

Designing ESG Benchmarks

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Introduction

- Environmental, Social and Governance (ESG) investing is receiving more attention, both in practice and in the academic literature
- ESG funds: \approx \$3 trillion assets globally, 7648 funds (source: Morningstar)
- **Questions:**
 - How should fund investors concerned with climate change incentivize fund managers to invest accordingly?
 - What does “concerned with climate change” mean exactly and what do ESG ratings really measure?
 - The language in ESG literature is very muddled—see Starks (*JF*, 2023)
 - Our focus will be only on concerns with climate change, one part of E

This Talk

- Difference between Earth to Firm (EtoF) and Firm to Earth (FtoE)
 - Conceptual and empirical
- Modeling approach
- Some open questions

Earth to Firm vs. Firm to Earth

- **Earth to Firm (EtoF)**: Climate change poses a business risk that should be priced (just like other business risks)
 - E.g., overall temperature rise, changes in transportation and energy costs, imposition of carbon taxes that affect suppliers, etc.
 - Starks (JF, 2023) calls investors who care about this risk as “value investors”
- **Firm to Earth (FtoE)**: Some people may have an ethical view and are willing to sacrifice returns in order to support companies working to avert climate change
 - “Values investors” in Starks’ language
- These considerations are very different conceptually
 - and what investors care about matters for their investment strategy
- But is there a difference empirically? Answer: YES

Data

- **EtoF**: use **MSCI's Carbon Emissions Exposure Score**
 - captures the extent to which a company's business is vulnerable to carbon emissions
 - coded on a scale 0–10 where a higher score indicates greater risk
- **FtoE**: use **Trucost Environmental's GHG Direct and First-Tier Indirect intensity variable**
 - defined as “greenhouse-gas emissions over which a company has control divided by the company's revenue”
 - measured in metric tons of CO2 equivalent per million U.S. dollars
- Cross-section of firms worldwide in 2019
 - 4,950 firms common to both datasets, 74 industries (as defined by Trucost)

EtoF vs. FtoE Rankings

- Industries with highest scores are different:

3-Digit Industry	EtoF Rank	FtoE Rank	3-Digit Industry	FtoE Rank	EtoF Rank
Passenger Airlines	1	5	Electric Utilities	1	27
Construction Materials	2	2	Construction Materials	2	2
Marine Transportation	3	6	Independent Power and Renewable Electricity Producers	3	11
Oil, Gas and Consumable Fuels	4	9	Multi-Utilities	4	15
Metals and Mining	5	8	Passenger Airlines	5	1
Chemicals	6	12	Marine Transportation	6	3
Paper and Forest Products	7	7	Paper and Forest Products	7	7
Ground Transportation	8	17	Metals and Mining	8	5
Containers and Packaging	9	11	Oil, Gas and Consumable Fuels	9	4
Transportation Infrastructure	10	33	Food Products	10	15

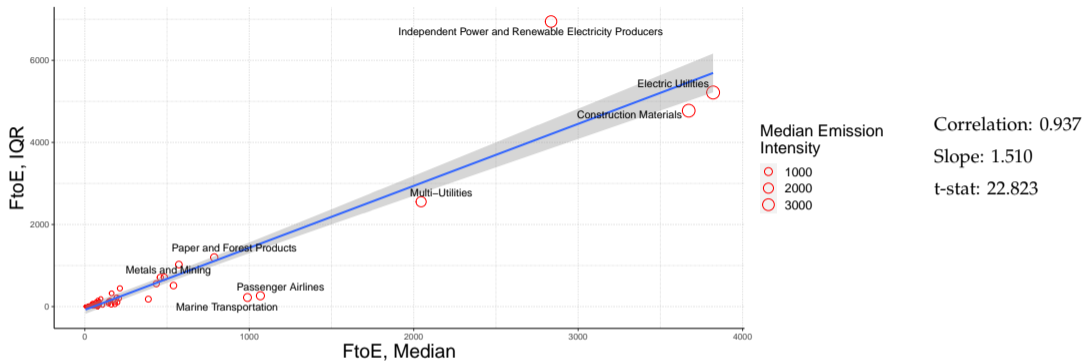
Note: Ranks based on the median firms score within an industry.

- Correlation between (normalized) EtoF and FtoE scores is 0.361
 - average within-industry correlation is only 0.273

Our Hypothesis

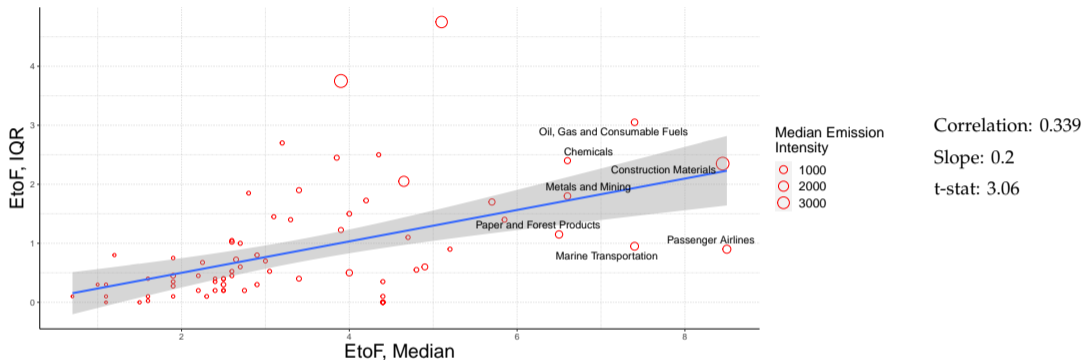
- Firms can control a big part of **FtoE** emissions
 - via buying carbon offsets, reducing air-travel, shifting to lower carbon vehicle fleets, changing office configurations to be more environmentally friendly, etc.
 - Assumption: mitigation possibilities scale with the size of firm's operations
- **EtoF** risk is more industry dependent because all firms affected by
 - overall temperature rise, changes in transportation and energy costs, imposition of carbon taxes that affect suppliers, etc.
 - some mitigation is possible but it is more limited
- Hypothesis: firms have more control over **FtoE** than **EtoF**, and the discretion that firms have is more important in industries where the average contribution of firms to climate change the largest
- To test this, compare correlation between the interquartile range (IQR) and the median raw score in the industry

FtoE: More Polluting Industries Have More Score Dispersion



- Strong positive correlation: industries that emit more greenhouse gasses show more dispersion with regard to firms' emissions
- "Best-in-class" firms in more polluting industries are significantly cleaner than "worst-in-class" → "best-in-class" goes a long way towards reducing GHG
- How much of this is due to FtoE mitigation?

EtoF: Quite Different from FtoE



- Much lower correlation
- “Best-in-class” firms in more polluting industries much more similar to “worst-in-class” → “best-in-class” isn’t a great way to manage EtoF risk
- Apparently less scope for EtoF mitigation

Importance of Distinguishing between EtoF and FtoE_____

- Focusing on the “wrong” ESG scores—EtoF instead of FtoE—will result in very different investment strategies
- But the distinction between EtoF and FtoE is not well understood in the literature or in practice!
- Example: Fidelity Climate Action Fund claims to “address climate change” but benchmarks to MSCI World Climate Change Index
- Typically, it is very hard to decide if a particular fund follows EtoF or FtoE considerations (often is a mixture)

Modeling Approach

- How to incentivize the managers to respect ESG principles?
- What are the implications of the difference between EtoF and FtoE considerations in the model?
- Build on Kashyap, Kovrijnykh, Li, and Pavlova (*AER*, 2023)
 - benchmarking is part of optimal contract under moral hazard

Model: Investment Opportunities

- Two periods, $t = 0, 1$
- N risky assets (stocks), claims to cash flow $\tilde{D} \sim N(\mu + \tilde{\kappa}, \Sigma)$ at $t = 1$
 - $\tilde{\kappa} = (\tilde{\kappa}_1, \dots, \tilde{\kappa}_N)^\top$ captures the **EtoF** considerations
 - $\tilde{\kappa}$ affects the cashflows directly
- $p = (p_1, \dots, p_N)^\top$ denotes asset prices
- Stocks are in a fixed supply of $\bar{x} = (\bar{x}_1, \dots, \bar{x}_N)^\top$ shares
- A risk-free bond with a zero interest rate
 - infinitely elastic supply, i.e., just a storage technology

Agents and Preferences

- Direct investors (fraction λ_D)
 - CARA preferences over final wealth W : $-E \exp(-\gamma W)$
- Fund managers (fraction λ_M)
 - CARA over compensation w : $-E \exp(-\gamma w)$
- Fund investors (same fraction λ_M), delegate investment to managers
 - $-E \exp[-\gamma(W + x^\top \kappa)]$
 - κ is a vector of nonpecuniary benefits that the investor derives from stock holdings x
 - κ is Pastor, Stambaugh and Taylor's (JFE, 2021) "warm glow"
 - captures investors' concerns about the **FtoE** impact

Value Added and Costs of Fund Managers

- Fund generates excess returns, but at a risk:

$$R = \underbrace{x^\top \Delta + \varepsilon}_{\text{excess return}} + \underbrace{x^\top (\tilde{D} - p)}_{\text{direct investor's return}}, \quad \varepsilon \sim N(0, \sigma_\varepsilon)$$

- The manager incurs a **private cost** $\psi^\top x$ of managing risky assets
- The fund manager's portfolio is **unobservable** to the fund investor

⇒ **Moral hazard**

Linear Contract

- Compensation contract:

$$w = \hat{a}R + b(R - R_{benchmark}) + c = \underbrace{(\hat{a} + b)}_{\equiv a} R - bR_{benchmark} + c$$

- R – performance of the fund
 - $R_{benchmark} = \theta^\top (\tilde{D} - p)$ – performance of benchmark
 - θ – benchmark weights
 - \hat{a} – sensitivity to absolute performance
 - b – sensitivity to relative performance
 - c – independent of performance (e.g., based on time-0 AUM)
 - $a \equiv \hat{a} + b$ – “skin in the game”
- The contract parameters a , b , c , and θ are endogenous, chosen by the fund investors
 - Empirical evidence for relative performance: Ma, Tang and Gomez (2019)

Manager's and Investor's Problems

- Fund manager's problem:

$$\begin{aligned}U^M &= \max_x -E \exp\{-\gamma[aR - bR_{benchmark} + c - \psi^\top x]\} \\&\Leftrightarrow \max_x ax^\top (\Delta - \psi/a + \tilde{\kappa} + \mu - p) - b\theta^\top (\tilde{\kappa} + \mu - p) + c \\&\quad - \frac{\gamma}{2} \left[(ax - b\theta)^\top \Sigma (ax - b\theta) + a^2 \sigma_\varepsilon^2 \right] \\&\Rightarrow \boxed{x^M = \Sigma^{-1} \frac{\Delta - \psi/a + \tilde{\kappa} + \mu - p}{a\gamma} + \frac{b\theta}{a}}\end{aligned}$$

– the benchmark creates inelastic demand for assets in the benchmark

- Fund investor's problem:

$$\begin{aligned}\max_{a,b,\theta,c} & -E \exp\{-\gamma[W_0 + R(x) - (aR(x) - bR_{benchmark} + c) + x^\top \kappa]\} \\ \text{s.t.} \quad & x = \Sigma^{-1} \frac{\Delta - \psi/a + \tilde{\kappa} + \mu - p}{a\gamma} + \frac{b\theta}{a} \quad (IC) \\ & U^M \geq \underline{U} \quad (PC)\end{aligned}$$

Optimal Contract

- Tradeoff: risk sharing and incentives
- It's costly for manager to invest in assets with high ψ ;
investor wants manager to invest more in high- κ assets
- Skin-in-the-game, a : $-(2a - 1)\gamma\sigma_\varepsilon^2 + \frac{\psi^\top \Sigma^{-1}}{\gamma a^3} [\psi(1 - a) + \kappa a] = 0$
- Benchmark, $b\theta$:
 - Partial equilibrium:

$$(b\theta)(p) = \frac{\Sigma^{-1}}{\gamma} \left[(2a - 1) (\kappa + \bar{\kappa} + \Delta - \psi + \mu - p) + (1 - a) \left(\frac{\psi}{a} - \psi + \kappa \right) \right]$$

- General equilibrium:

$$b\theta = (2a - 1) \left[\bar{x} + \frac{\Sigma^{-1}}{\gamma} \left\{ \left(\frac{\lambda_M}{a} + \lambda_D \right) \kappa + \lambda_D (\Delta - \psi) \right\} \right] \\ + (1 - a) \frac{\Sigma^{-1}}{\gamma} \left[\frac{\psi}{a} - \left(\frac{\lambda_M}{a} + \lambda_D \right) (\psi - \kappa) \right]$$

Optimal Contract: κ vs. $\tilde{\kappa}$

- κ and $\tilde{\kappa}$ enter the benchmark differently
 - κ matters for both risk sharing and incentive provision; $\tilde{\kappa}$ only matters for risk sharing (to the extent that it affects returns)
 - κ affects the benchmark more (enters with a larger weight) than $\tilde{\kappa}$
 - If all investors believe in EtoF, then $\tilde{\kappa}$ disappears from contract in GE
- κ affects the skin-in-the-game, $\tilde{\kappa}$ does not
 - If $\psi^\top \Sigma^{-1} \kappa < 0$, then ESG considerations make the investor reduce a to incentivize the manager to invest less in risky stocks
 - The investor finetunes incentives asset by asset using $b\theta$
- If two assets, i and j , have the exact same characteristics except $\kappa_i > \kappa_j$, then the weight on i is greater the weight on j : $\theta_i > \theta_j$.

Example with Two Risky Assets

- κ enters the benchmark proportional to the following term:

$$\Sigma^{-1}\kappa = \frac{1}{1-\rho^2} \begin{pmatrix} \kappa_1 \frac{1}{\sigma_1^2} - \kappa_2 \frac{\rho}{\sigma_1\sigma_2} \\ \kappa_2 \frac{1}{\sigma_2^2} - \kappa_1 \frac{\rho}{\sigma_1\sigma_2} \end{pmatrix}$$

- relative weight on an asset increases in that asset's κ and decreases in the κ of assets positively correlated with it
- Let $\kappa_1 > 0 > \kappa_2$ and $\rho > 0$
- The optimal benchmark gives a larger weight to green(er) firms (high κ_1), more so in highly polluting industries¹ (lower κ_2) 4 assets
 - this leads to a **larger reduction in the cost of capital for green firms in dirty industries**
Benchmark inclusion subsidy
 - incentives to invest in green technologies are arguably most important in highly polluting industries

¹Think of an industry as collection of firms with positively correlated cashflows

Comparing Exclusions to ESG Benchmarks

- In the U.S., ESG funds do not use ESG benchmarks, instead use exclusions
- Suppose the fund manager cannot go short ($x \geq 0$) \Rightarrow assets with sufficiently negative κ 's will not be held
- *Exclusions in the model*: fund uses a non-ESG benchmark and drops the most polluting firms
- Compared to the optimal ESG benchmark, exclusion
 - leads to lower weights on greener assets (missing κ_1)
 - underweights the whole industry with worst polluting firms (missing κ_2) \rightarrow hurts diversification
 - fails to disproportionately reward the best-in-class in the dirtiest industries

4 assets example

Summary and Future Work

- Empirics: EtoF and FtoE rankings are very different
 - FtoE allows more discretion to firms, especially for industries with high FtoE scores
- Theory: What is the best way to incentivize fund managers to invest according to ESG principles?
 - EtoF and FtoE considerations shape optimal contracts differently
 - Benchmarks are a powerful tool because they allow investors to finetune incentives firm by firm
 - Exclusions may lead to unintended consequences
- Still trying to better tie empirical results to the model
 - Any suggestions are much appreciated!

Real Effects of Benchmarks

- What role do benchmarks play for firms' corporate decisions?
 - Kashyap, Kovrijnykh, Li & Pavlova (JFE, 2021): inelastic demand for assets in benchmark creates a "benchmark inclusion subsidy:"
 - a firm in the benchmark has higher valuation for investment than an otherwise identical firm outside the benchmark
 - i.e., benchmark firm has lower cost of capital for investment projects
- ⇒ benchmarking has real implications, and a firm with a larger weight in the benchmark will be more likely to grow

Example with Four Risky Assets

- Example: 4 assets, 2 (uncorrelated) industries, $\kappa_1 > \kappa_3 \geq 0 \gg \kappa_4 > \kappa_2$.

$$\Sigma^{-1}\kappa = \begin{pmatrix} \frac{1}{1-\rho_{12}^2} \left[\kappa_1 \frac{1}{\sigma_1^2} - \kappa_2 \frac{\rho_{12}}{\sigma_1\sigma_2} \right] \\ \frac{1}{1-\rho_{12}^2} \left[\kappa_2 \frac{1}{\sigma_2^2} - \kappa_1 \frac{\rho_{12}}{\sigma_1\sigma_2} \right] \\ \frac{1}{1-\rho_{34}^2} \left[\kappa_3 \frac{1}{\sigma_3^2} - \kappa_4 \frac{\rho_{34}}{\sigma_3\sigma_4} \right] \\ \frac{1}{1-\rho_{34}^2} \left[\kappa_4 \frac{1}{\sigma_4^2} - \kappa_3 \frac{\rho_{34}}{\sigma_3\sigma_4} \right] \end{pmatrix}$$

- Asset 1 will receive a lower weight than asset 3 with exclusion compared to the optimal benchmark
 - exclusion leads to lower weight on greener assets (b/c of missing κ_1 & κ_3)
 - exclusion of the most polluting assets yields to a lower weight on the whole industry (b/c of missing $\kappa_2 < \kappa_4$) \rightarrow hurts diversification
- Relative to exclusion, benchmarking gives a larger subsidy to green firms in the most polluting industries
 - where incentives to invest in green technologies are arguably most important