The Periodic Table of the Elements is a tabular arrangement of chemical elements. Elements are organized by atomic number (1 for Hydrogen to 94 for Uranium) and grouped into columns based on their chemical properties. The table includes element symbols, atomic numbers, and names. Notable features include the lanthanide and actinide series, which are placed below the main body of the table.

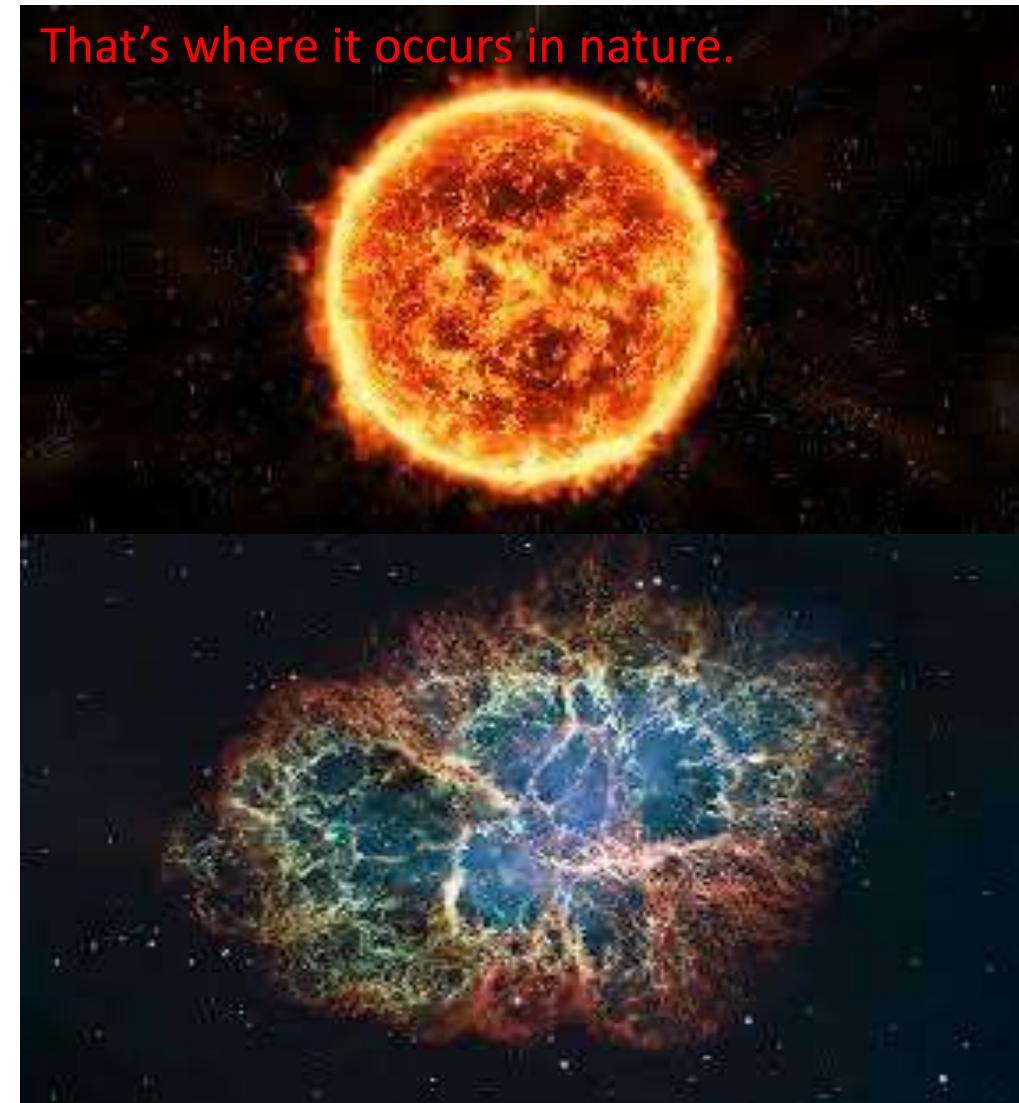
1 H	2 He	3 Li	4 Be	5 B	6 C	7 N	8 O	9 F	10 Ne	11 Na	12 Mg	13 Al	14 Si	15 P	16 S	17 Cl	18 Ar	19 K	20 Ca	21 Sc	22 Ti	23 V	24 Cr	25 Mn	26 Fe	27 Co	28 Ni	29 Cu	30 Zn	31 Ga	32 Ge	33 As	34 Se	35 Br	36 Kr	37 Rb	38 Sr	39 Y	40 Zr	41 Nb	42 Mo	43 Tc	44 Ru	45 Rh	46 Os	47 Ir	48 Pt	49 Au	50 Hg	51 Tl	52 Pb	53 Bi	54 Po	55 At	56 Rn	57 Cs	58 Ba	59 La	60 Ce	61 Pr	62 Nd	63 Pm	64 Sm	65 Eu	66 Gd	67 Tb	68 Dy	69 Ho	70 Er	71 Tm	72 Yb	73 Lu	74 Ac	75 Th	76 Pa	77 U	78 Np	79 Pu	80 Am	81 Cm	82 Bk	83 Cf	84 Es	85 Fm	86 Md	87 No	88 Lr
-----	------	------	------	-----	-----	-----	-----	-----	-------	-------	-------	-------	-------	------	------	-------	-------	------	-------	-------	-------	------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------	-------

The world of nuclear structure

That's what we test in the laboratory.



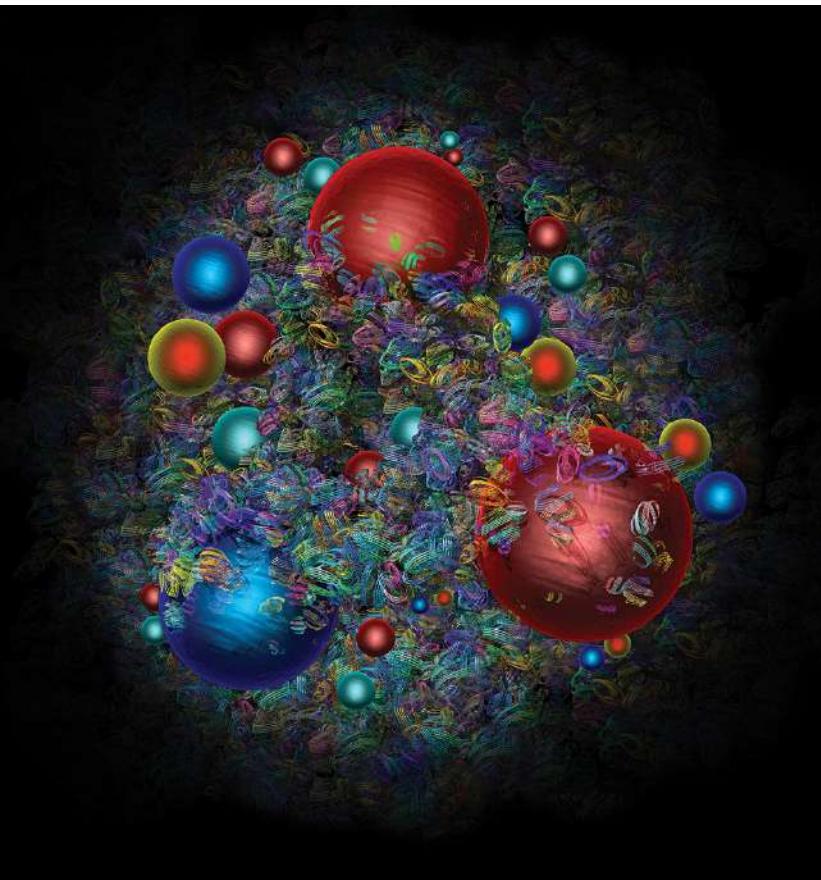
That's where it occurs in nature.



hadrons $\sim 1 \text{ fm} = 10^{-15}$

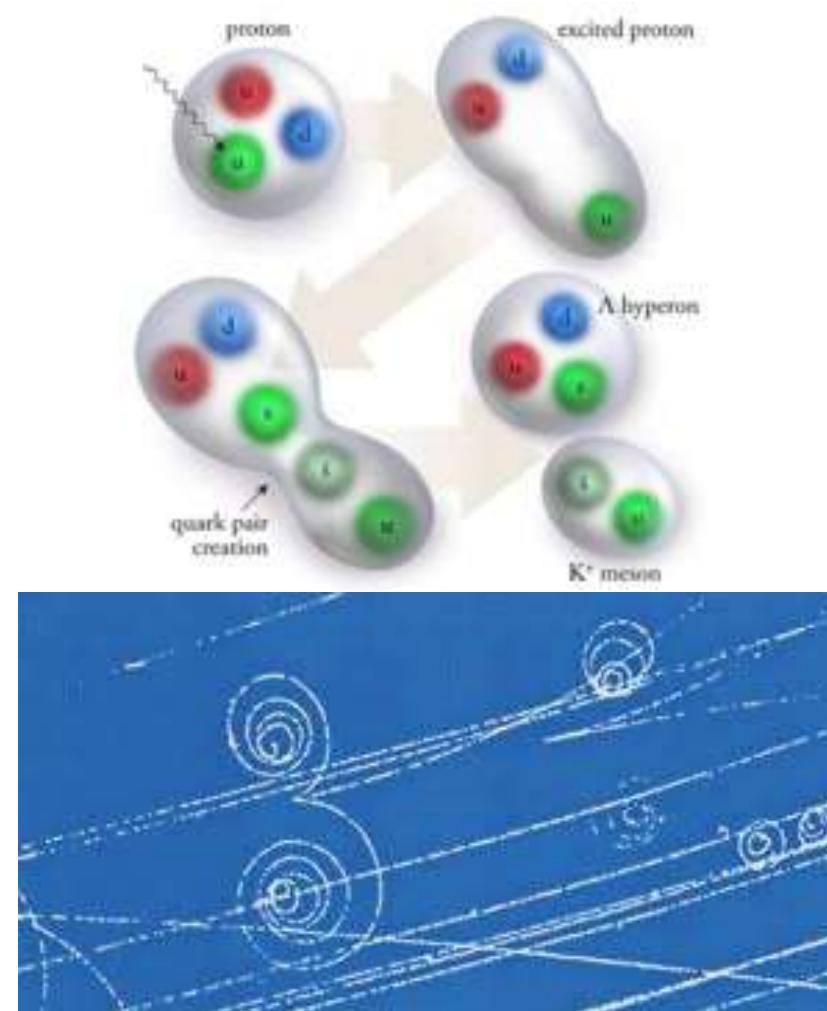
The hadronic world

What is a proton?

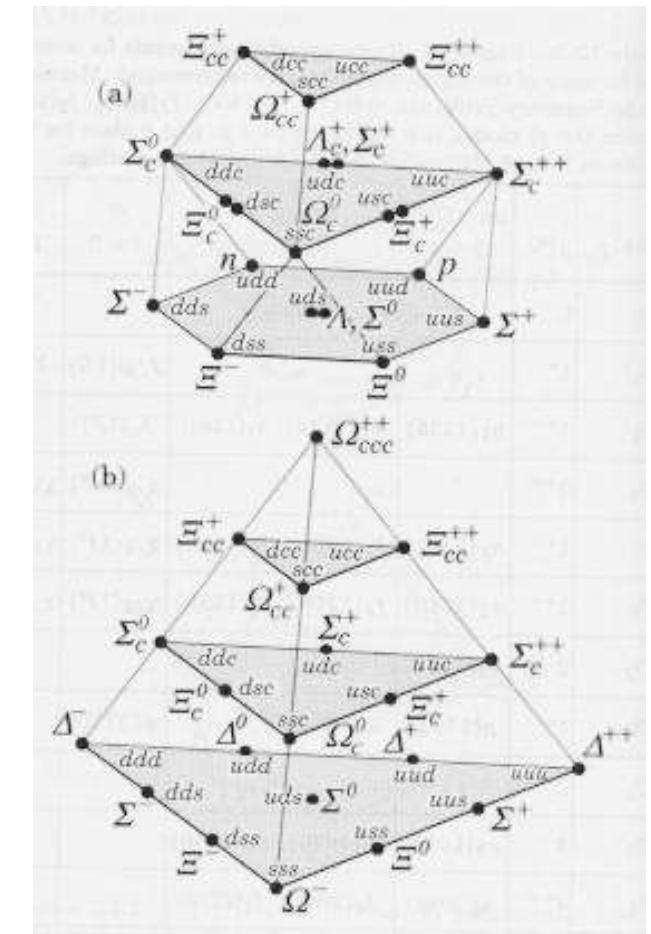


1950s / 1960s

Its constituents cannot be isolated ...

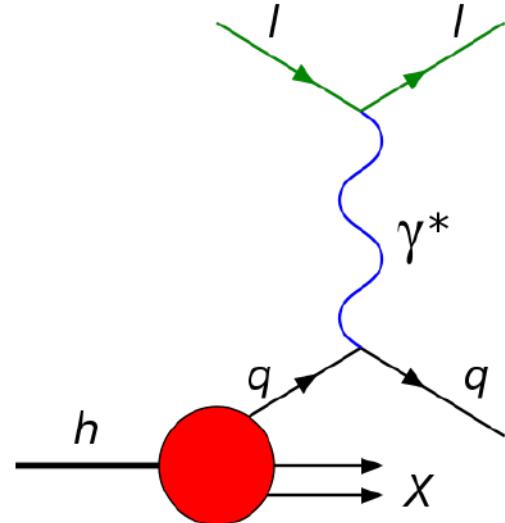


... but they classify hadronic states
1964 M. Gell-Mann; G. Zweig



Quarks and their glue

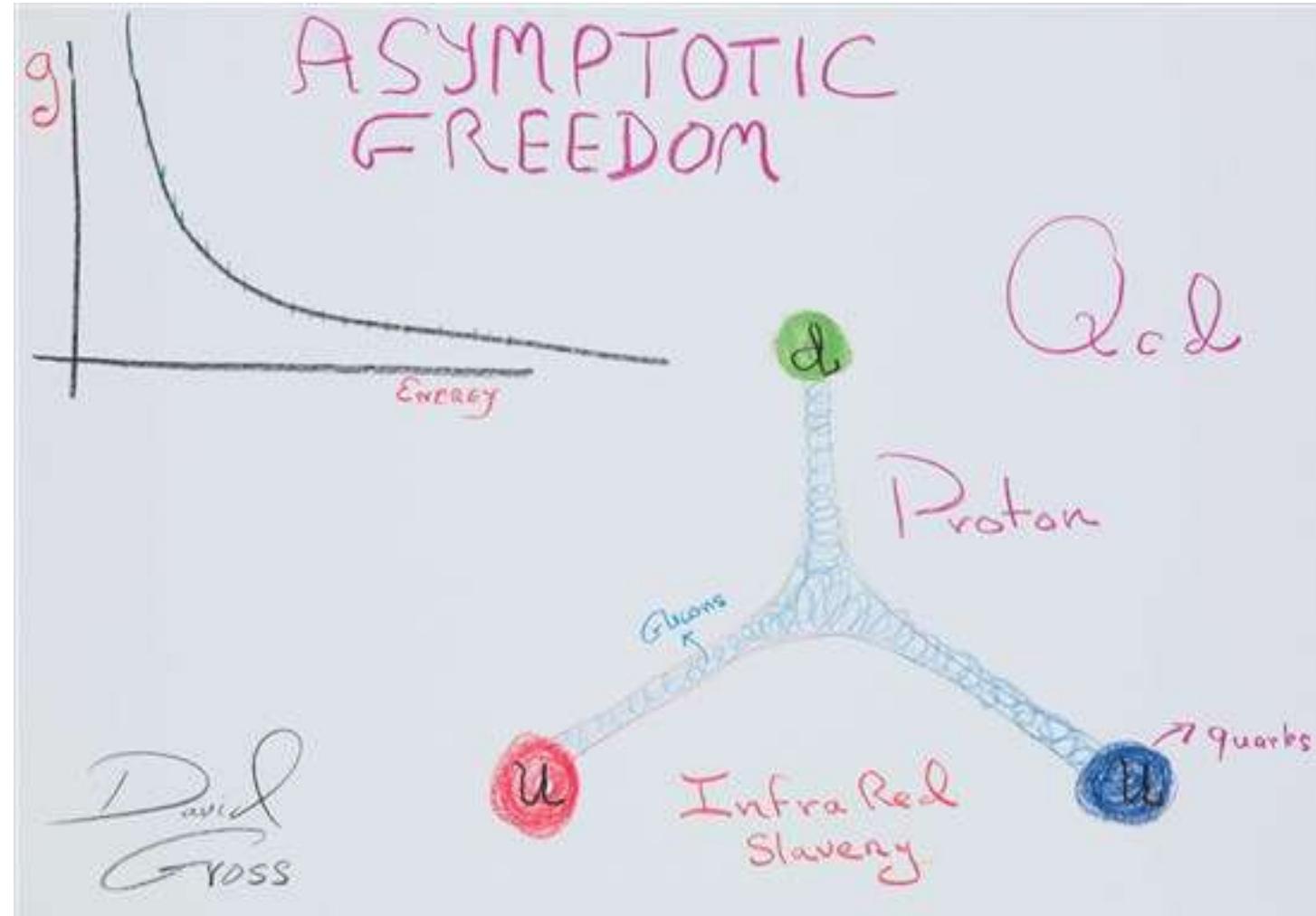
1968 SLAC deep inelastic scattering



1973 Gross, Wilczek; Politzer

Quantum Chromo Dynamics

First theory valid down to arbitrary small distances

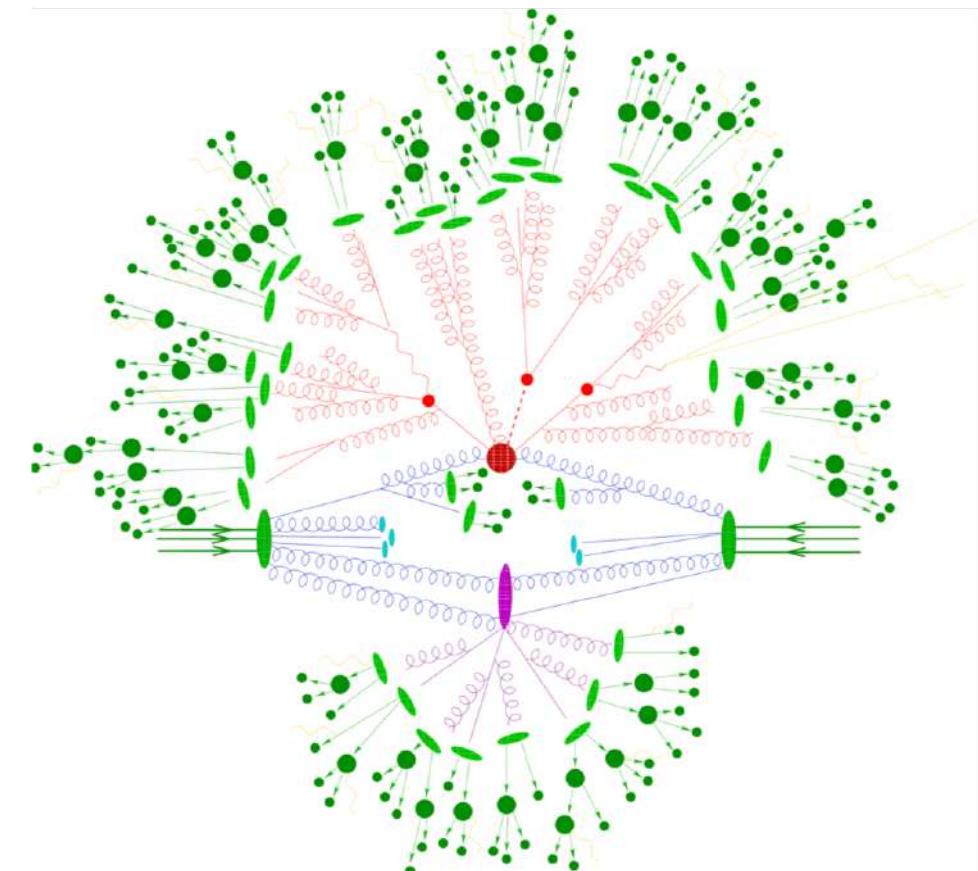


Vacuum

Two protons collide in the vacuum

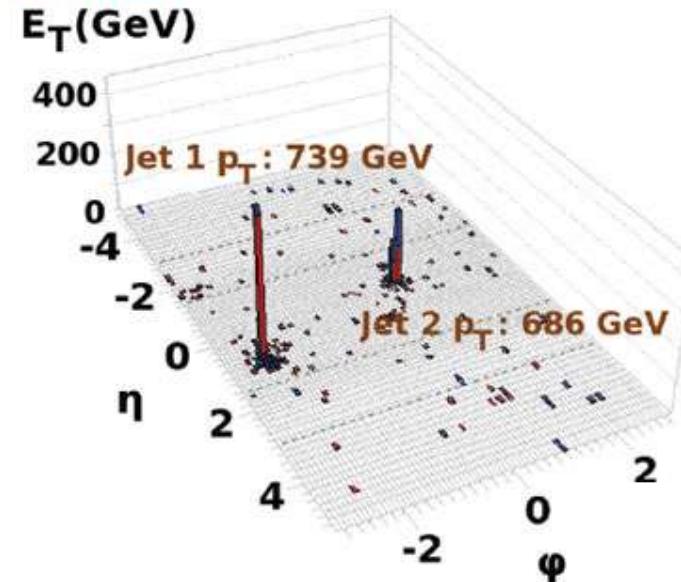
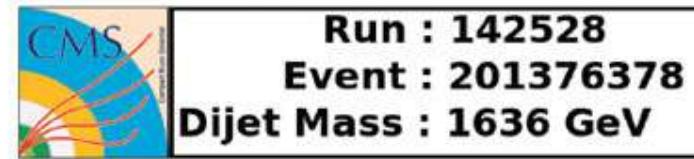
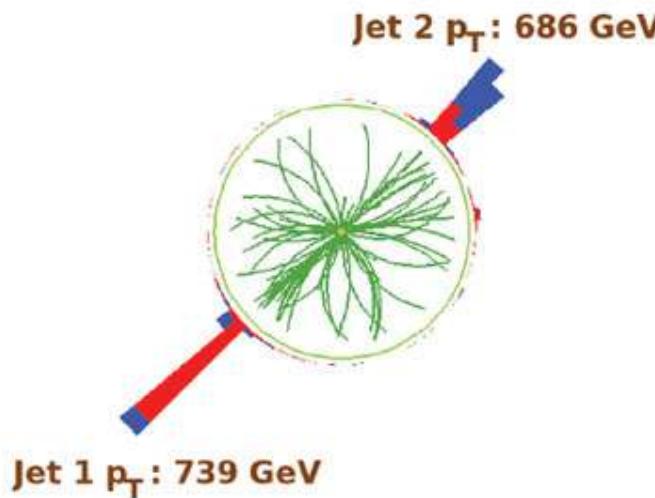
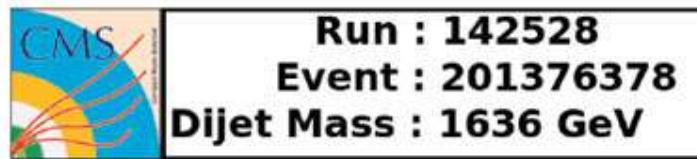


QCD provides quantitatively reliable description, based on free-streaming but fragmenting parton showers.



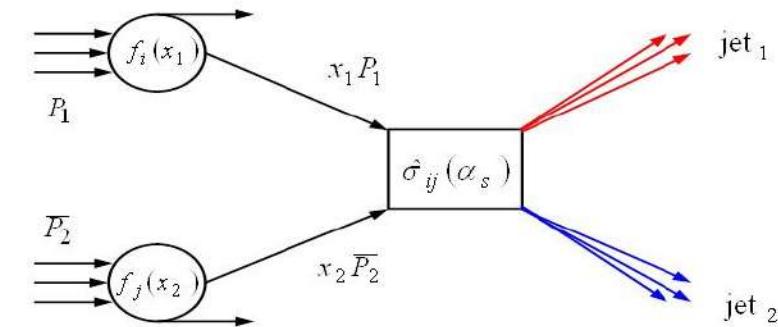
QCD Jets in the vacuum

What we measure



What we calculate

Jet Production



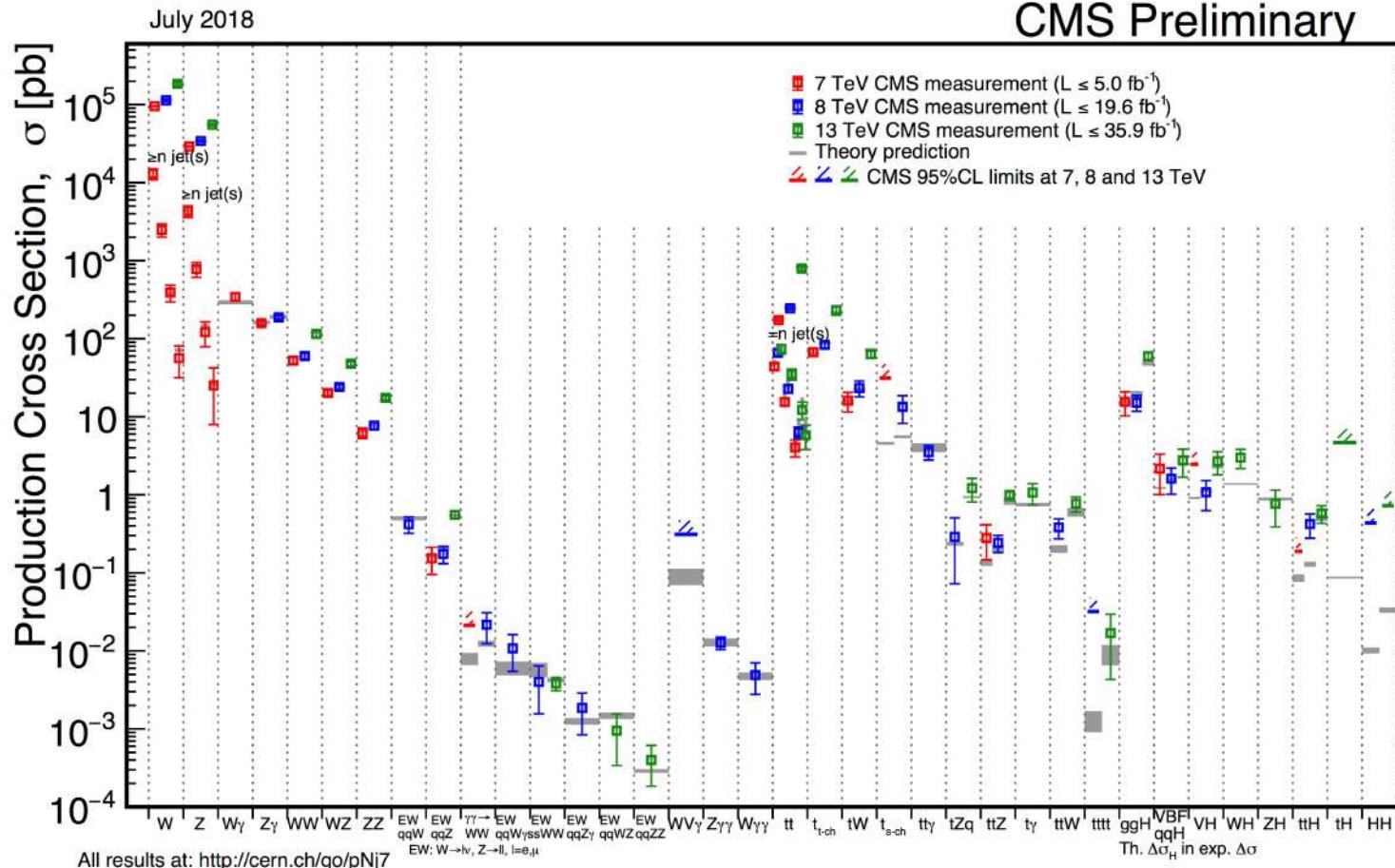
$$\sigma = \sum_{ij} \int dx_1 dx_2 f_i(x_1, \mu_F^2) f_j(x_2, \mu_F^2)$$

$$\hat{\sigma}_{ij} \left(x_1 P_1, x_2 P_2, \alpha_s \left(\mu_R^2 \right) \frac{Q^2}{\mu_F^2}, \frac{Q^2}{\mu_R^2} \right)$$

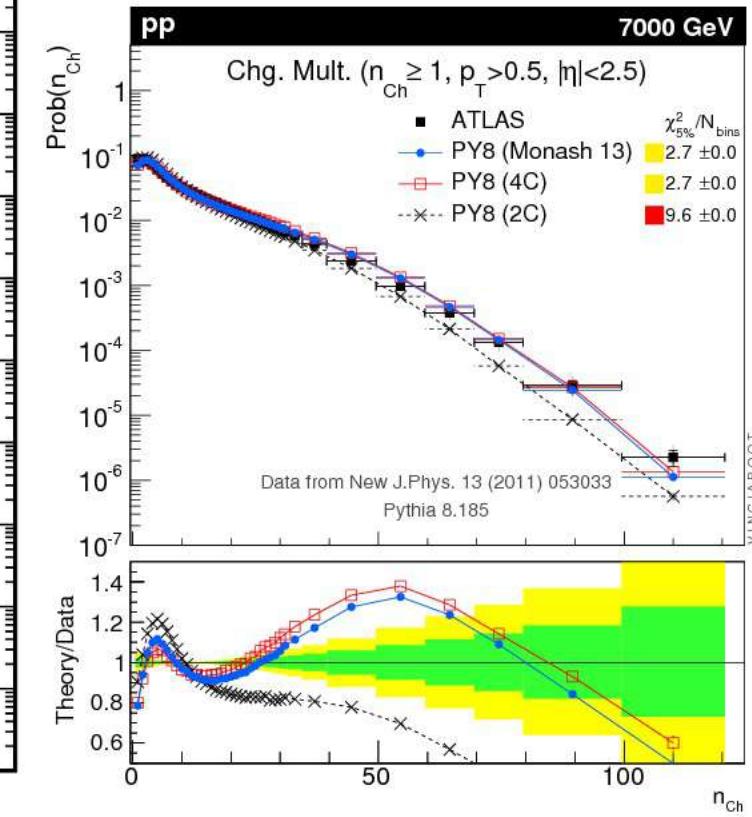
- + parton shower + hadronization
- + jet algorithm + jet substructure
- + ...

QCD in vacuum – a success story

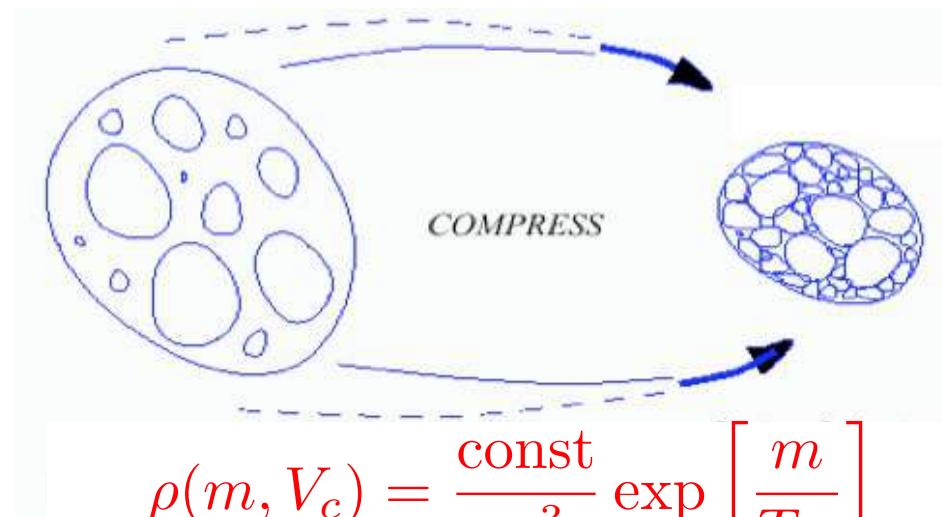
Reliable baseline in testing electroweak interactions and searching for new physics



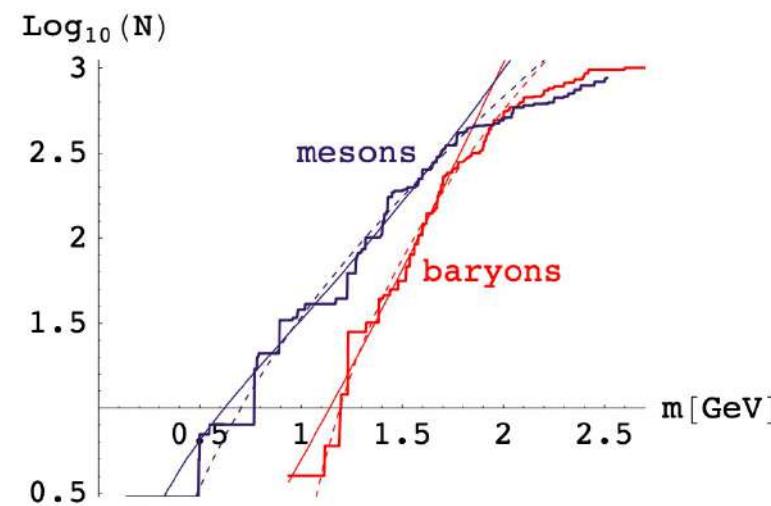
Imperfect / good modeling at low momentum transfers



The compressed hadronic world



$$\rho(m, V_c) = \frac{\text{const}}{m^3} \exp\left[\frac{m}{T_H}\right]$$



1965 R. Hagedorn's Statistical Bootstrap

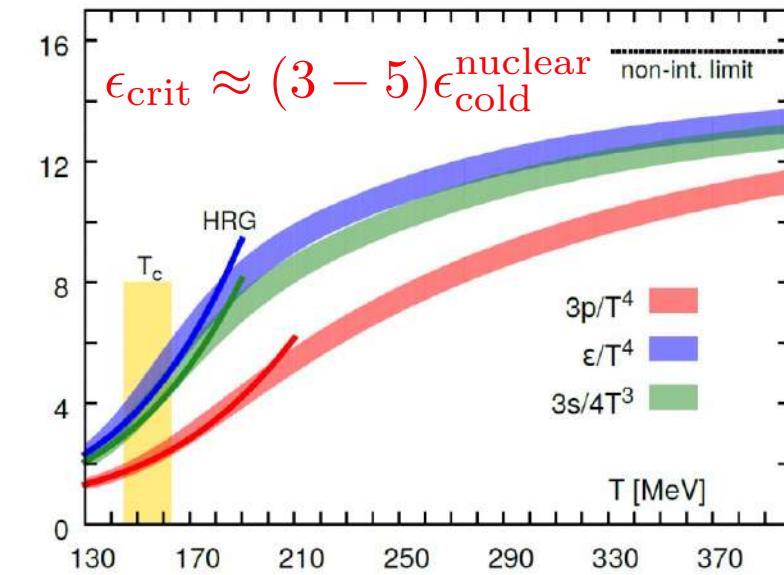
T_H - maximal temperature of hadron gas

1975 Cabibbo and Parisi:

T_H - temperature of phase transition

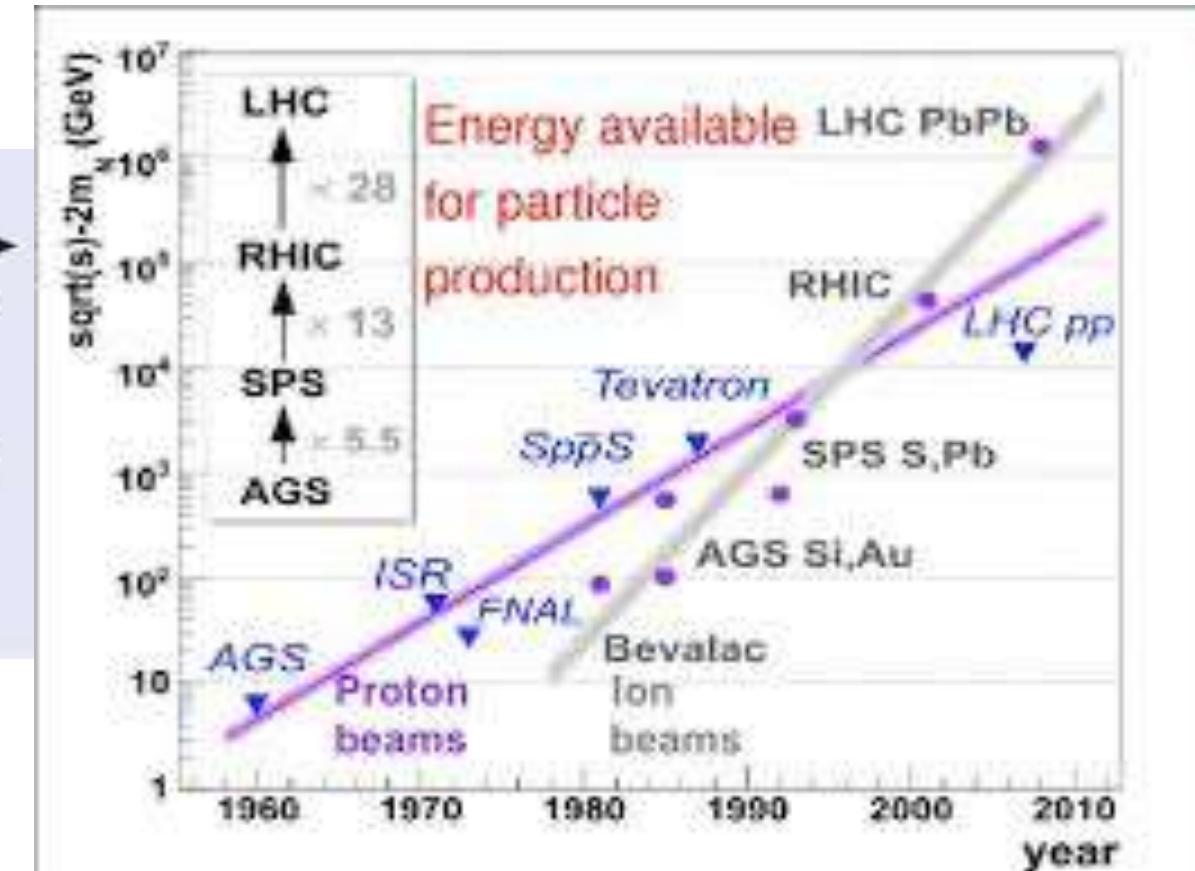
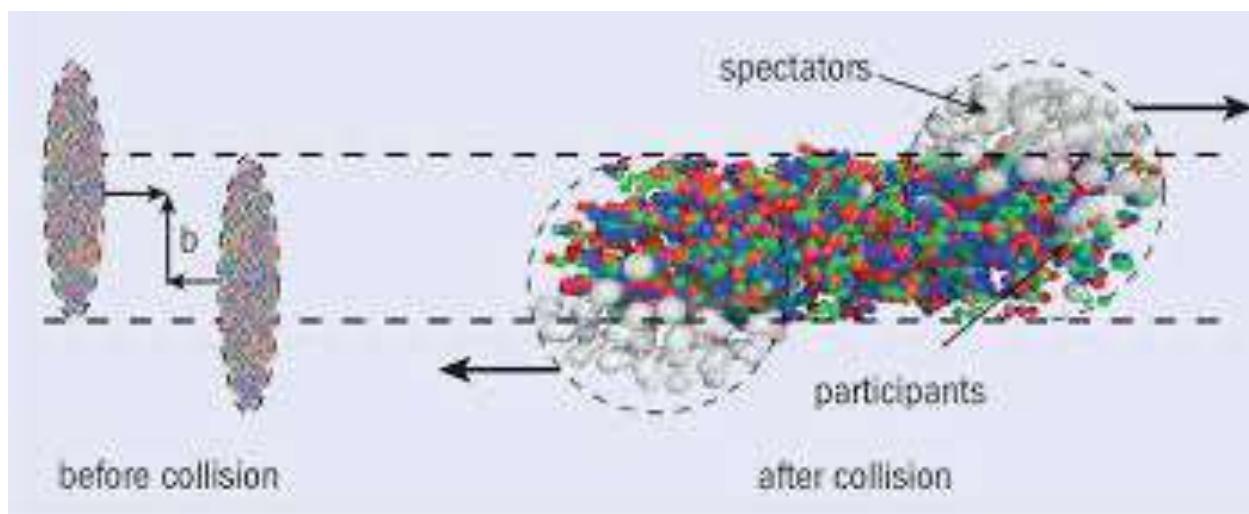
1990-2020 Lattice QCD*

**quantitative understanding of
the QCD phase transition**



Ultra-relativistic heavy ion collisions

Compressing hadronic matter beyond $\epsilon_{\text{crit}} \approx (3 - 5)\epsilon_{\text{cold}}^{\text{nuclear}}$



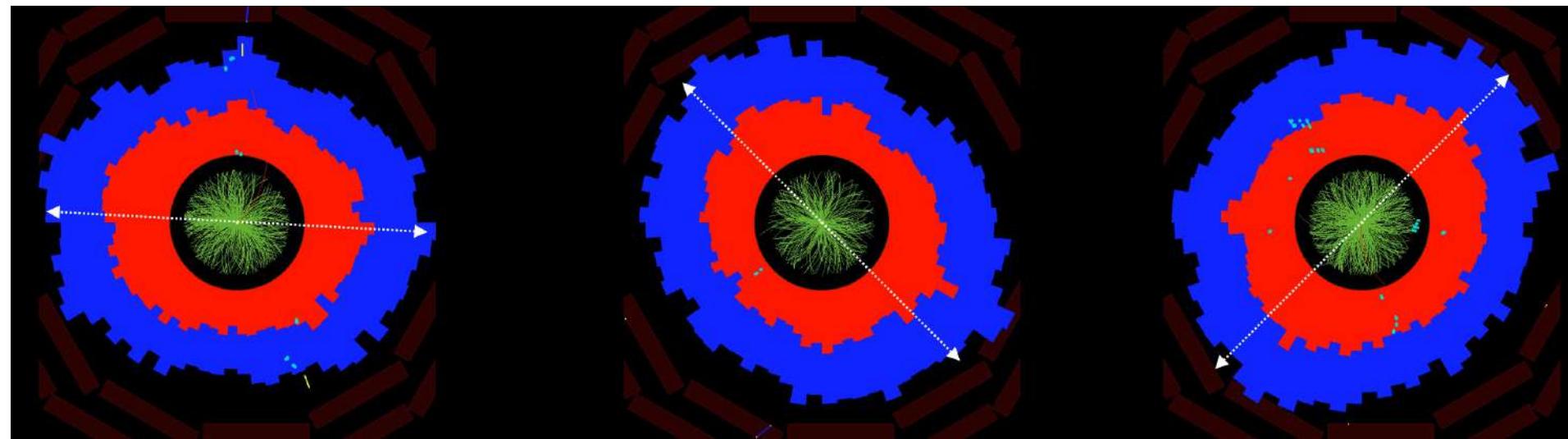
What do we see in PbPb @ LHC?



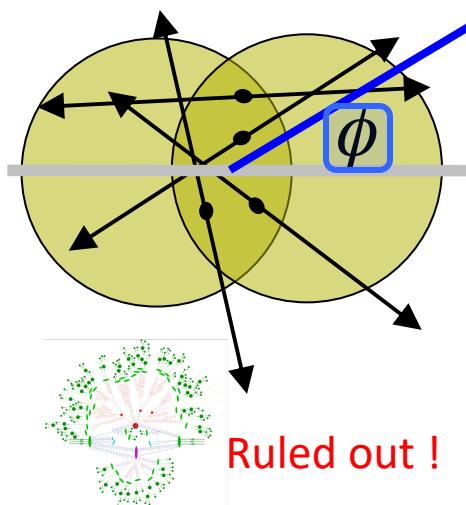
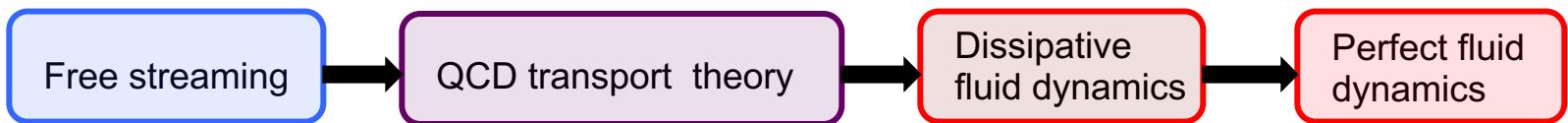
ALICE Run Control Center

Flow

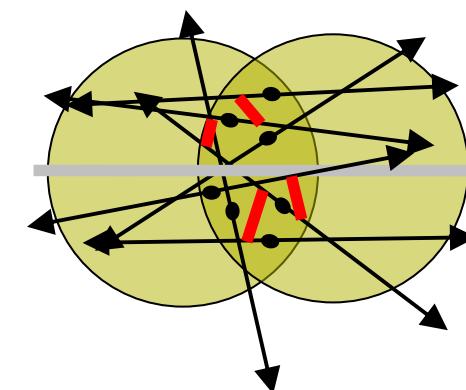
Collectivity
at soft p_T



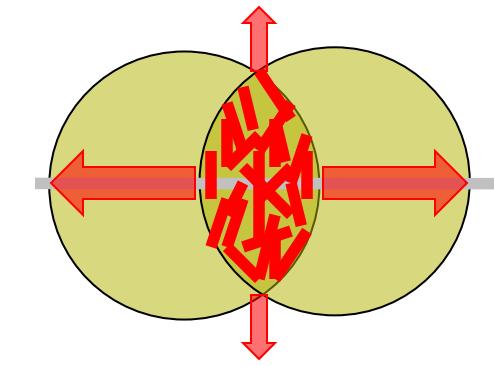
Which dynamics
is at play?



Ruled out !

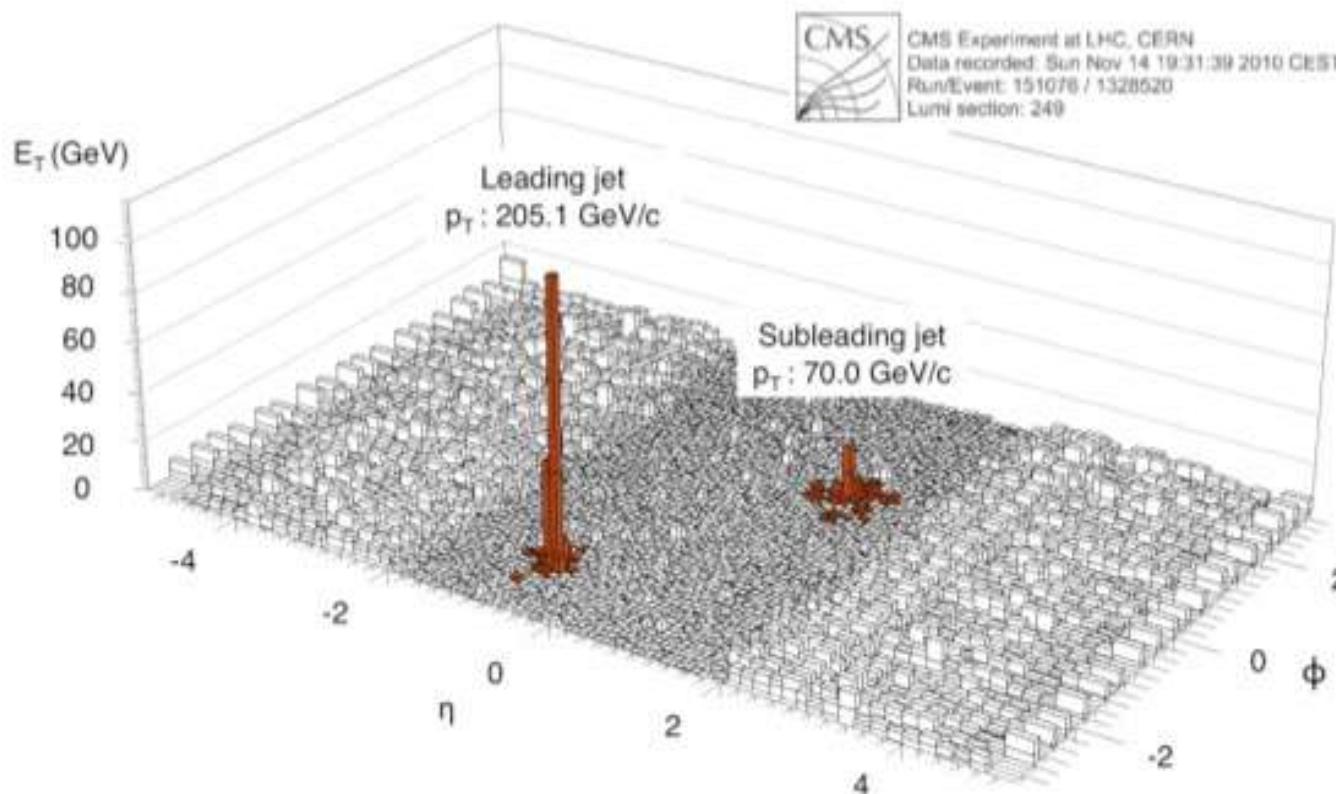


To be tested quantitatively !

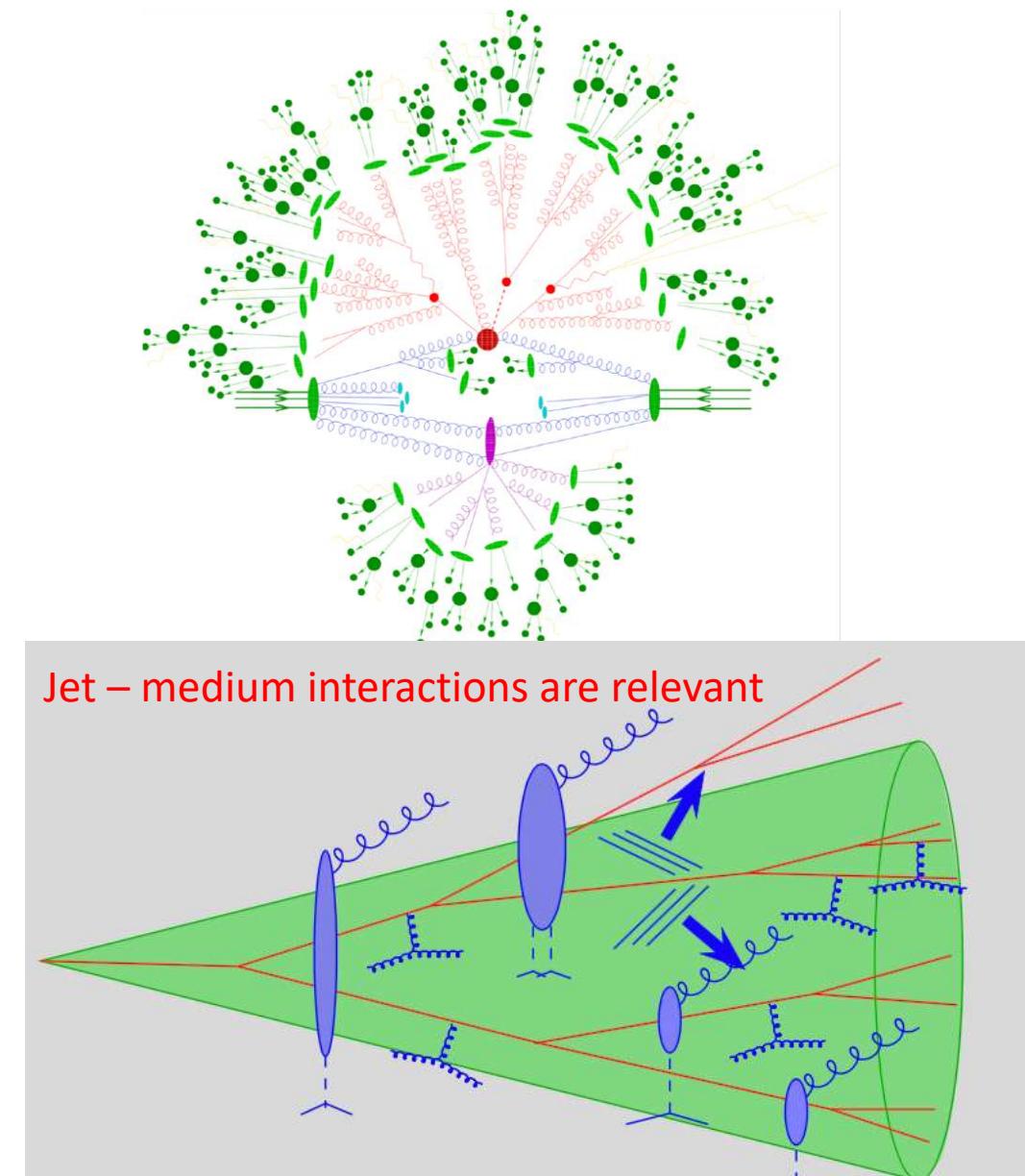


Jet quenching

Deviation from free-streaming &
fragmentation at high p_T



This is not sufficient!



How do we test medium properties?

- Excite medium
- Listen to response
- Analyze

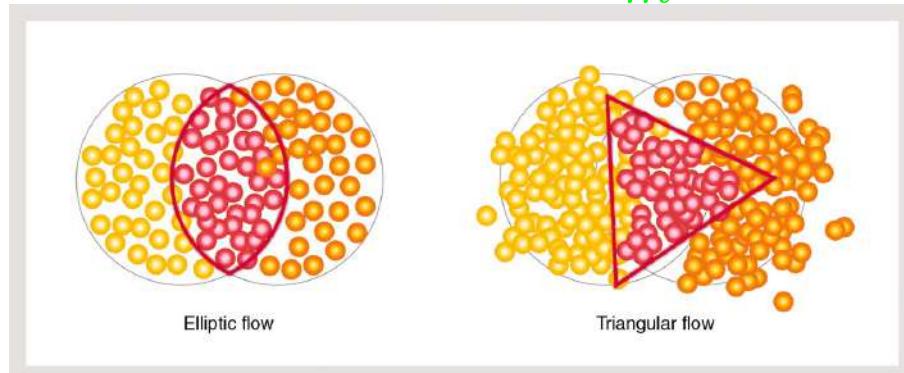
In theory:

$$G_R^{\mu\nu,\alpha\beta} = \frac{\delta T^{\mu\nu}}{\delta h_{\alpha\beta}}$$



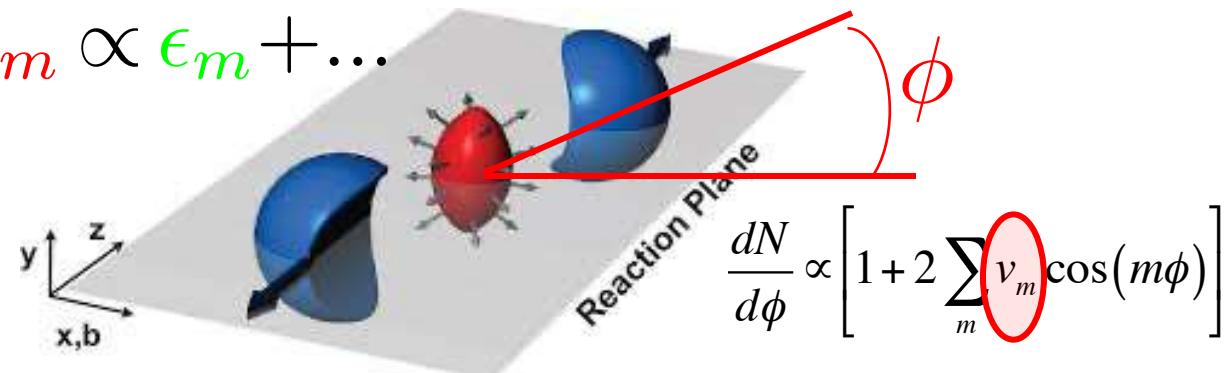
In experiment:

Prepare different **excitations** ϵ_m



measure their **response**

$$v_m \propto \epsilon_m + \dots$$



Analyzing medium response

$$G_R(t, k) = \int_{-\infty}^{\infty} d\omega \tilde{G}_R(\underbrace{\omega}_{\in \mathbb{C}}, k) e^{-i\omega t} = c_{\text{hyd}} \exp[-\Gamma_s k^2 t] + c_{\text{non-hyd}} \exp[-t/\tau_R]$$

➤ **Hydrodynamic excitations, e.g.**

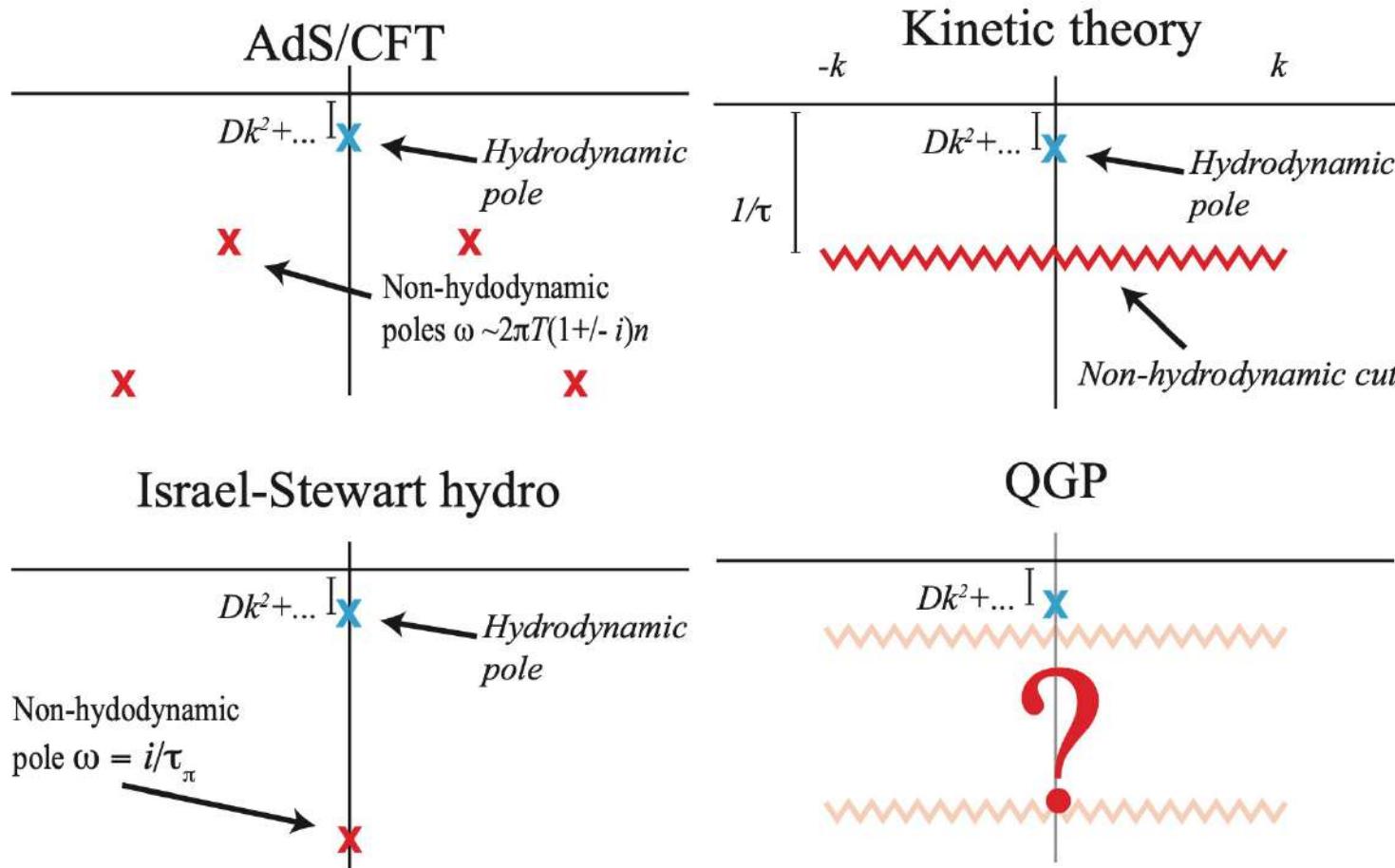
$$\omega_{\text{pole}}^{\text{hyd}}(k) = -i \frac{\eta}{sT} k^2 \equiv \Gamma_s$$

- Universal in QFTs
- Consequence of conservation laws
- Described by gradient expansion $k \leftrightarrow \nabla$

➤ **Non-hydro excitations, e.g.**

$$\omega_{\text{pole}}^{\text{non-hyd}}(k) = -i \frac{1}{\tau_\pi}$$

- No QFTs without non-hydro modes
- Consequence of causality
- Not described by gradient expansion



What do we learn from hydro?

- based only on: E-p conservation: $\partial_\mu T^{\mu\nu} = 0$
- 2nd law of thermodynamics: $\partial_\mu S^\mu(x) \geq 0$
- sensitive only to properties of matter that are
calculable from first principles in quantum field theory

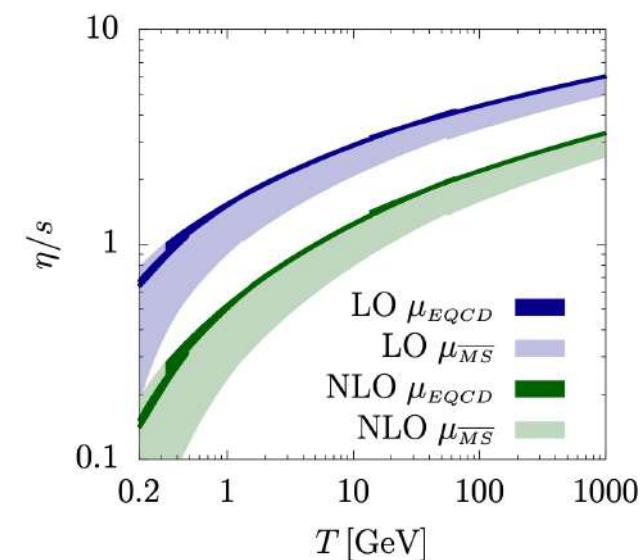
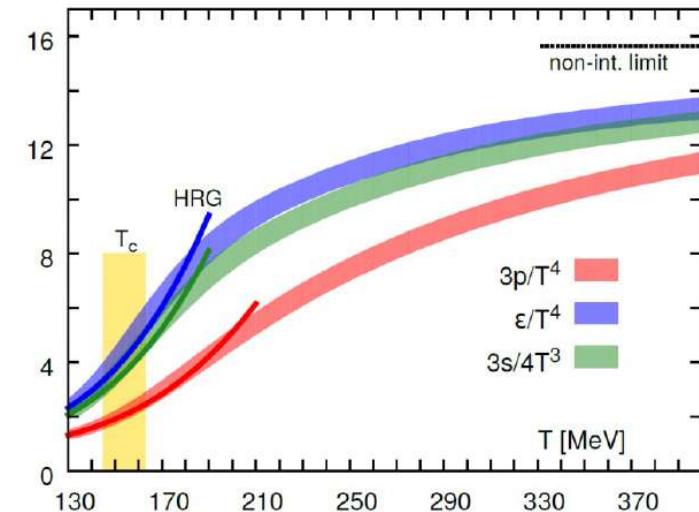
Lattice QCD =>

Finite Temp pQCD

=> AdS/CFT

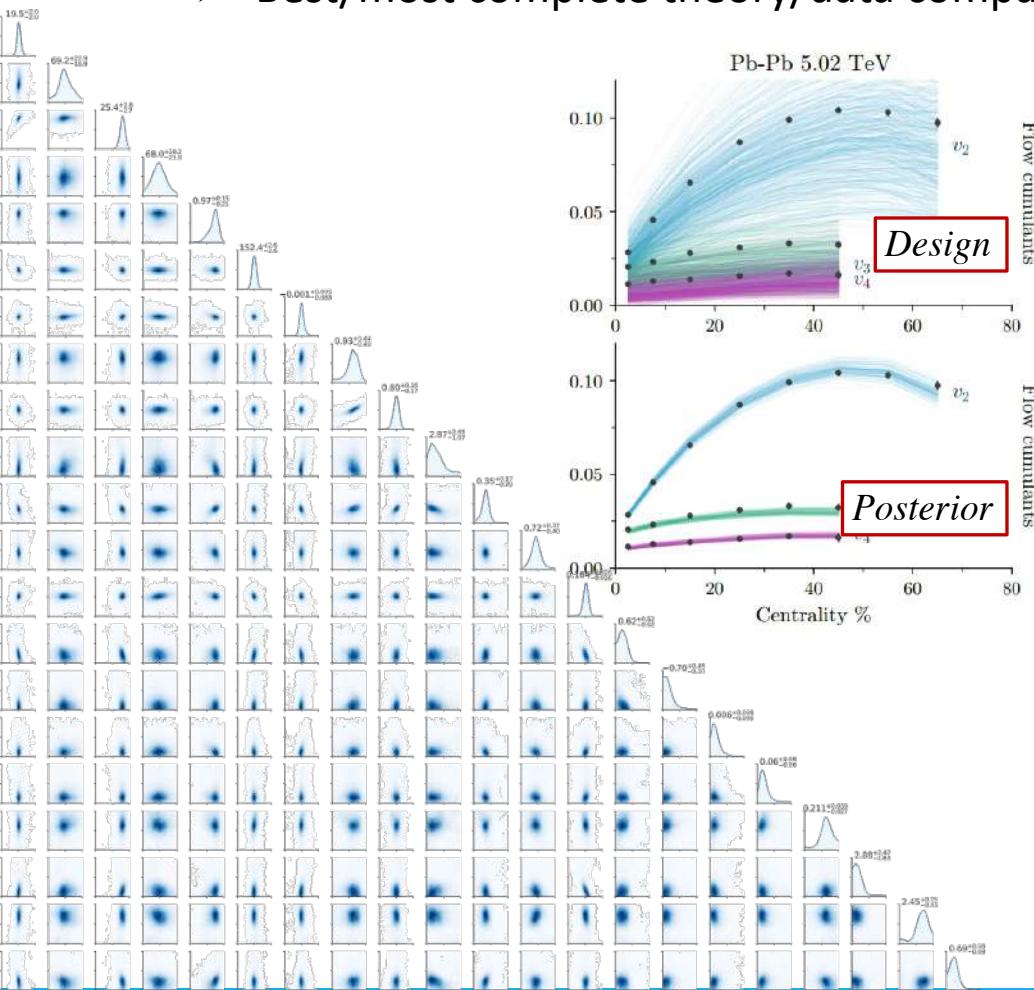
- **EOS:** $\varepsilon = \varepsilon(p, n)$ and **sound velocity** $c_s = \partial p / \partial \varepsilon$
- **transport coefficients:** shear η , bulk ξ viscosity, ...
- $$\eta = \lim_{\omega \rightarrow 0} \frac{1}{2\omega} \int dt dx e^{i\omega t} \left\langle [T^{xy}(x, t), T^{xy}(0, 0)] \right\rangle_{eq}$$
- **relaxation times:** $\tau_\pi, \tau_\Pi, \dots$

Testing the thermal sector of fundamental quantum fields.

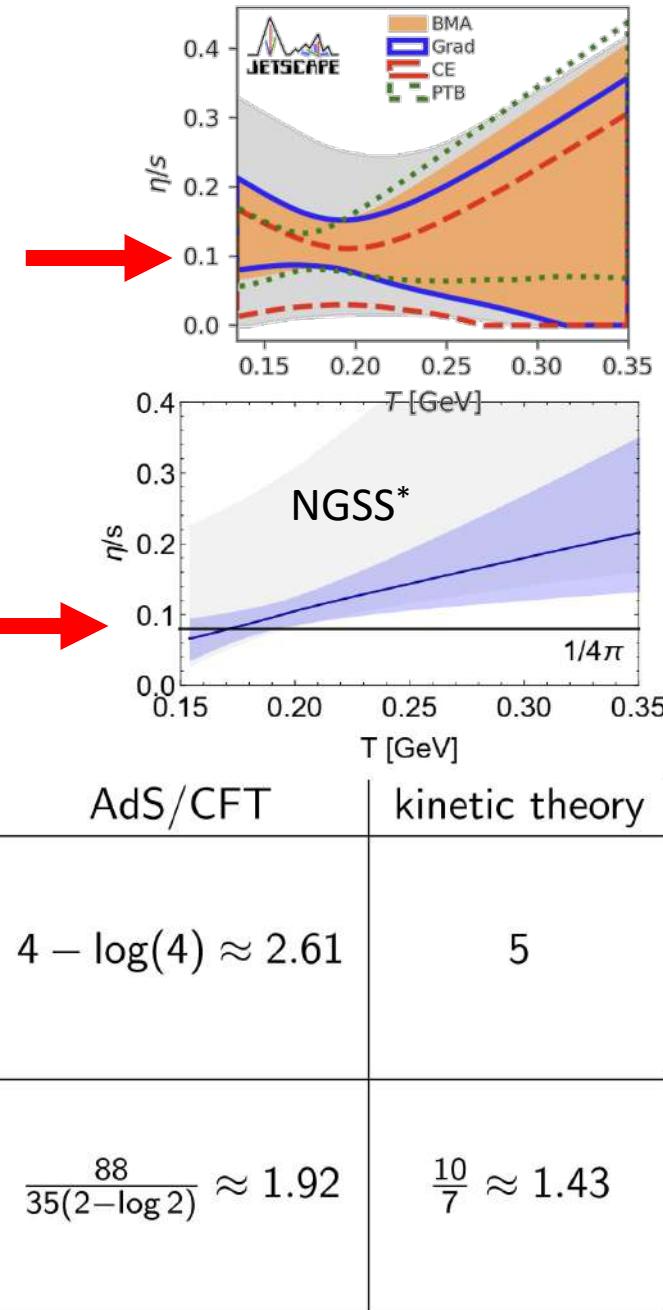


Bayesian Inference

- More than fluid dynamics but constrains fluid dynamics
- Best/most complete theory/data comparison at soft p_T



*State of the art: 514 data points,
20 parameters, unprecedented detail.*



How fluid is the fluid?



- N=4 SYM plasma has no internal structure

“universal” lower bound $\frac{\eta}{s} = \frac{1}{4\pi}$ 2001 Policastro, Son, Starinets*

- 1-d Bjorken expansion is **isentropic** if $\frac{d(\tau s)}{d\tau} = \frac{\frac{4}{3}\eta}{\tau T} \ll s \implies \frac{\eta}{s} \ll \underbrace{\tau T}_{>1}$
- Hydro-modes dominate if

$$\frac{\eta}{sT} k^2 \ll \frac{1}{\tau_\pi} \approx \frac{1}{5} \frac{sT}{\eta}$$

- Hydro-dominated wavelengths satisfy

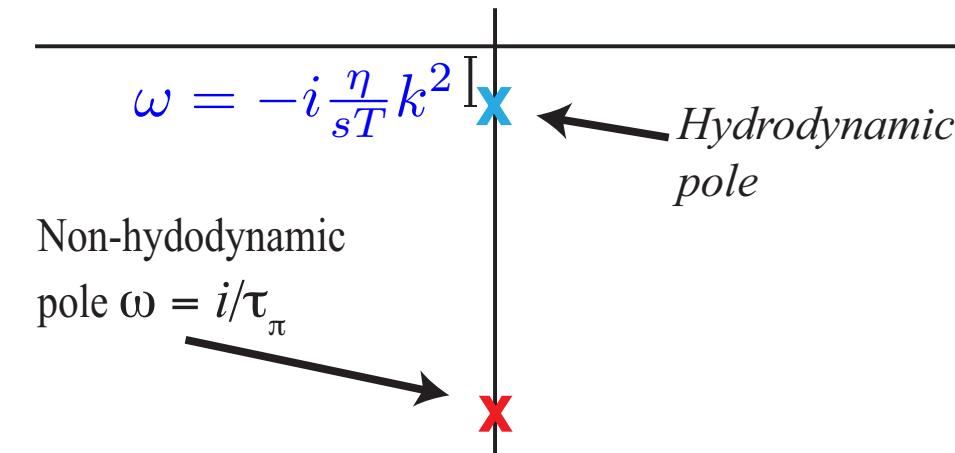
$$\lambda = \frac{2\pi}{k} \gg \underbrace{2\pi\sqrt{5}}_{10} \underbrace{\frac{\eta}{s}}_{0.1} \underbrace{\frac{1}{T}}_{1 \text{ fm}}$$

Such wavelengths do not fit into a proton !

Experimental access of non-hydro modes seems feasible.



Israel-Stewart hydro



How non-fluid is the fluid?

That depends on its size R :

Smallest wavenumber

$$k \sim \frac{1}{R}$$

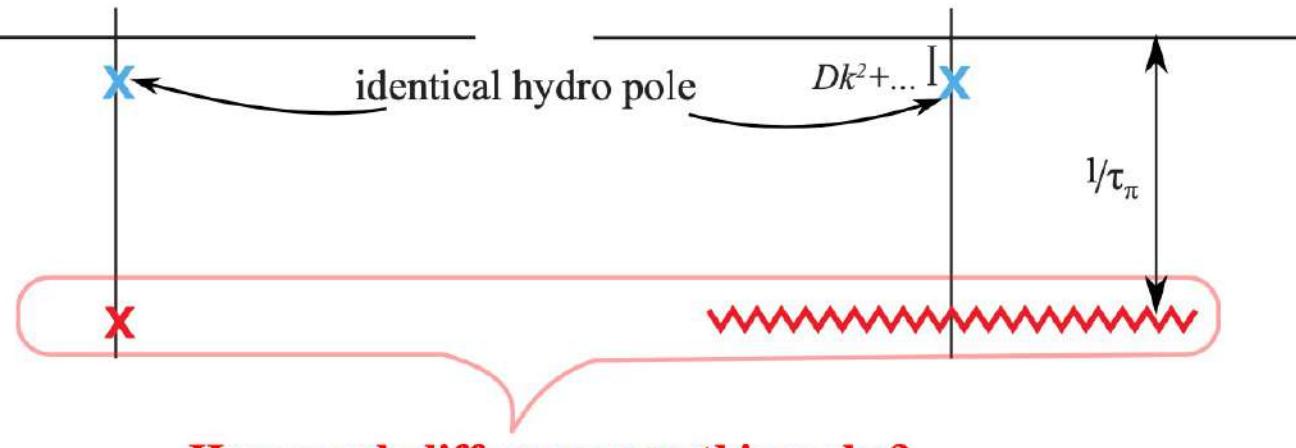
Longest propagation time

$$t \sim R$$

$$G_R(t, k) = \underbrace{c_{\text{hyd}} \exp [-\Gamma_s k^2 t]}_{\text{reduced for smaller } R} + \underbrace{c_{\text{non-hyd}} \exp [-t/\tau_R]}_{\text{enhanced for smaller } R}$$

Non-hydro excitations become testable in systems of sufficiently small size R :

Can we test the nature of non-hydro modes?



How much difference can this make?

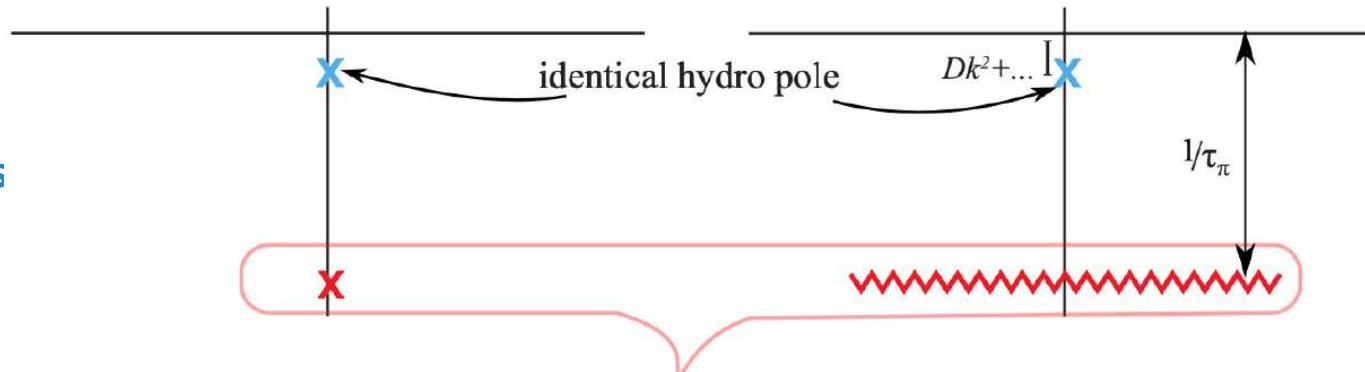
A proof of principle (a toy model)

Construct a theory with **identical hydro poles** but **different non-hydro excitations** of the same relaxation time τ_π

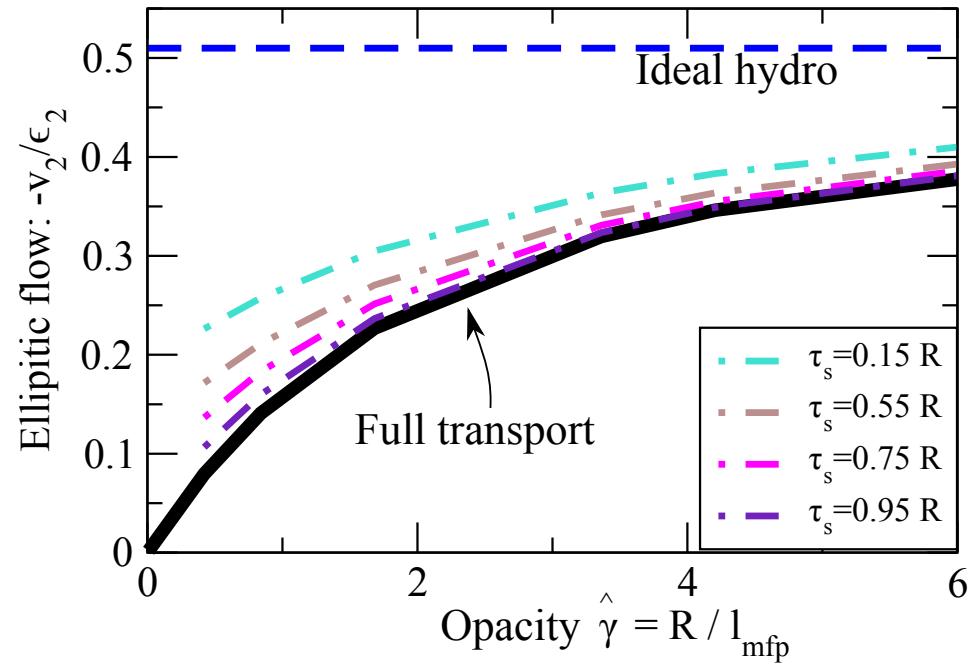
Switching from one theory to the other at time τ_s leads to **differences in the response v_2/ϵ_2** though the hydrodynamics did not change.

The differences increase with decreasing R.

Elliptic flow is sensitive to non-hydro modes.



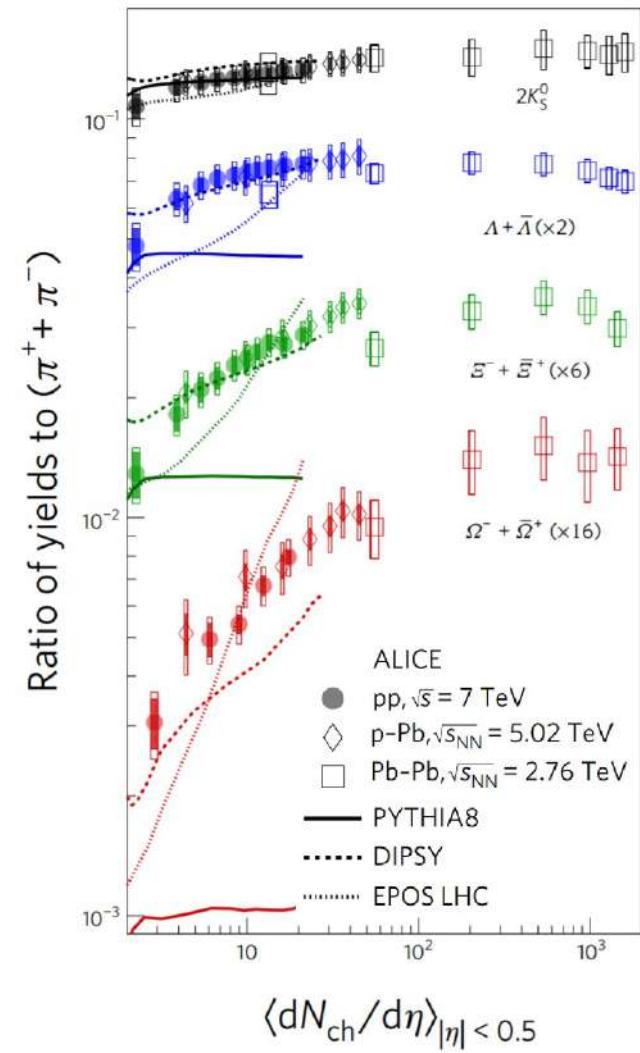
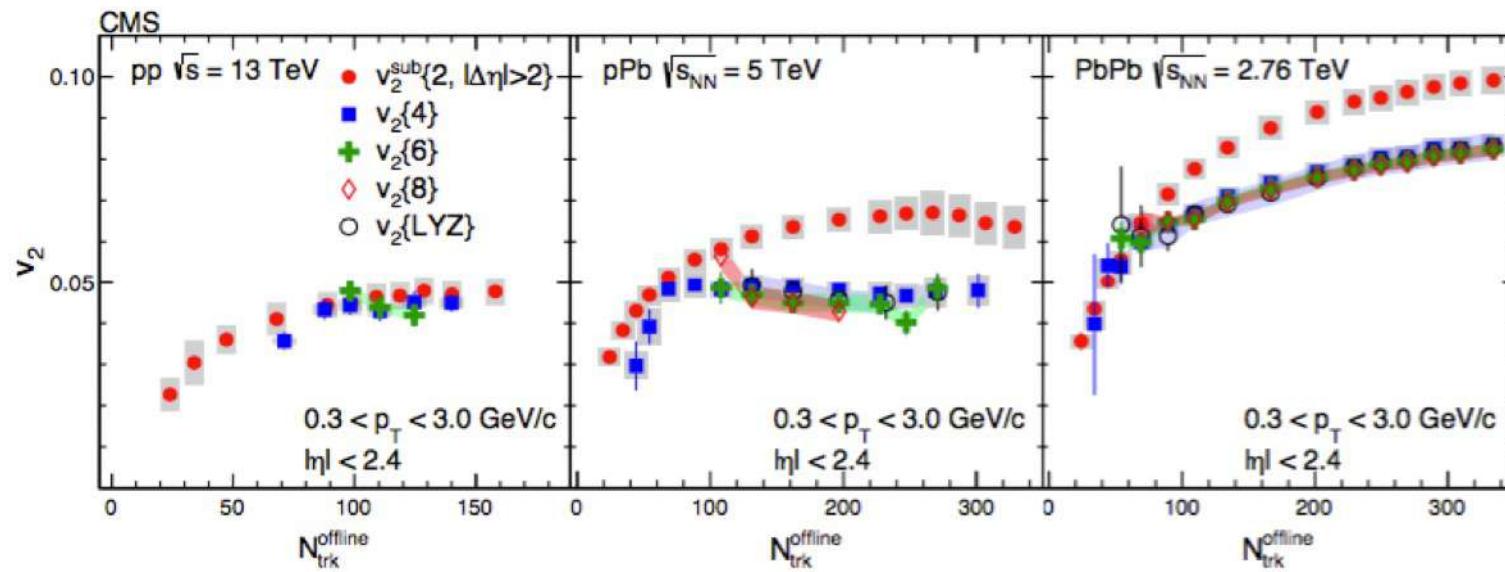
How much difference can this make?



Discovery of collectivity in pp and pPb @ LHC

Hypothesis (consistent with what we know)

If collectivity persists to the smallest systems,
it is not mediated by hydro modes alone.

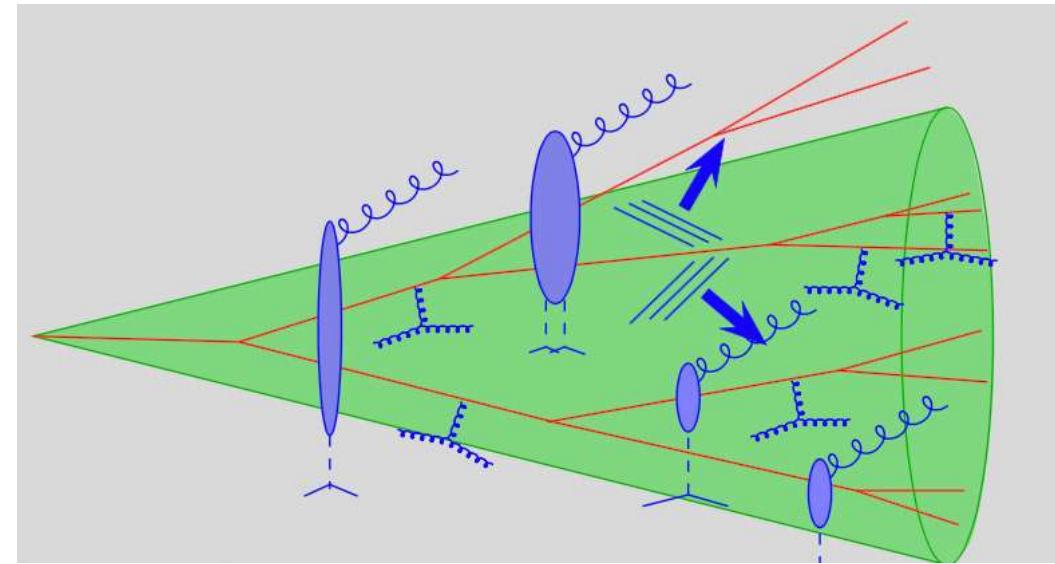


Jet quenching – a *peculiar* kinetic transport

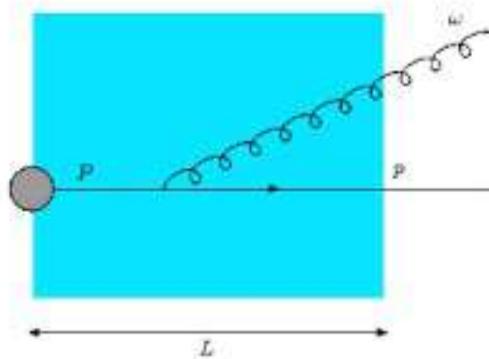
A generic quenching model implements

$$\partial_t f_g(\textcolor{red}{x}, p) = -C_{2 \rightarrow 2}[f] - C_{1 \rightarrow 2}[f]$$

- Hard partons $p \gg T$
- Embedded in medium
- $1 \rightarrow 2$ LPM (and DGLAP)
- $2 \rightarrow 2$ elastic



What is **peculiar**? Soft emitters are emitted first.



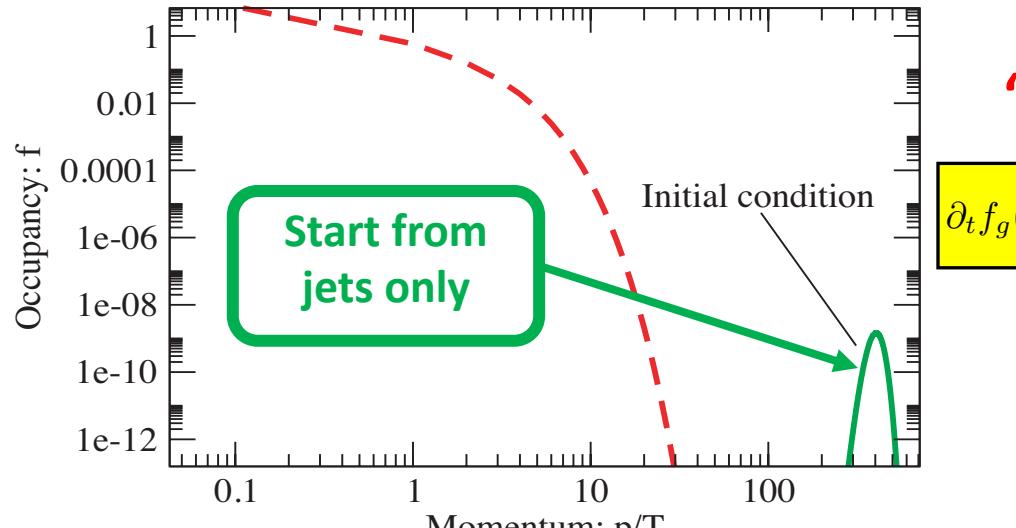
In vacuum

- Time $\tau_{\text{form}}^{\text{vac}} \simeq \frac{\omega}{k_\perp^2} = \frac{1}{\Theta^2 \omega}$
- Hard gluons first
- **Soft gluons late**
medium never

In medium

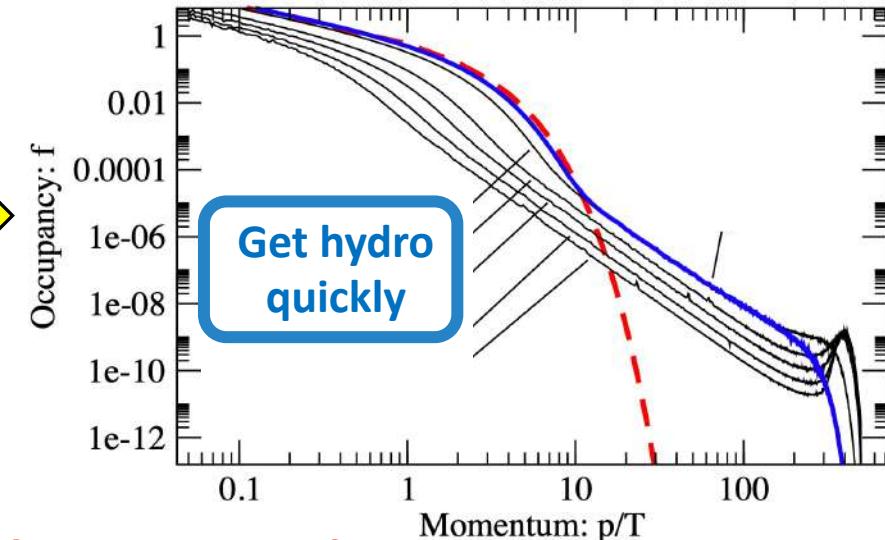
- Time $\tau_{\text{form}}^{\text{med}} \simeq \frac{\omega}{k_\perp^2} = \sqrt{\frac{\omega}{\hat{q}}}$
- **Soft gluons first**
- medium forms fast (PTO)

Jet quenching = fast perturbative hydrodynamization

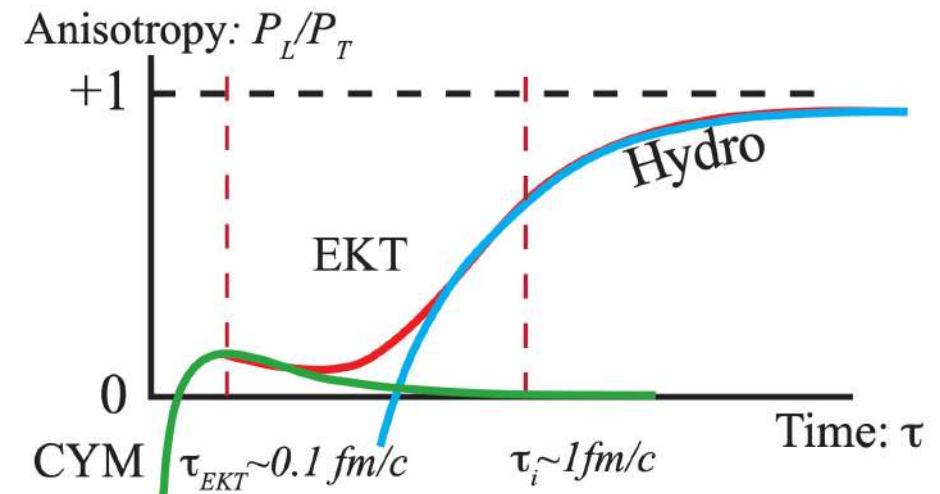
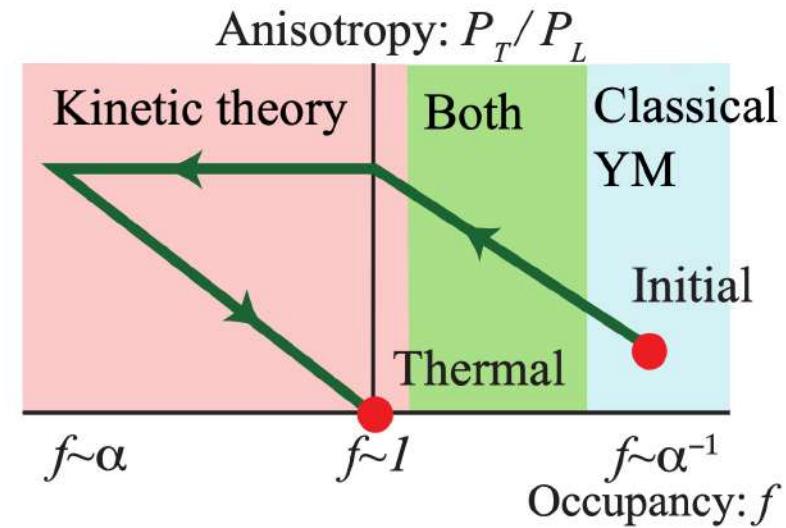


"Bottom-up"

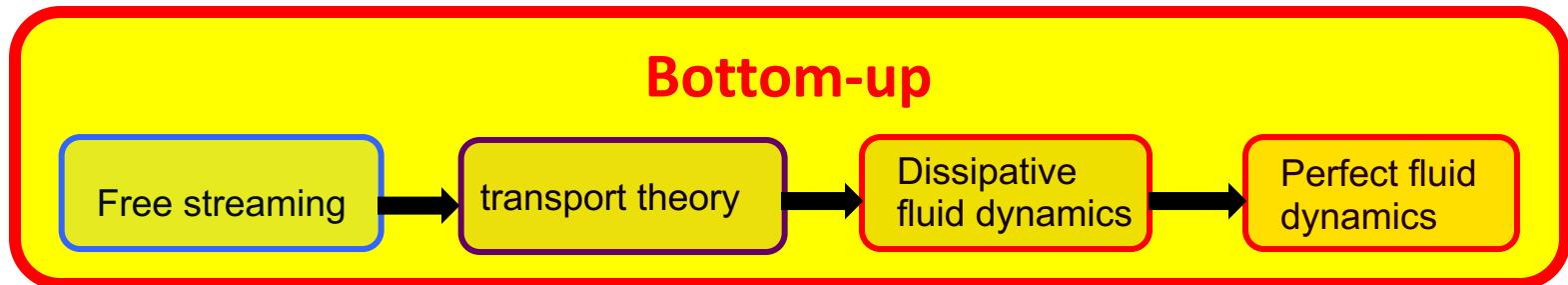
$$\partial_t f_g(x, p) = -C_{2 \rightarrow 2}[f] - C_{1 \rightarrow 2}[f]$$



pQCD has the most remarkable thermalization mechanism



Bottom-up is a more encompassing HI paradigm than the perfect fluid



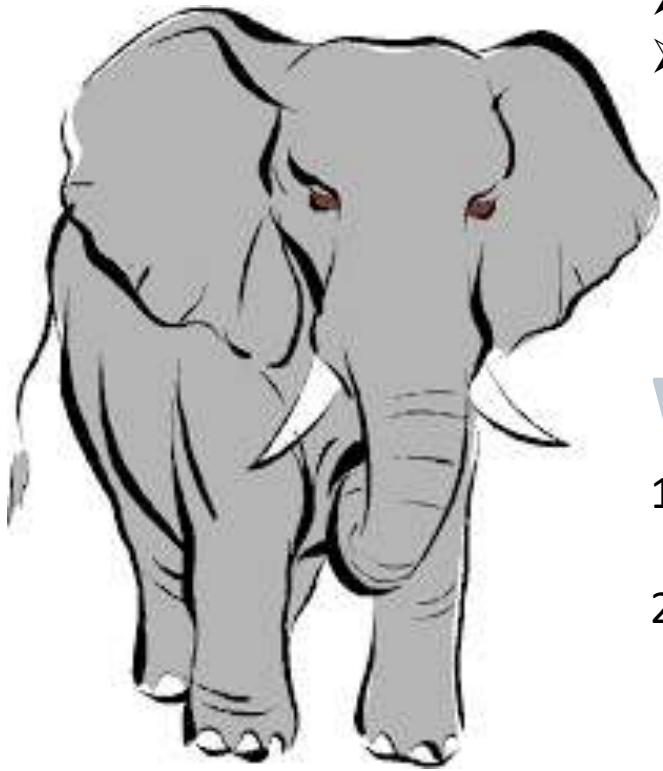
Bottom-up includes:

- **pre-equilibrium dynamics***
from $f \sim O(1/\alpha_s)$ to $f \sim 1$
- **Close-to-perfect fluidity**
(with specific non-hydro modes)
- **Jet quenching**

Many open questions:

- Nature of non-hydro excitations?
- **Onset of jet quenching**
- Origin of hadrochemical equilibration
- Transport of heavy flavor
- ...

Jet quenching in small systems

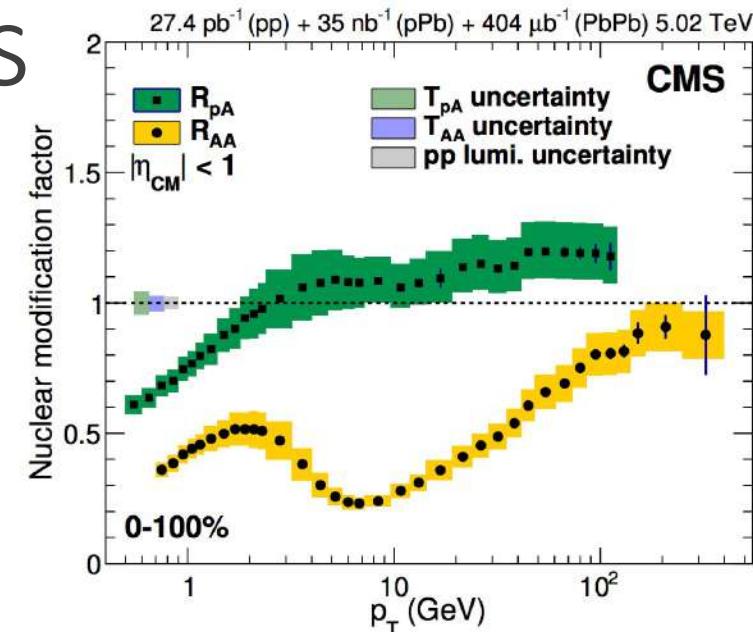


- Collectivity requires final state interaction
- Final state interactions imply jet quenching
- Jet quenching not seen in pPb or peripheral PbPb

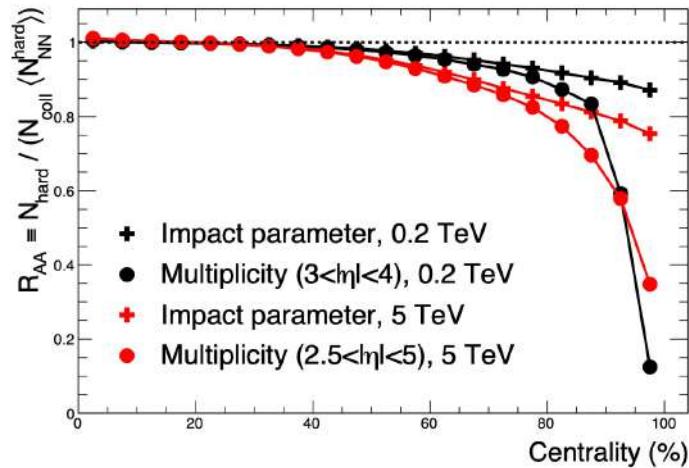
$$R_{AA} = \frac{Y_{AA}}{N_{\text{coll}} Y_{pp}} = \frac{Y_{AA}}{T_{AA} \sigma_{pp}}$$

Why?

1. Because the effect is not there.
Then, what I told you so far is wrong!
2. Because the effect is too small to be measured.
*How to improve accuracy of null-hypothesis
on top of which an effect could be seen?*

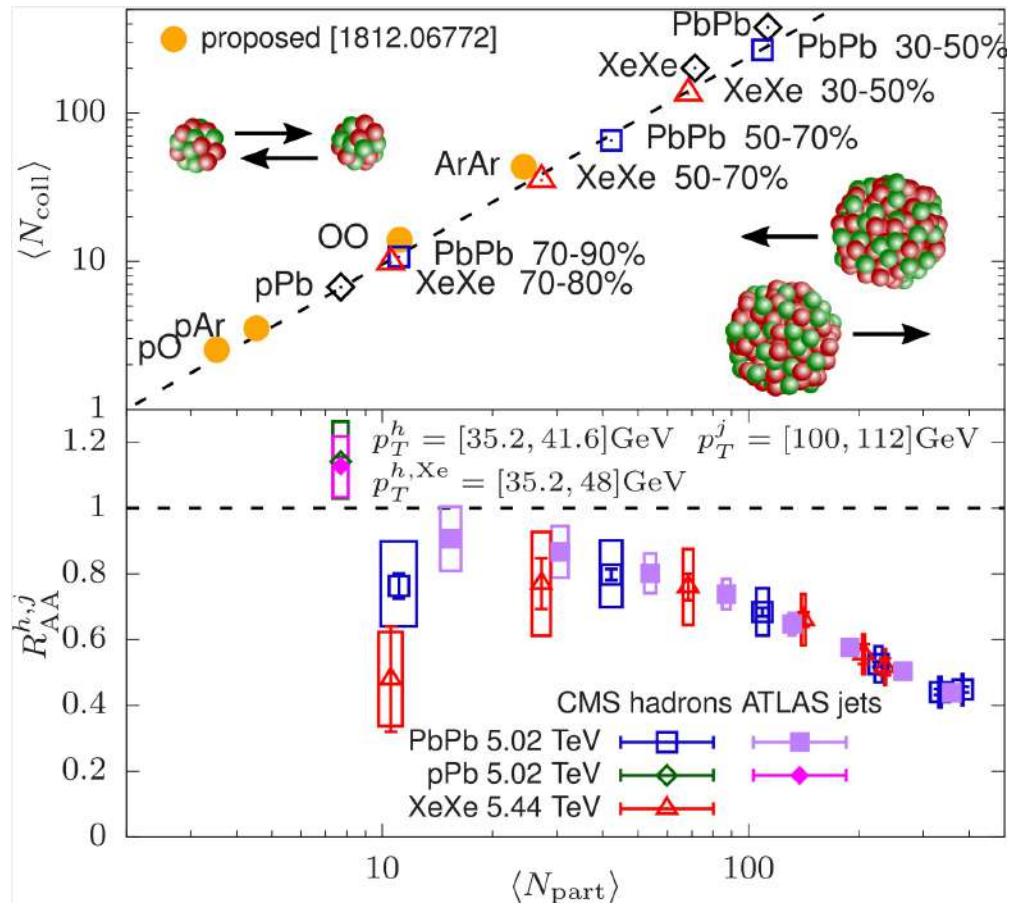


Soft physics modelling uncertainties increase in small systems*



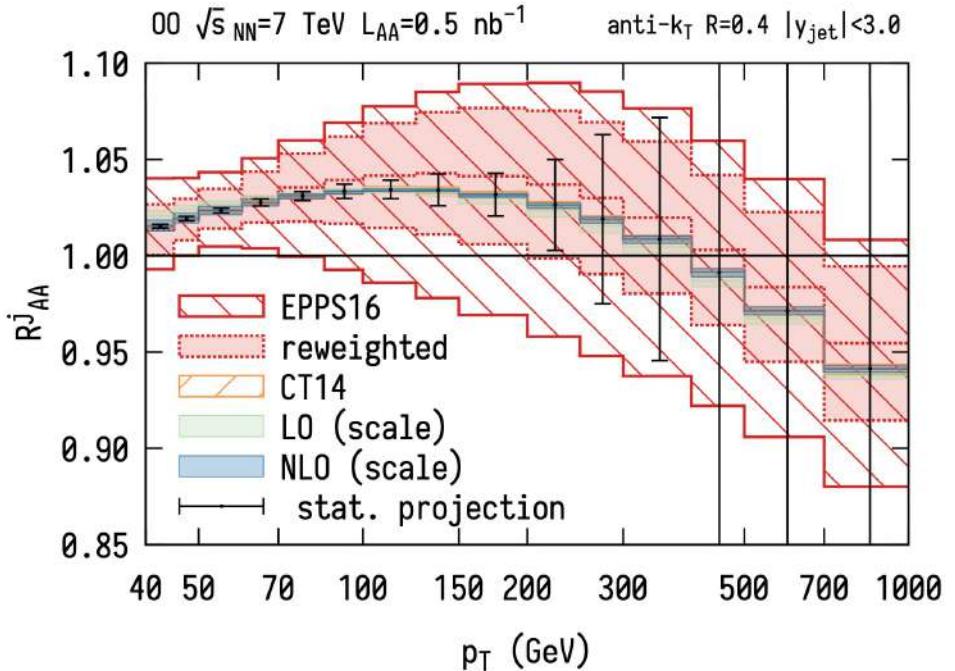
A small system: Oxygen-Oxygen @ LHC

- Inclusive OO $\sim 70\text{-}90\%$ PbPb, perturbatively controlled baseline



$$R_{AA, \text{ minbias}}^{h,j} = \frac{1}{A^2} \frac{\frac{d\sigma_{AA}}{dp_T dy}}{\frac{d\sigma_{pp}}{dp_T dy}}$$

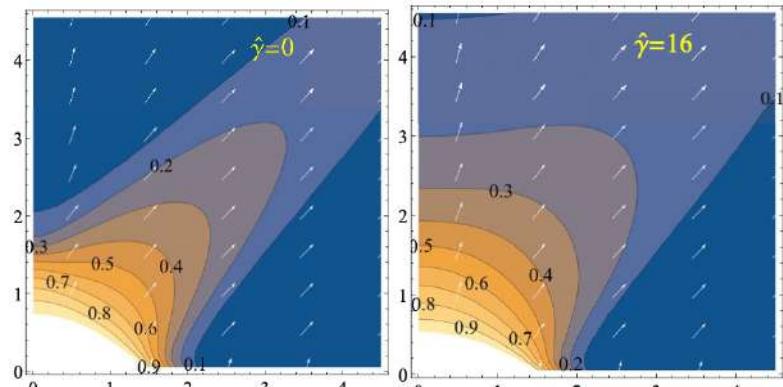
- 2-5 % theory precision on no-quench baseline* systematically controlled pQCD standard



How to estimate quenching signal in OO?

➤ Vary freely what you don't know

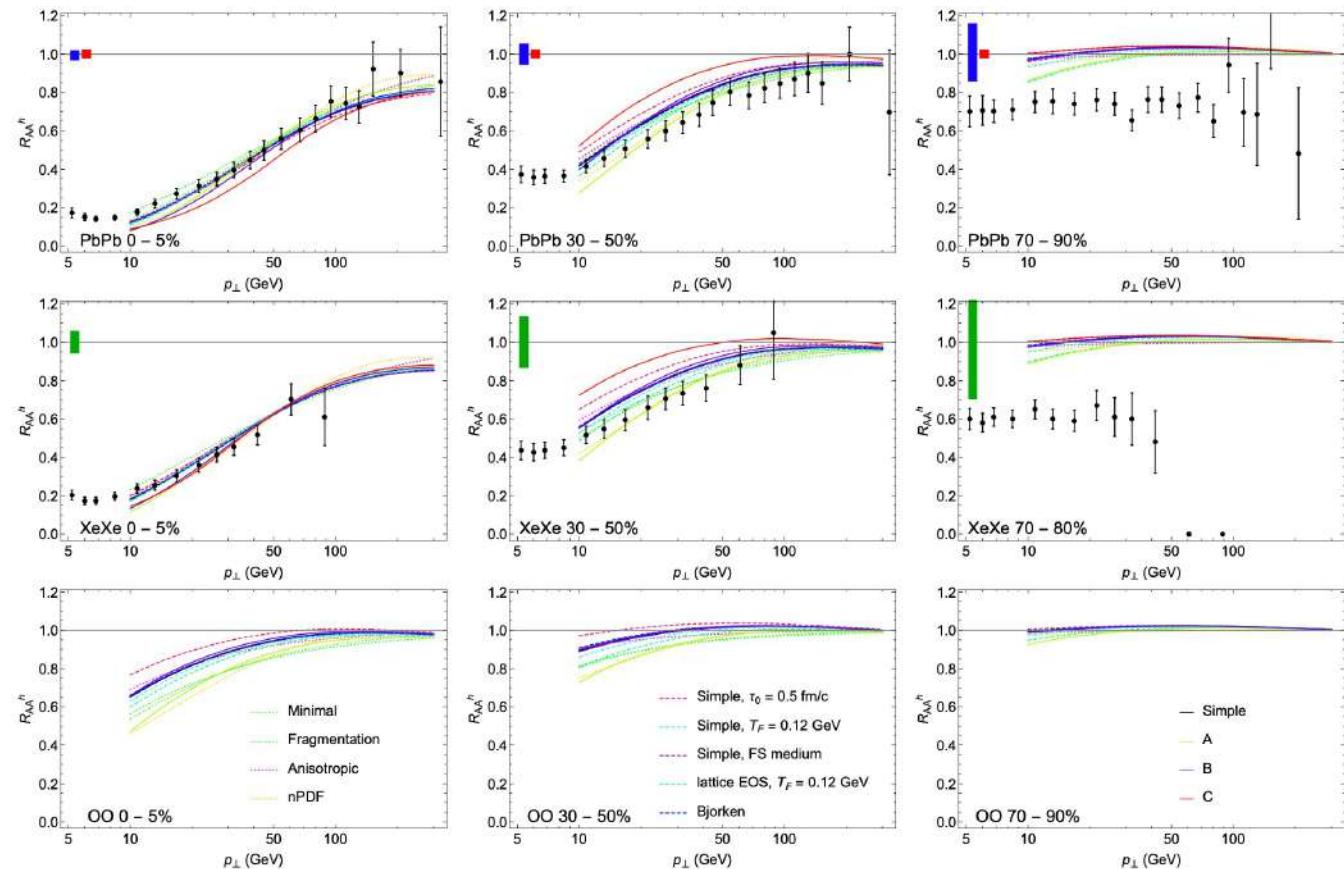
- Initial conditions
- collective expansion



- microscopic dynamics

model	nPDF	$\langle R \rangle$	$\langle N_{\text{part}} \rangle$	$\langle N_{\text{coll}} \rangle$	$\langle \epsilon_2 \rangle$	T evolution	Energy loss	Fragmentation	\hat{q}/T^3 or κ
Minimal	no	optical Glauber	no	kinetic	BDMPS-Z	no	BDMPS-Z	no	0.90 ± 0.25
Anisotropic	no	TrENTo	yes	kinetic	BDMPS-Z	no	BDMPS-Z	no	0.85 ± 0.24
nPDF	yes	optical Glauber	no	kinetic	BDMPS-Z	no	BDMPS-Z	yes	1.08 ± 0.27
Fragmentation	no	optical Glauber	no	kinetic	BDMPS-Z	yes	BDMPS-Z	yes	2.93 ± 0.87
Simple	yes	TrENTo	yes	kinetic	BDMPS-Z	yes	BDMPS-Z	yes	3.63 ± 0.91
Simple, $\tau_0 = 0.5\text{fm}/c$	yes	TrENTo	yes	kinetic	BDMPS-Z	yes	BDMPS-Z	yes	6.78 ± 1.73
Simple, $T_F = 0.12\text{GeV}$	yes	TrENTo	yes	kinetic	BDMPS-Z	yes	BDMPS-Z	yes	3.15 ± 0.77
Free streaming	yes	TrENTo	no	free streaming	BDMPS-Z	yes	BDMPS-Z	yes	2.25 ± 0.57
Lattice EOS	yes	TrENTo	yes	kinetic	BDMPS-Z	yes	BDMPS-Z	yes	2.38 ± 0.57
Bjorken	yes	TrENTo	yes	$\propto \tau^{-1/3}$	BDMPS-Z	yes	BDMPS-Z	yes	3.01 ± 0.76
A	yes	TrENTo	yes	kinetic	$dE/dx \sim \tau^{0.4} T^{1.2}$	yes	BDMPS-Z	yes	2.83 ± 0.58
B	yes	TrENTo	yes	kinetic	$dE/dx \sim \tau T^3$	yes	BDMPS-Z	yes	2.70 ± 0.57
C	yes	TrENTo	yes	kinetic	Stopping	yes	BDMPS-Z	yes	2.41 ± 0.18

➤ Anchor on what is measured and extrapolate

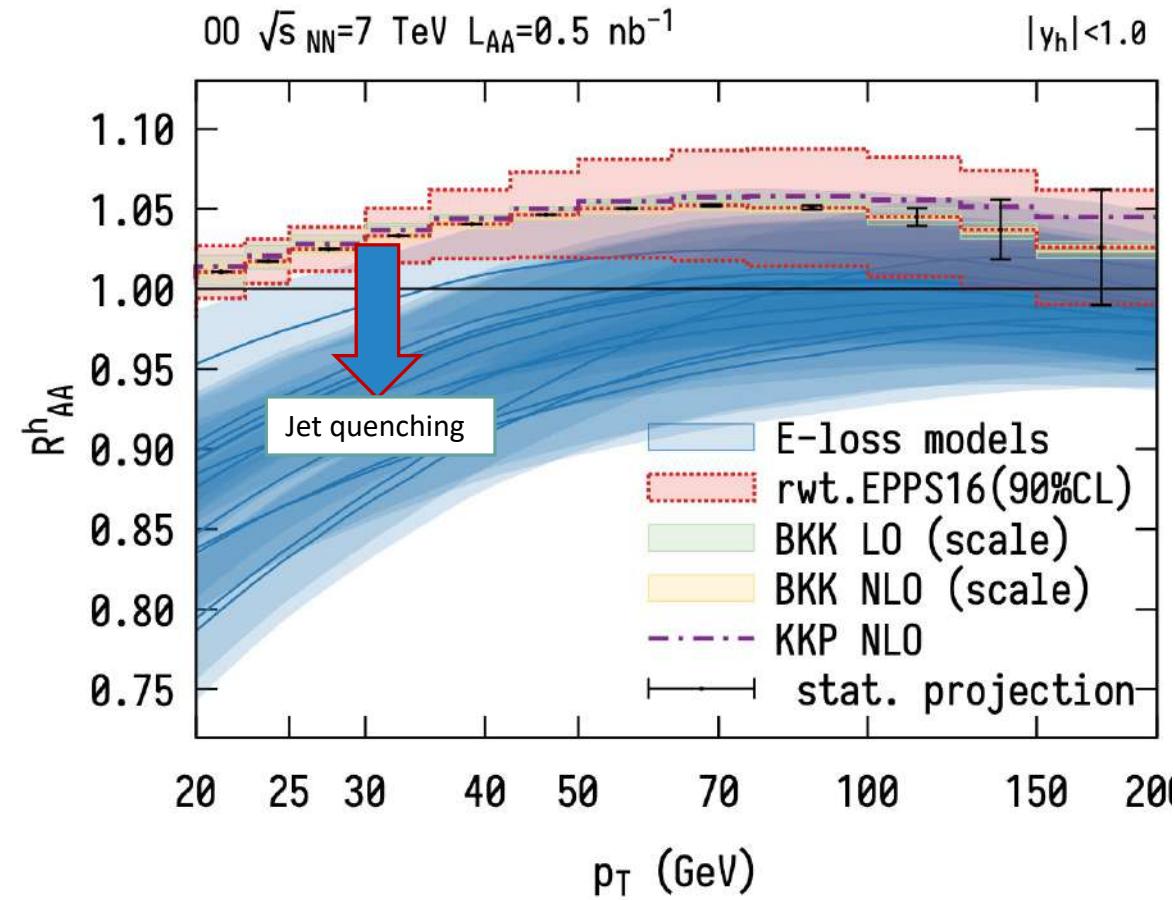


*A. Huss, A. Kurkela, A. Mazeliauskas, R. Paatelainen, W. v.d. Schee, UAW, Discovering partonic rescattering in light nucleus collisions, arXiv:2007.13754 and arXiv:2007.13758

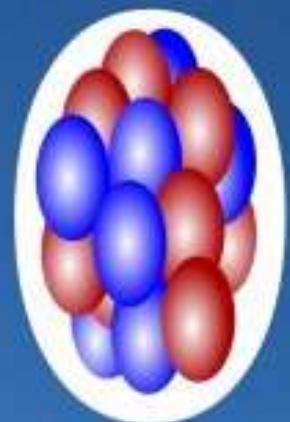
Other recent R_{AA} comparisons: Chien et al. 1509.02936, Bianchi et al. 1702.00481, Andres et al 1606.04837, Noronha-Hostler et al. 1602.03788, Casalderrey et al. 1405.3864, Jetscape 2102.11337

Discovering jet quenching in OO & LHC

- should be possible since
extrapolated jet quenching effects
can be separated from
precisely known no-quench baseline



This is only one of many



opportunities at the LHC

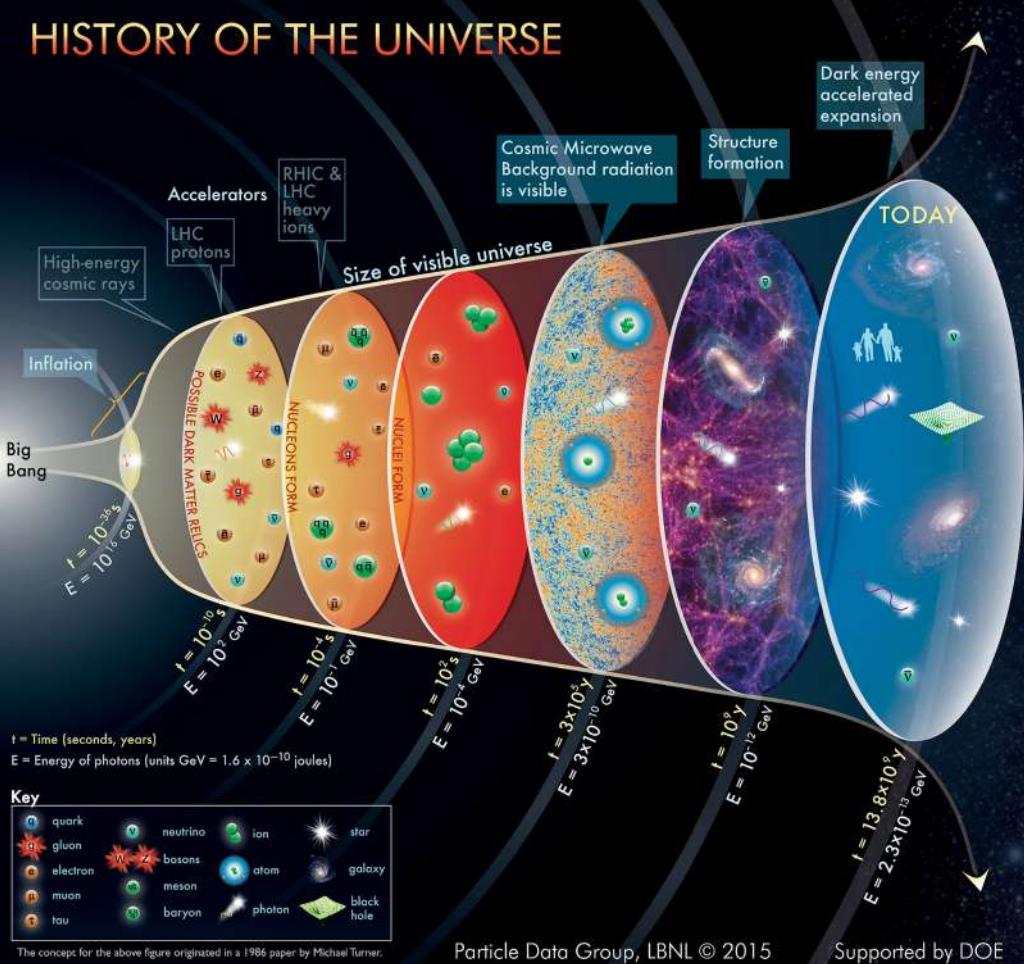
J. Brewer, A. Mazeliauskas, W. v.d. Schee (org), cern.ch/OppOatLHC



Take-home message

Heavy ion collisions

- provide unique tests of how collectivity and thermal properties arise in the fundamental non-abelian quantum field theory **QCD**.
- Understanding hydrodynamic properties of **QCD**-matter starts reaching maturity.
- We start being sensitive to non-hydrodynamic excitations of **QCD**-matter:
 - these excitations probe the "**inner workings of the QGP**"
 - testing bottom-up, a more encompassing HI paradigm?
- Many **OppOrtunities** for interplay between theory and experiment in the coming decade*



Relativistic Heavy-Ion Collisions

made by Chun Shen

